

# Analisi dinamica di un telaio shear-type a 3 piani

Sezione pilastri 30 x 30

Versione per la stampa

## ■ Comandi di utilità

## ■ Equazioni del moto

```
In[7]:= eq[1] = m[1] x[1] ''[t] + k[1] (x[1][t] - xg[t]) -
k[2] (x[2][t] - x[1][t]) + c[1] (x[1]'[t] - xg'[t]) - c[2] (x[2]'[t] - x[1]'[t])
Out[7]= k[1] (-xg[t] + x[1][t]) - k[2] (-x[1][t] + x[2][t]) +
c[1] (-xg'[t] + x[1]'[t]) - c[2] (-x[1]'[t] + x[2]'[t]) + m[1] x[1]''[t]
In[8]:= eq[2] = m[2] x[2] ''[t] + k[2] (x[2][t] - x[1][t]) -
k[3] (x[3][t] - x[2][t]) + c[2] (x[2]'[t] - x[1]'[t]) - c[3] (x[3]'[t] - x[2]'[t])
Out[8]= k[2] (-x[1][t] + x[2][t]) - k[3] (-x[2][t] + x[3][t]) +
c[2] (-x[1]'[t] + x[2]'[t]) - c[3] (-x[2]'[t] + x[3]'[t]) + m[2] x[2]''[t]
In[9]:= eq[3] = m[3] x[3] ''[t] + k[3] (x[3][t] - x[2][t]) + c[3] (x[3]'[t] - x[2]'[t])
Out[9]= k[3] (-x[2][t] + x[3][t]) + c[3] (-x[2]'[t] + x[3]'[t]) + m[3] x[3]''[t]
In[10]:= MM := Table[Coefficient[eq[i], x[j] ''[t]], {i, 1, 3}, {j, 1, 3}]
In[11]:= KK := Table[Coefficient[eq[i], x[j][t]], {i, 1, 3}, {j, 1, 3}]
In[12]:= CC := Table[Coefficient[eq[i], x[j]'[t]], {i, 1, 3}, {j, 1, 3}]
In[13]:= FF1 := Table[Coefficient[eq[i], xg[t]], {i, 1, 3}]
In[14]:= FF2 := Table[Coefficient[eq[i], xg'[t]], {i, 1, 3}]
In[15]:= MatrixForm[MM]
Out[15]//MatrixForm=

$$\begin{pmatrix} m[1] & 0 & 0 \\ 0 & m[2] & 0 \\ 0 & 0 & m[3] \end{pmatrix}$$

In[16]:= MatrixForm[KK]
Out[16]//MatrixForm=

$$\begin{pmatrix} k[1] + k[2] & -k[2] & 0 \\ -k[2] & k[2] + k[3] & -k[3] \\ 0 & -k[3] & k[3] \end{pmatrix}$$

In[17]:= MatrixForm[CC]
Out[17]//MatrixForm=

$$\begin{pmatrix} c[1] + c[2] & -c[2] & 0 \\ -c[2] & c[2] + c[3] & -c[3] \\ 0 & -c[3] & c[3] \end{pmatrix}$$

```

---

```
In[18]:= AA := Inverse[MM].KK
In[19]:= MatrixForm[AA]
Out[19]//MatrixForm=

$$\begin{pmatrix} \frac{k[1]+k[2]}{m[1]} & -\frac{k[2]}{m[1]} & 0 \\ -\frac{k[2]}{m[2]} & \frac{k[2]+k[3]}{m[2]} & -\frac{k[3]}{m[2]} \\ 0 & -\frac{k[3]}{m[3]} & \frac{k[3]}{m[3]} \end{pmatrix}$$

In[20]:= Table[m[i] = M, {i, 1, 3}]
Out[20]= {M, M, M}
In[21]:= Table[k[i] = K, {i, 1, 3}]
Out[21]= {K, K, K}
In[22]:= Table[c[i] = Ci, {i, 1, 3}]
Out[22]= {Ci, Ci, Ci}
In[23]:= AA
Out[23]= \{\{\frac{2K}{M}, -\frac{K}{M}, 0\}, \{-\frac{K}{M}, \frac{2K}{M}, -\frac{K}{M}\}, \{0, -\frac{K}{M}, \frac{K}{M}\}\}
In[24]:= MatrixForm[AA]
Out[24]//MatrixForm=

$$\begin{pmatrix} \frac{2K}{M} & -\frac{K}{M} & 0 \\ -\frac{K}{M} & \frac{2K}{M} & -\frac{K}{M} \\ 0 & -\frac{K}{M} & \frac{K}{M} \end{pmatrix}$$

```

## ■ Assegnazione valori numerici

```
In[25]:= l = 3;
In[26]:= b = 0.3;
In[27]:= h = 0.3;
In[28]:= Ine =  $\frac{bh^3}{12}$ 
Out[28]= 0.000675
In[29]:= El = 3 10^10
Out[29]= 30000000000
In[30]:= K =  $\frac{24ElIne}{l^3}$ 
Out[30]=  $1.8 \times 10^7$ 
In[31]:= M = 25000
Out[31]= 25000
```

In[32]:= Ci = .02

Out[32]= 0.02

## ■ Analisi modale

In[33]:= AA

Out[33]= {{1440., -720., 0.}, {-720., 1440., -720.}, {0., -720., 720.}}

In[34]:= eigens = Eigensystem[AA]

Out[34]= {{2337.83, 1119.57, 142.605}, {{-0.591009, 0.736976, -0.327985}, {0.736976, 0.327985, -0.591009}, {0.327985, 0.591009, 0.736976}}}

In[35]:= eigv1 = eigens[[2, 3]]

Out[35]= {0.327985, 0.591009, 0.736976}

In[36]:= eigv2 = eigens[[2, 2]]

Out[36]= {0.736976, 0.327985, -0.591009}

In[37]:= eigv3 = eigens[[2, 1]]

Out[37]= {-0.591009, 0.736976, -0.327985}

In[38]:= avet[1] = AppendColumns[{{0, 0}}, Table[{eigv1[[i]], i}, {i, 1, 3}]]

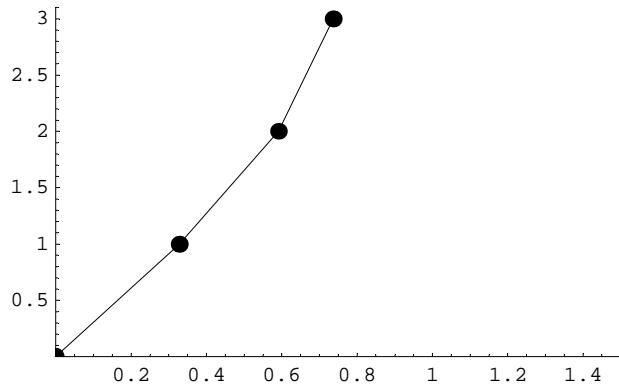
Out[38]= {{0, 0}, {0.327985, 1}, {0.591009, 2}, {0.736976, 3}}

In[39]:= plmodol[1] = ListPlot[avet[1], PlotJoined → True, PlotRange → {{0, 1.5}, {0, 3.1}}, DisplayFunction → Identity]

Out[39]= - Graphics -

In[40]:= plmodop[1] = ListPlot[avet[1], PlotStyle → PointSize[0.03], PlotRange → {{0, 1.5}, {0, 3.1}}, DisplayFunction → Identity];

In[41]:= Show[plmodol[1], plmodop[1], DisplayFunction → \$DisplayFunction]



Out[41]= - Graphics -

In[42]:= avet[2] = AppendColumns[{{0, 0}}, Table[{eigv2[[i]], i}, {i, 1, 3}]]

Out[42]= {{0, 0}, {0.736976, 1}, {0.327985, 2}, {-0.591009, 3}}

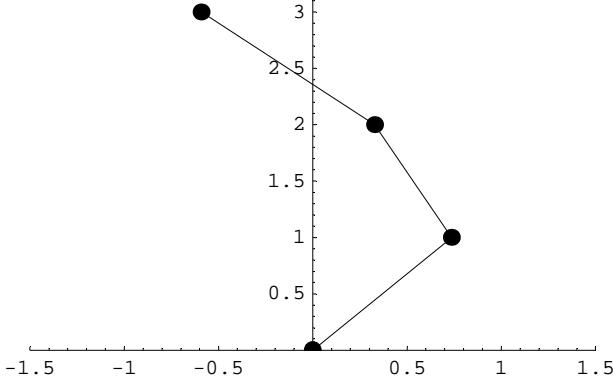
```
In[43]:= plmodol[2] = ListPlot[avet[2], PlotJoined → True,
    PlotRange → {{-1.5, 1.5}, {0, 3.1}}, DisplayFunction → Identity]
```

Out[43]= - Graphics -

```
In[44]:= plmodop[2] = ListPlot[avet[2], PlotStyle → PointSize[0.03],
    PlotRange → {{0, 1.5}, {0, 3.1}}, DisplayFunction → Identity]
```

Out[44]= - Graphics -

```
In[45]:= Show[plmodol[2], plmodop[2], DisplayFunction → $DisplayFunction]
```



Out[45]= - Graphics -

```
In[46]:= avet[3] = AppendColumns[{{0, 0}}, Table[{eigv3[[i]], i}, {i, 1, 3}]]
```

Out[46]= {{0, 0}, {-0.591009, 1}, {0.736976, 2}, {-0.327985, 3}}

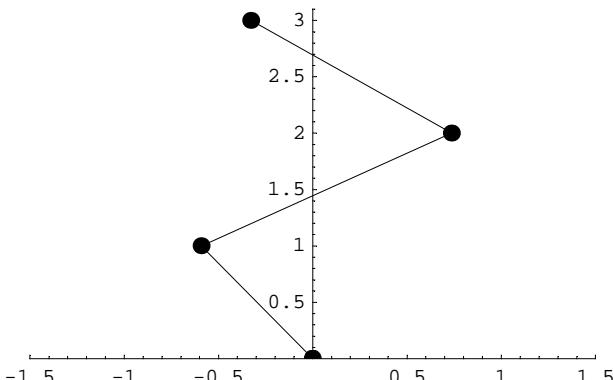
```
In[47]:= plmodol[3] = ListPlot[avet[3], PlotJoined → True,
    PlotRange → {{-1.5, 1.5}, {0, 3.1}}, DisplayFunction → Identity]
```

Out[47]= - Graphics -

```
In[48]:= plmodop[3] = ListPlot[avet[3], PlotStyle → PointSize[0.03],
    PlotRange → {{0, 1.5}, {0, 3.1}}, DisplayFunction → Identity]
```

Out[48]= - Graphics -

```
In[49]:= Show[plmodol[3], plmodop[3], DisplayFunction → $DisplayFunction]
```



Out[49]= - Graphics -

---

```

In[50]:=  $\Phi = \text{Transpose}[\{\text{eigv1}, \text{eigv2}, \text{eigv3}\}]$ 
Out[50]= {{0.327985, 0.736976, -0.591009}, {0.591009, 0.327985, 0.736976}, {0.736976, -0.591009, -0.327985}]

In[51]:= MatrixForm[ $\Phi$ ]
Out[51]//MatrixForm=

$$\begin{pmatrix} 0.327985 & 0.736976 & -0.591009 \\ 0.591009 & 0.327985 & 0.736976 \\ 0.736976 & -0.591009 & -0.327985 \end{pmatrix}$$


In[52]:= MatrixForm[KK]
Out[52]//MatrixForm=

$$\begin{pmatrix} 3.6 \times 10^7 & -1.8 \times 10^7 & 0 \\ -1.8 \times 10^7 & 3.6 \times 10^7 & -1.8 \times 10^7 \\ 0 & -1.8 \times 10^7 & 1.8 \times 10^7 \end{pmatrix}$$


In[53]:=  $\text{kmodal} = \text{Chop}[\text{Transpose}[\Phi].\text{KK}.\Phi, 10^{-6}]$ 
Out[53]= {{3.56512 \times 10^6, 0, 0}, {0, 2.79892 \times 10^7, 0}, {0, 0, 5.84456 \times 10^7} }

In[54]:= MatrixForm[kmodal]
Out[54]//MatrixForm=

$$\begin{pmatrix} 3.56512 \times 10^6 & 0 & 0 \\ 0 & 2.79892 \times 10^7 & 0 \\ 0 & 0 & 5.84456 \times 10^7 \end{pmatrix}$$


In[55]:=  $\text{mmodal} = \text{Chop}[\text{Transpose}[\Phi].\text{MM}.\Phi, 10^{-6}]$ 
Out[55]= {{25000., 0, 0}, {0, 25000., 0}, {0, 0, 25000.} }

In[56]:= MatrixForm[mmodal]
Out[56]//MatrixForm=

$$\begin{pmatrix} 25000. & 0 & 0 \\ 0 & 25000. & 0 \\ 0 & 0 & 25000. \end{pmatrix}$$


In[57]:=  $\mathbf{y}[t] = \{\mathbf{y}[1][t], \mathbf{y}[2][t], \mathbf{y}[3][t]\}$ 
Out[57]= {y[1][t], y[2][t], y[3][t]}

In[58]:= CC
Out[58]= {{0.04, -0.02, 0}, {-0.02, 0.04, -0.02}, {0, -0.02, 0.02} }

In[59]:=  $\text{cmodal} = \text{Chop}[\text{Transpose}[\Phi].\text{CC}.\Phi, 10^{-6}]$ 
Out[59]= {{0.00396125, 0, 0}, {0, 0.0310992, 0}, {0, 0, 0.0649396} }

In[60]:=  $\text{fmodal1} = \text{Chop}[\text{Transpose}[\Phi].\text{FF1}, 10^{-6}]$ 
Out[60]= {-5.90373 \times 10^6, -1.32656 \times 10^7, 1.06382 \times 10^7}

In[61]:=  $\text{fmodal2} = \text{Chop}[\text{Transpose}[\Phi].\text{FF2}, 10^{-6}]$ 
Out[61]= {-0.00655971, -0.0147395, 0.0118202}

```

Equazioni modali

```
In[62]:= eqdisacc = mmodal.D[Y[t], {t, 2}] + kmodal.Y[t] +
          cmodal.D[Y[t], {t, 1}] + fmodal1 xg[t] + fmodal2 xg'[t]

Out[62]= {-5.90373×106 xg[t] + 3.56512×106 y[1][t] -
          0.00655971 xg'[t] + 0.00396125 y[1]'[t] + 25000. y[1]''[t],
          -1.32656×107 xg[t] + 2.79892×107 y[2][t] - 0.0147395 xg'[t] + 0.0310992 y[2]'[t] +
          25000. y[2]''[t], 1.06382×107 xg[t] + 5.84456×107 y[3][t] +
          0.0118202 xg'[t] + 0.0649396 y[3]'[t] + 25000. y[3]''[t]}
```

## ■ Assegnazione terremoto

```
In[63]:= terr = << taftdis2;

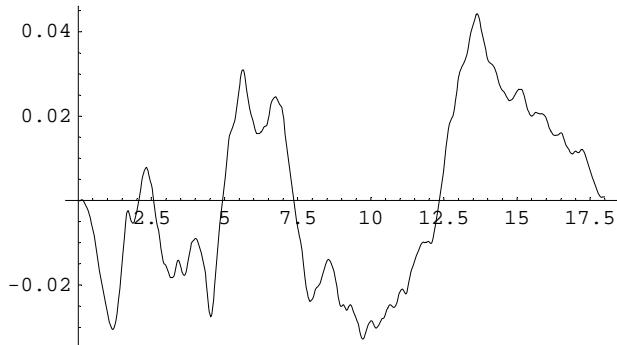
In[64]:= terr1 =
           Block[{t = -0.01, Δt = 0.01}, Table[{t = t + Δt, terr[[i]]}, {i, 1, Length[terr]}]];

In[65]:= xg = Interpolation[terr1]

Out[65]= InterpolatingFunction[{{0., 17.99}}, <>]
```

Spostamento al terreno

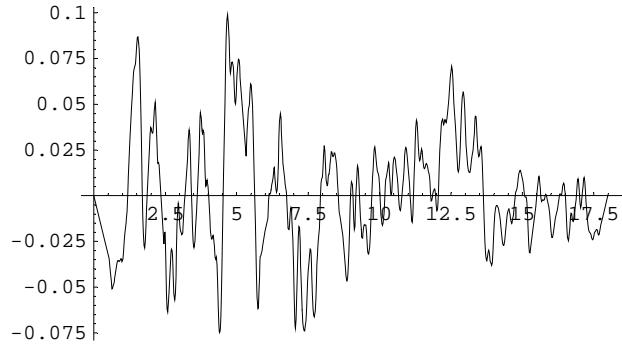
```
In[66]:= Plot[Evaluate[xg[t]], {t, 0, 17.99}]
```



```
Out[66]= - Graphics -
```

Velocità al terreno

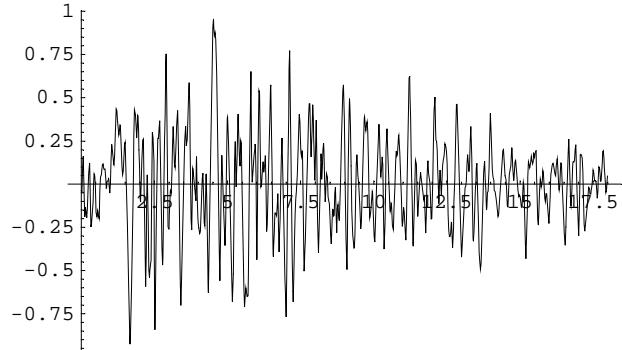
```
In[67]:= Plot[Evaluate[xg'[t]], {t, 0, 17.99}]
```



```
Out[67]= - Graphics -
```

Accelerazione al terreno

```
In[68]:= Plot[Evaluate[xg''[t]], {t, 0, 17.99}]
```



```
Out[68]= - Graphics -
```

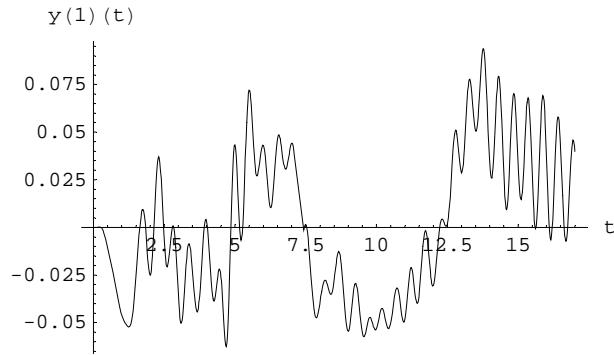
## ■ Risoluzione equazioni modali

Soluzione prima equazione modale

```
In[69]:= mod[1] = NDSolve[{eqdisacc[[1]] == 0, y[1][0] == 0, y[1]'[0] == 0,
y[1], {t, 17}, MaxSteps → maxpassi]
```

```
Out[69]= {{y[1] → InterpolatingFunction[{{0., 17.}}, <>]}}
```

```
In[70]:= Plot[Evaluate[y[1][t] /. mod[1]], {t, 0, 17}, AxesLabel -> {"t", "y(1)(t)"}]
```



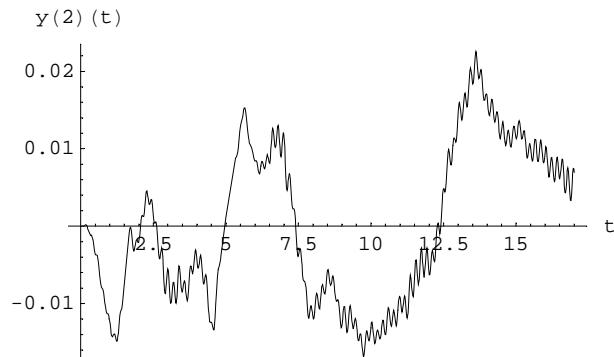
```
Out[70]= - Graphics -
```

Soluzione seconda equazione modale

```
In[71]:= mod[2] = NDSolve[{eqdisacc[[2]] == 0, y[2][0] == 0, y[2]'[0] == 0},  
y[2], {t, 0, 17}, MaxSteps -> maxpassi]
```

```
Out[71]= {{y[2] -> InterpolatingFunction[{{0., 17.}}, <>]}}
```

```
In[72]:= Plot[Evaluate[y[2][t] /. mod[2]], {t, 0, 17}, AxesLabel -> {"t", "y(2)(t)"}]
```



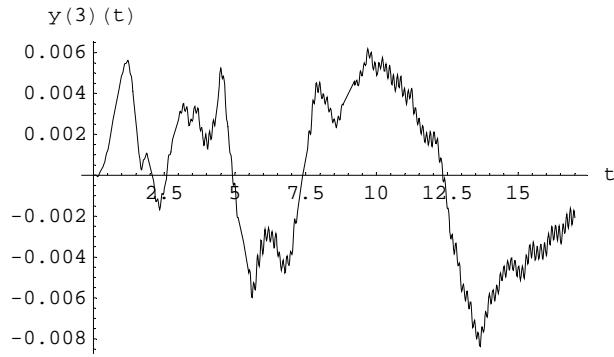
```
Out[72]= - Graphics -
```

Soluzione terza equazione modale

```
In[73]:= mod[3] = NDSolve[{eqdisacc[[3]] == 0, y[3][0] == 0, y[3]'[0] == 0},  
y[3], {t, 0, 17}, MaxSteps -> maxpassi]
```

```
Out[73]= {{y[3] -> InterpolatingFunction[{{0., 17.}}, <>]}}
```

```
In[74]:= Plot[Evaluate[y[3][t] /. mod[3]], {t, 0, 17}, AxesLabel -> {"t", "y(3)(t)"}]
```



```
Out[74]= - Graphics -
```

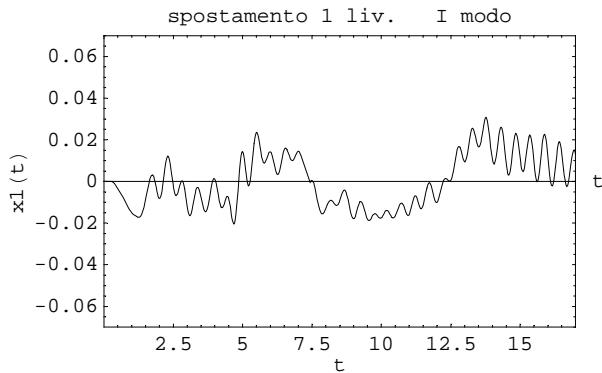
Ricostruzione dello stato

```
In[75]:= Φ.{y[1], y[2], y[3]}
```

```
Out[75]= {0.327985 y[1] + 0.736976 y[2] - 0.591009 y[3],  
0.591009 y[1] + 0.327985 y[2] + 0.736976 y[3],  
0.736976 y[1] - 0.591009 y[2] - 0.327985 y[3]}
```

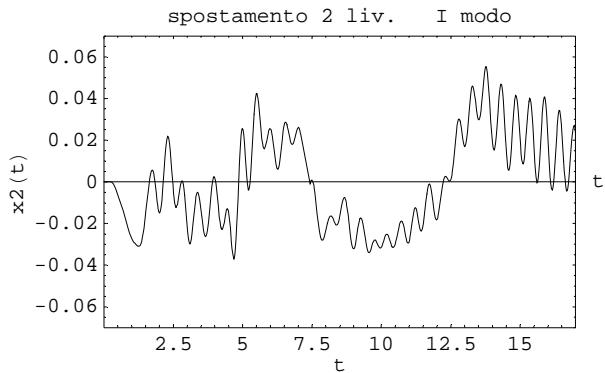
## ■ Stato con il solo primo modo

```
In[76]:= pl1x1 = Plot[Evaluate[(Φ[[1, 1]] y[1][t] /. mod[1])], {t, 0, 17},  
PlotRange -> {0, 17}, {-estrgraf, estrgraf}], AxesLabel -> {"t", "x1(t)"},  
Frame -> True, FrameLabel -> {"t", "x1(t)", "spostamento 1 liv. I modo", ""}]
```



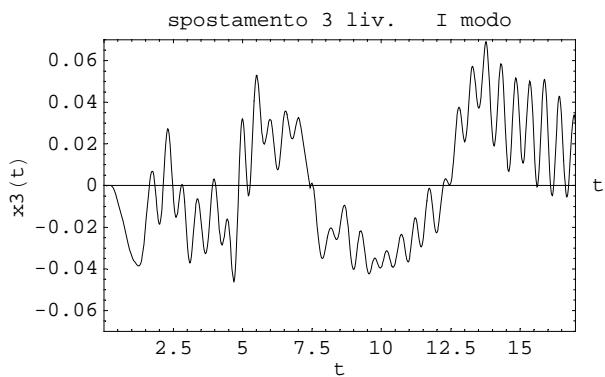
```
Out[76]= - Graphics -
```

```
In[77]:= pl1x2 = Plot[Evaluate[(#[[2, 1]] y[1][t] /. mod[1])], {t, 0, 17},
  PlotRange -> {{0, 17}, {-estrgraf, estrgraf}}, AxesLabel -> {"t", "x2(t)"}, 
  Frame -> True, FrameLabel -> {"t", "x2(t)", "spostamento 2 liv. I modo", ""}]
```



```
Out[77]= - Graphics -
```

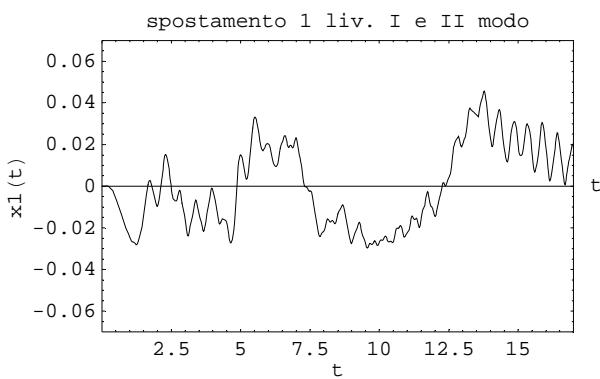
```
In[78]:= pl1x3 = Plot[Evaluate[(#[[3, 1]] y[1][t] /. mod[1])], {t, 0, 17},
  PlotRange -> {{0, 17}, {-estrgraf, estrgraf}}, AxesLabel -> {"t", "x3(t)"}, 
  Frame -> True, FrameLabel -> {"t", "x3(t)", "spostamento 3 liv. I modo", ""}]
```



```
Out[78]= - Graphics -
```

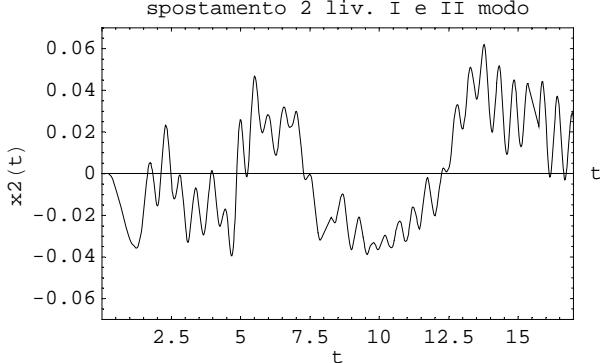
## ■ Stato con i primi due modi

```
In[79]:= pl2x1 = Plot[Evaluate[(#[[1, 1]] y[1][t] /. mod[1]) + (#[[1, 2]] y[2][t] /. mod[2])], {t, 0, 17}, PlotRange -> {{0, 17}, {-estrgraf, estrgraf}}, AxesLabel -> {"t", "x1(t)"}, Frame -> True, FrameLabel -> {"t", "x1(t)", "spostamento 1 liv. I e II modo", " "}]
```



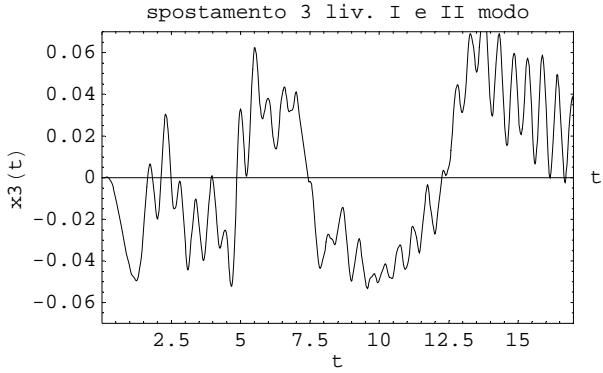
```
Out[79]= - Graphics -
```

```
In[80]:= pl2x2 = Plot[Evaluate[(#[[2, 1]] y[1][t] /. mod[1]) + (#[[2, 2]] y[2][t] /. mod[2])], {t, 0, 17}, PlotRange -> {{0, 17}, {-estrgraf, estrgraf}}, AxesLabel -> {"t", "x2(t)"}, Frame -> True, FrameLabel -> {"t", "x2(t)", "spostamento 2 liv. I e II modo", " "}]
```



```
Out[80]= - Graphics -
```

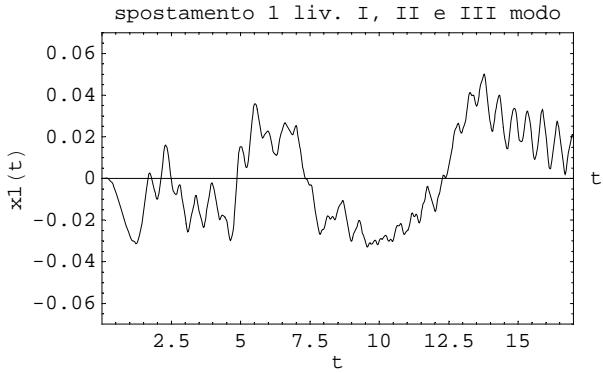
```
In[81]:= p12x3 = Plot[Evaluate[(#[[3, 1]] y[1][t] /. mod[1]) + (#[[3, 2]] y[2][t] /. mod[2])], {t, 0, 17}, PlotRange -> {0, 17}, {-estrgraf, estrgraf}], AxesLabel -> {"t", "x3(t)"}, Frame -> True, FrameLabel -> {"t", "x3(t)", "spostamento 3 liv. I e II modo", " "}]
```



```
Out[81]= - Graphics -
```

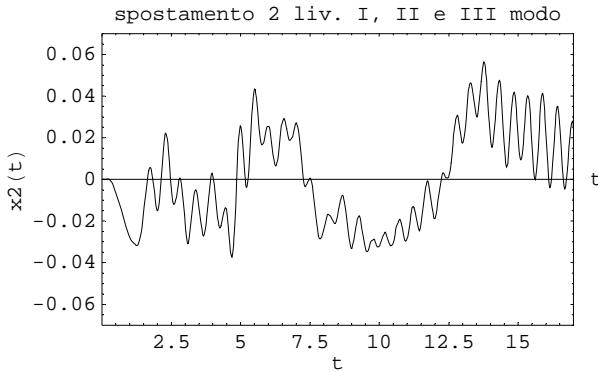
## ■ Stato con tutti e tre i modi

```
In[82]:= p13x1 = Plot[Evaluate[(#[[1, 1]] y[1][t] /. mod[1]) + (#[[1, 2]] y[2][t] /. mod[2]) + (#[[1, 3]] y[3][t] /. mod[3])], {t, 0, 17}, PlotRange -> {0, 17}, {-estrgraf, estrgraf}], AxesLabel -> {"t", "x1(t)"}, Frame -> True, FrameLabel -> {"t", "x1(t)", "spostamento 1 liv. I, II e III modo", " "}]
```



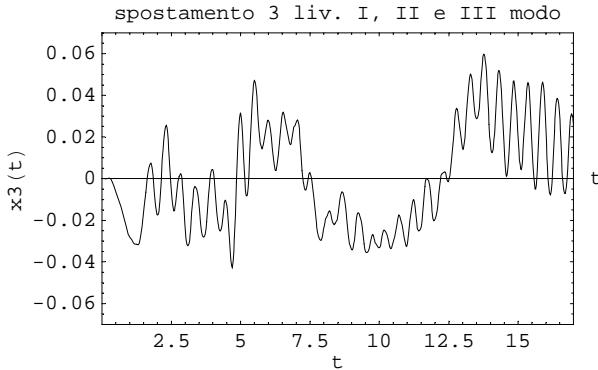
```
Out[82]= - Graphics -
```

```
In[83]:= p13x2 = Plot[Evaluate[(#[[2, 1]] y[1][t] /. mod[1]) +
    (#[[2, 2]] y[2][t] /. mod[2]) + (#[[2, 3]] y[3][t] /. mod[3])],
{t, 0, 17}, PlotRange -> {{0, 17}, {-estrgraf, estrgraf}},
AxesLabel -> {"t", "x2(t)"}, Frame -> True,
FrameLabel -> {"t", "x2(t)", "spostamento 2 liv. I, II e III modo", " "}]
```



Out[83]= - Graphics -

```
In[84]:= p13x3 = Plot[Evaluate[(#[[3, 1]] y[1][t] /. mod[1]) +
    (#[[3, 2]] y[2][t] /. mod[2]) + (#[[3, 3]] y[3][t] /. mod[3])],
{t, 0, 17}, PlotRange -> {{0, 17}, {-estrgraf, estrgraf}},
AxesLabel -> {"t", "x3(t)"}, Frame -> True,
FrameLabel -> {"t", "x3(t)", "spostamento 3 liv. I, II e III modo", " "}]
```



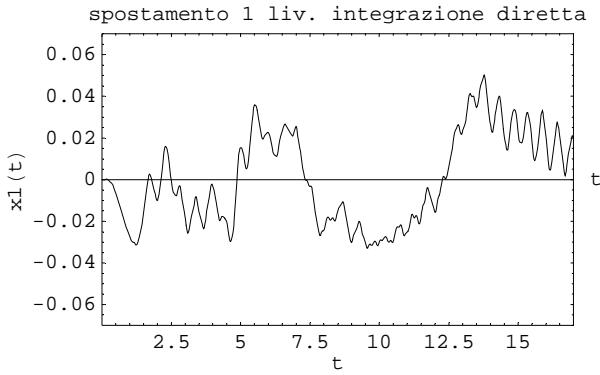
Out[84]= - Graphics -

## ■ Soluzione dell'equazione di partenza

```
In[85]:= soltot = NDSolve[{eq[1] == 0, eq[2] == 0, eq[3] == 0, x[1][0] == 0,
    x[1]'[0] == 0, x[2][0] == 0, x[2]'[0] == 0, x[3][0] == 0, x[3]'[0] == 0},
{x[1], x[2], x[3]}, {t, 0, 17}, MaxSteps -> maxpassi]
```

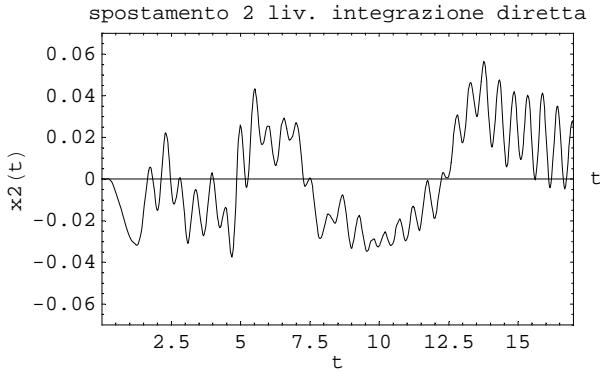
```
Out[85]= {x[1] -> InterpolatingFunction[{{0., 17.}}, <>],
    x[2] -> InterpolatingFunction[{{0., 17.}}, <>],
    x[3] -> InterpolatingFunction[{{0., 17.}}, <>]}
```

```
In[86]:= pltotx1 = Plot[Evaluate[x[1][t] /. soltot],
{t, 0, 17}, PlotRange -> {{0, 17}, {-estrgraf, estrgraf}},
AxesLabel -> {"t", "x1(t)"}, Frame -> True,
FrameLabel -> {"t", "x1(t)", "spostamento 1 liv. integrazione diretta", " "}]
```



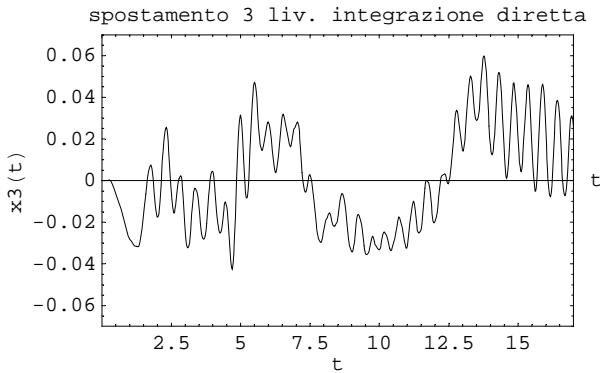
Out[86]= - Graphics -

```
In[87]:= pltotx2 = Plot[Evaluate[x[2][t] /. soltot],
{t, 0, 17}, PlotRange -> {{0, 17}, {-estrgraf, estrgraf}},
AxesLabel -> {"t", "x2(t)"}, Frame -> True,
FrameLabel -> {"t", "x2(t)", "spostamento 2 liv. integrazione diretta", " "}]
```



Out[87]= - Graphics -

```
In[88]:= pltotx3 = Plot[Evaluate[x[3][t] /. soltot],
{t, 0, 17}, PlotRange -> {{0, 17}, {-estrgraf, estrgraf}},
AxesLabel -> {"t", "x3(t)"}, Frame -> True,
FrameLabel -> {"t", "x3(t)", "spostamento 3 liv. integrazione diretta", " "}]
```



Out[88]= - Graphics -

## ■ Sovrapposizione

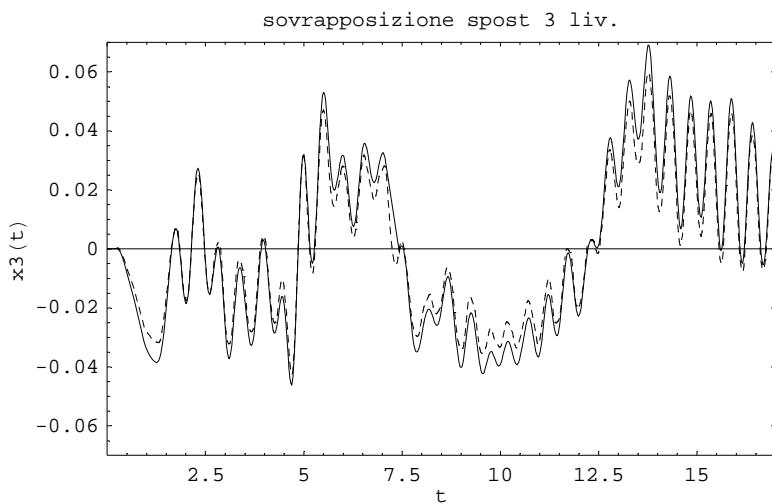
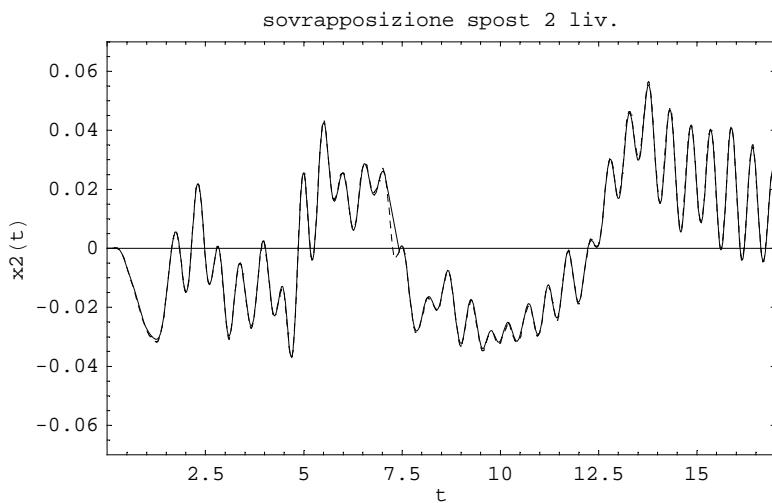
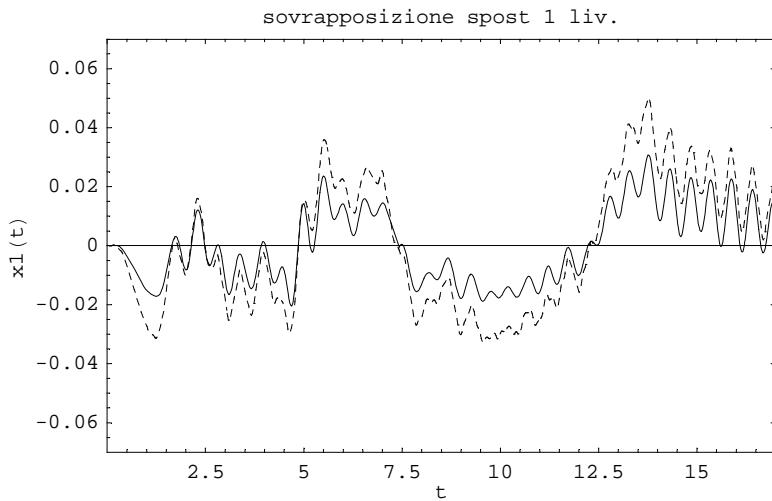
```
In[89]:= pltotx1r = Plot[Evaluate[x[1][t] /. soltot], {t, 0, 17},
  PlotRange -> {{0, 17}, {-estrgraf, estrgraf}}, Frame -> True,
  FrameLabel -> {"t", "x1(t)", "sovraposizione spost 1 liv.", " "},
  PlotStyle -> Dashing[{0.01, 0.01}], DisplayFunction -> Identity];

In[90]:= pltotx2r = Plot[Evaluate[x[2][t] /. soltot], {t, 0, 17},
  PlotRange -> {{0, 17}, {-estrgraf, estrgraf}}, Frame -> True,
  FrameLabel -> {"t", "x2(t)", "sovraposizione spost 2 liv.", " "},
  PlotStyle -> Dashing[{0.01, 0.01}], DisplayFunction -> Identity];

In[91]:= pltotx3r = Plot[Evaluate[x[3][t] /. soltot], {t, 0, 17},
  PlotRange -> {{0, 17}, {-estrgraf, estrgraf}}, Frame -> True,
  FrameLabel -> {"t", "x3(t)", "sovraposizione spost 3 liv.", " "},
  PlotStyle -> Dashing[{0.01, 0.01}], DisplayFunction -> Identity];
```

Soluzione dell'equazione di partenza e soluzione con il primo modo (a linea continua)

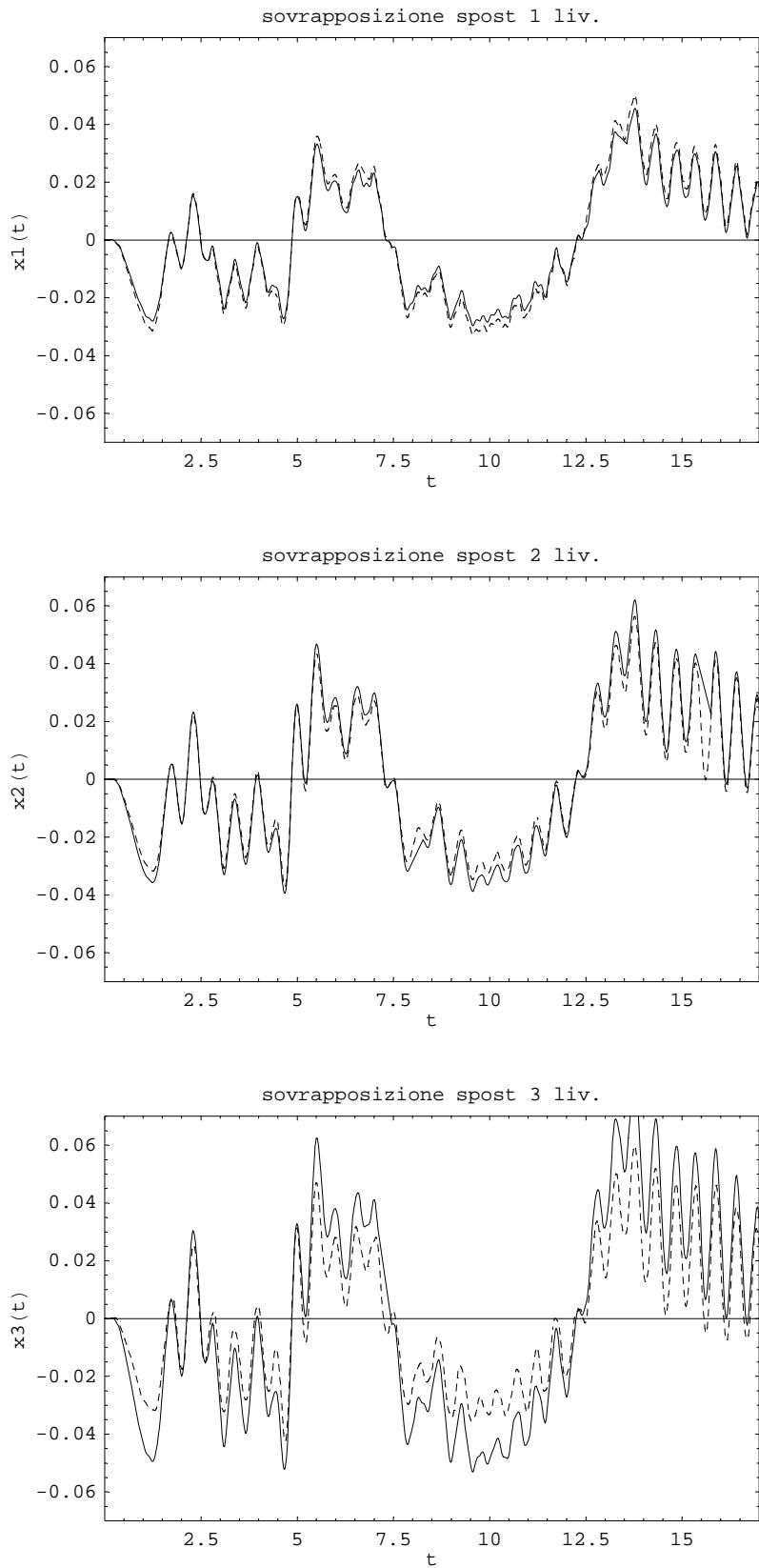
```
In[92]:= Show[GraphicsArray[{{Show[pltotx1r, p11x1]}, {Show[pltotx2r, p11x2]}, {Show[pltotx3r, p11x3]}}, DisplayFunction->$DisplayFunction]]
```



```
Out[92]= - GraphicsArray -
```

Soluzione dell'equazione di partenza e soluzione con il primo e secondo modo (a linea continua)

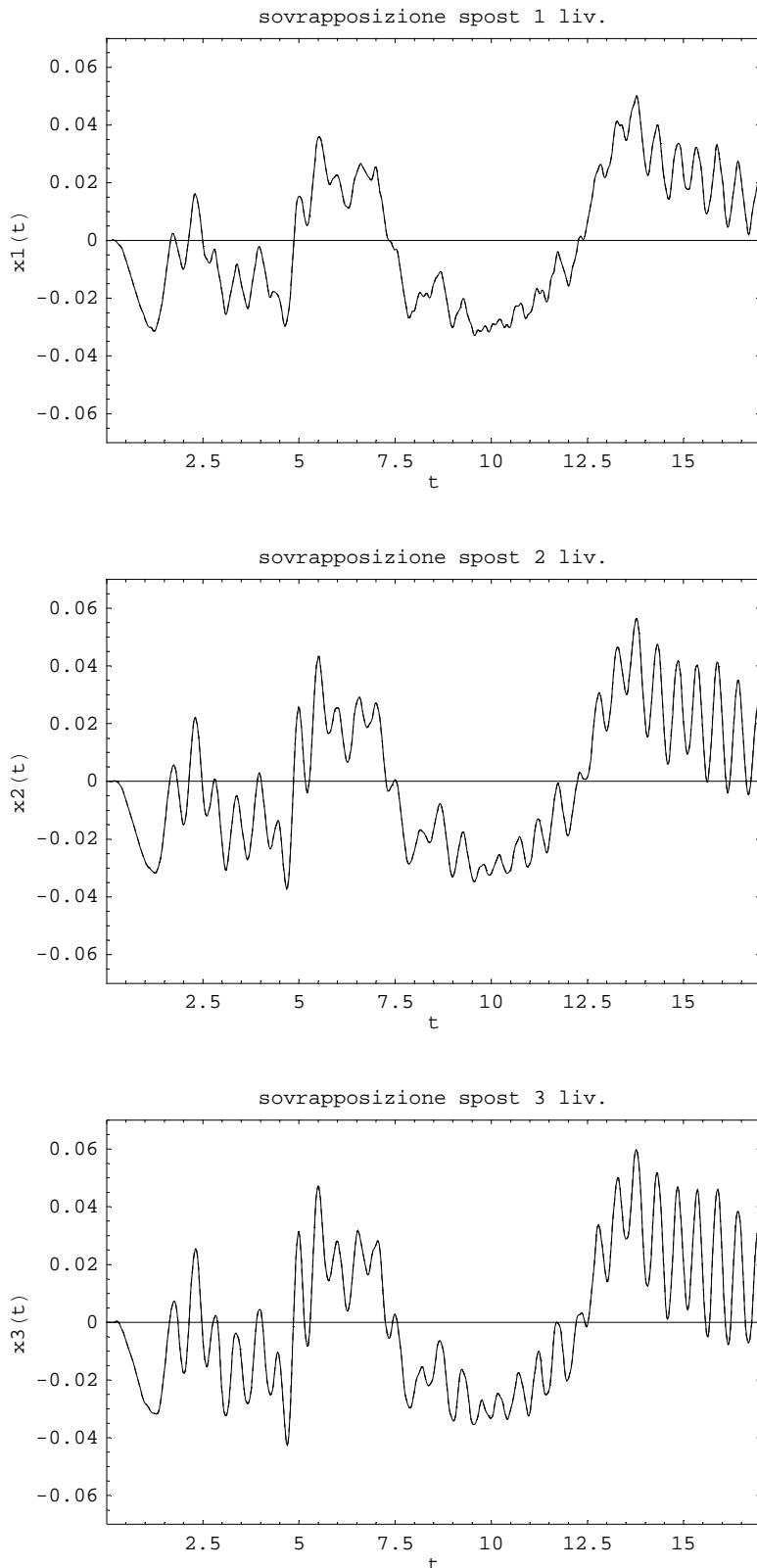
```
In[93]:= Show[GraphicsArray[{{Show[pltotx1r, pl2x1]}, {Show[pltotx2r, pl2x2]}, {Show[pltotx3r, pl2x3]}}, DisplayFunction->$DisplayFunction]]
```



Out[93]= - GraphicsArray -

Soluzione dell'equazione di partenza e soluzione con il primo, secondo e terzo modo (a linea continua)

```
In[94]:= Show[GraphicsArray[{{Show[pltotx1r, p13x1]}, {Show[pltotx2r, p13x2]}, {Show[pltotx3r, p13x3]}}, DisplayFunction->$DisplayFunction]]
```



```
Out[94]= - GraphicsArray -
```