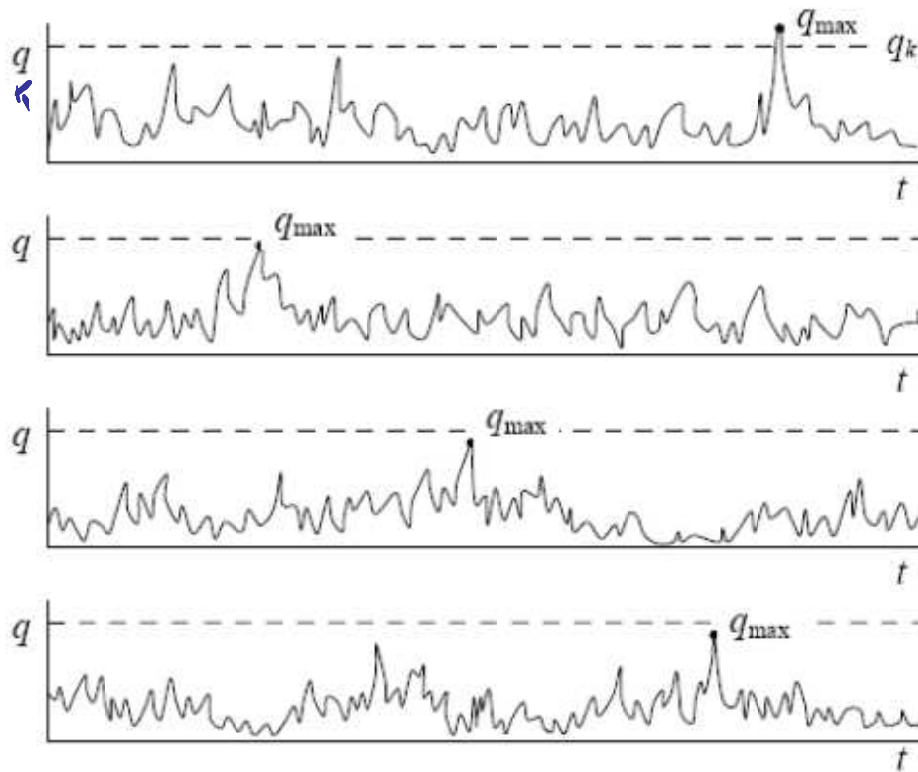


q_k



5%

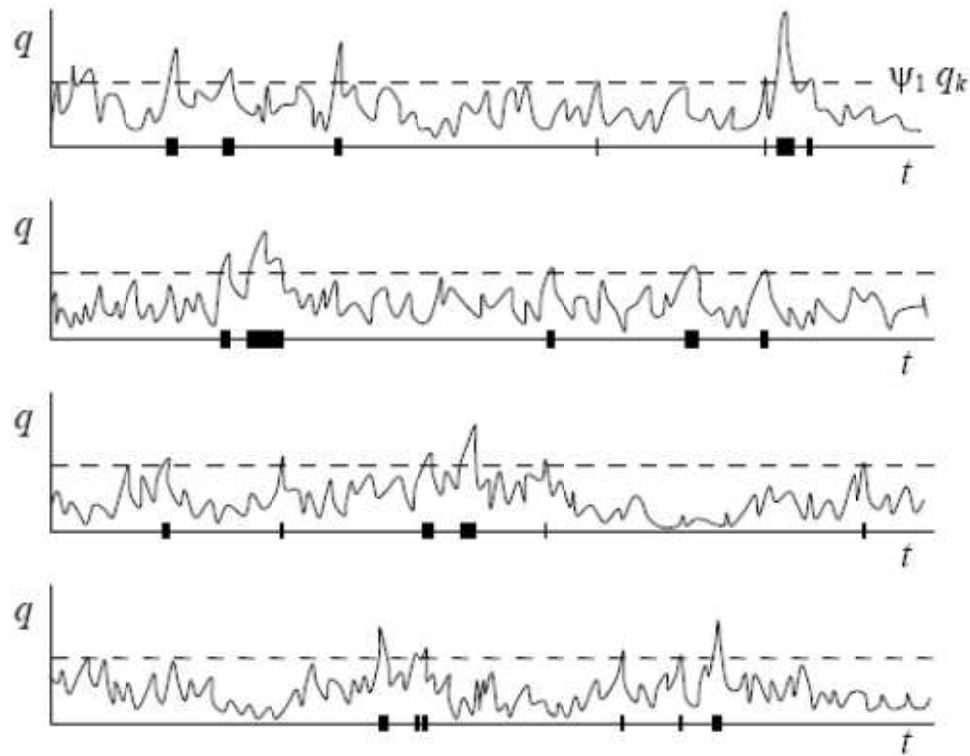
valore
caratteristico

frequenza 95%

95%

dei massimi.

carichi variabili nel tempo.



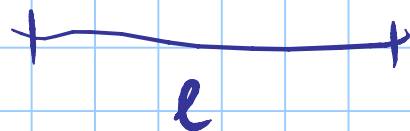
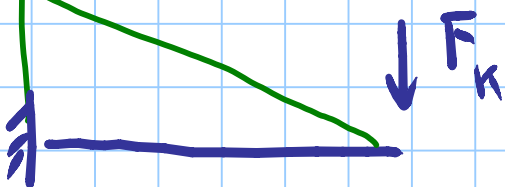
valore
frequente $\psi_1 q_k$

nel 95% del tempo
il carico è minore

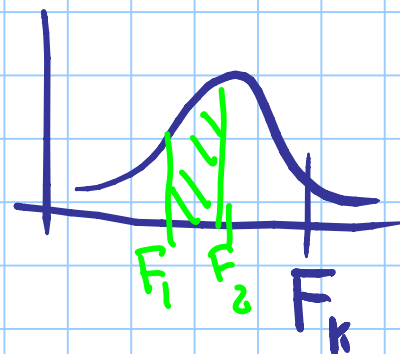
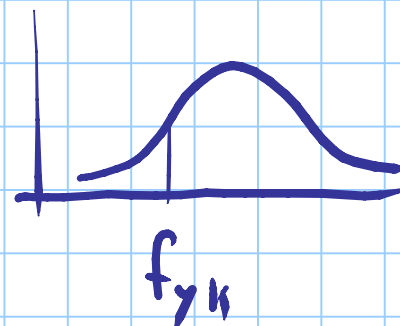
valore quasi permanente \rightarrow media nel tempo $\psi_2 q_k$

$$M_{max} = F \ell$$

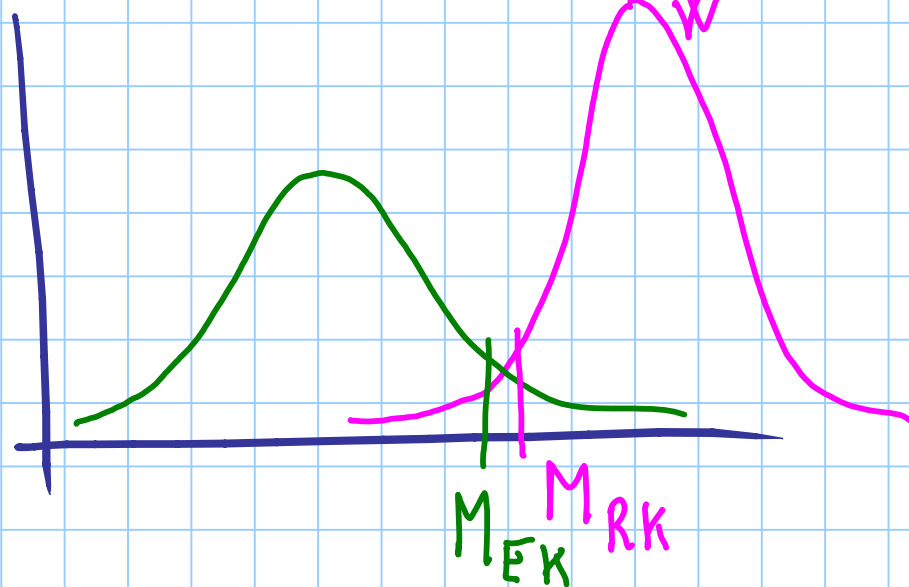
$$M_E$$



I f_{yk}

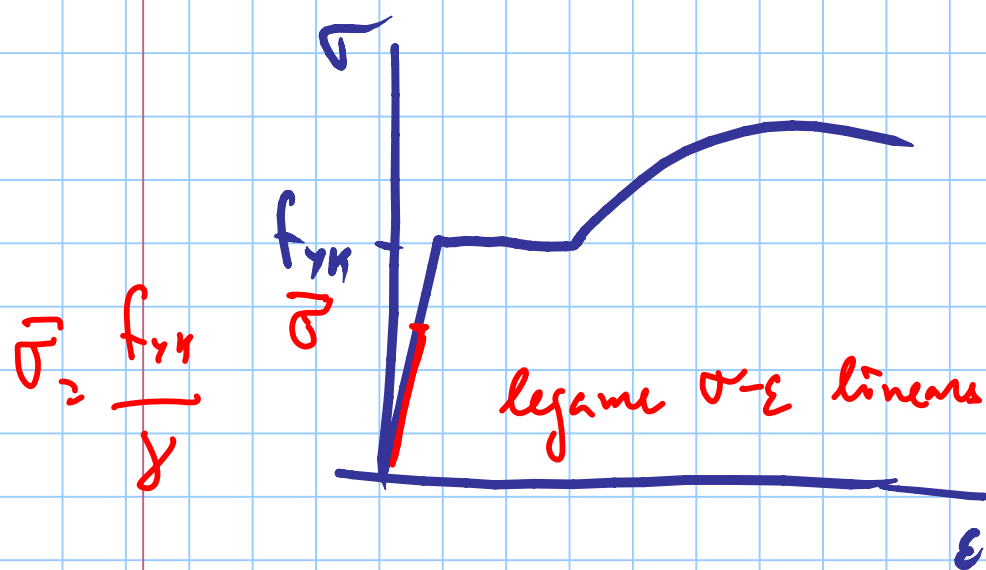


$$\sigma = \frac{M}{W} \Rightarrow M_R = W \sigma$$



FARE RIFERIMENTO A q_k f_{yk}
non da sufficiente sicurezza

1) USARE UN FATTORE DI SICUREZZA PER σ

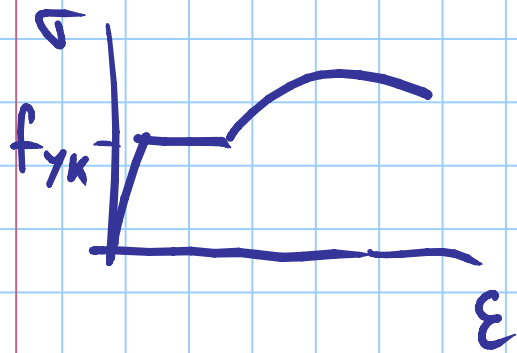


$\bar{\sigma}$ Tensione ammissibile

VERIFICA: $\sigma \leq \bar{\sigma}$

METODO DELLE
TENSIONI AMMISSIBILI

2) CALCOLO A ROTTURA



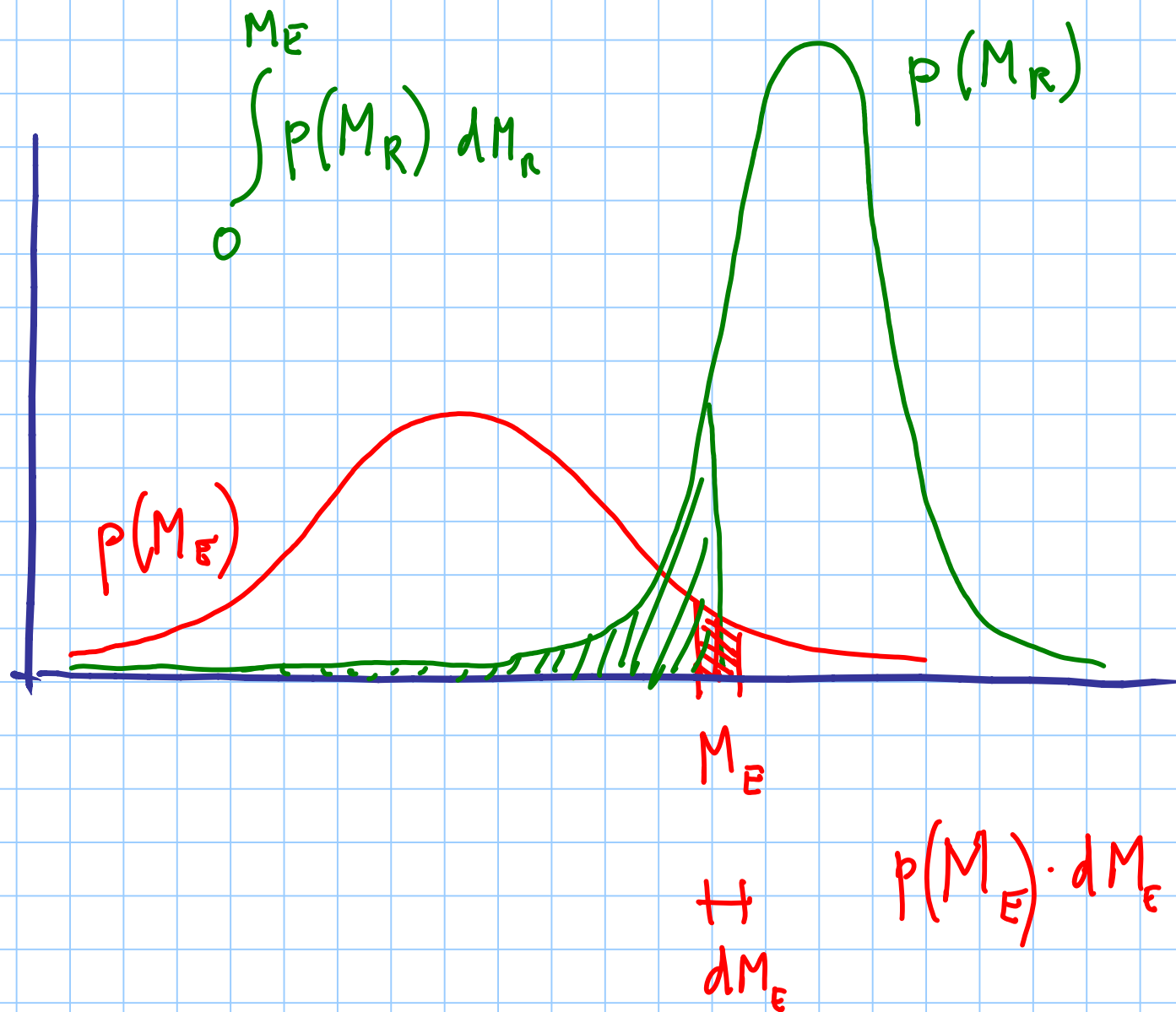
I

M_u momento flessionale
di collasso

$$M_E(q_k) \leq \frac{M_u(f_{tk})}{\gamma}$$

comport.
non lineare

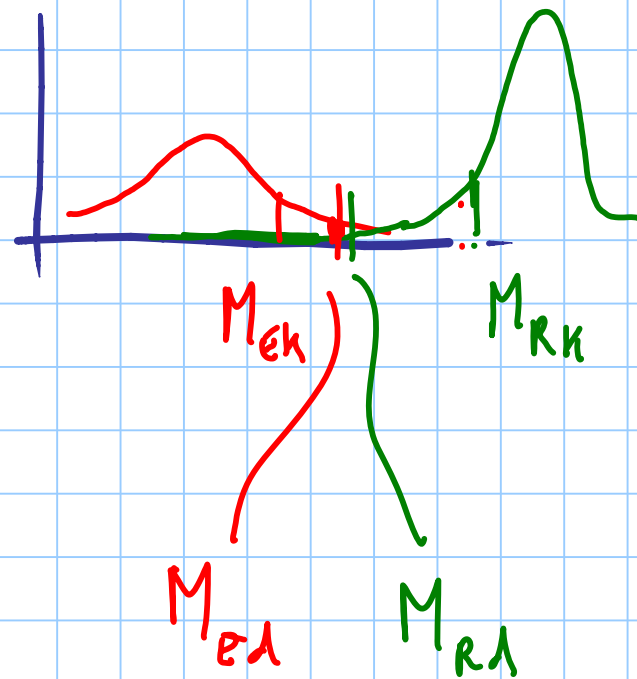
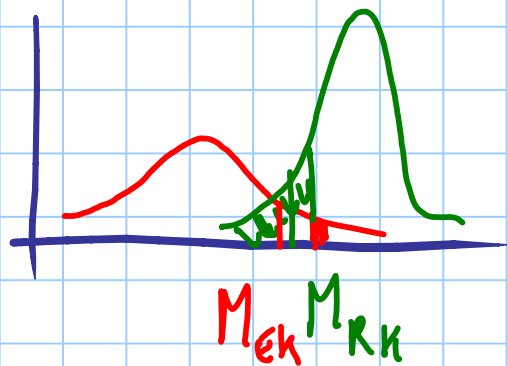
$$M_E(q_k \cdot \gamma) \leq M_u(f_{yk})$$



$$\int_{M_i=0}^{\infty} p(M_E) dM_E \cdot \int_0^{M_E} p(M_R) dM_R$$

PROBABILITA' DI COLLASSO

3) METODO SEMIPROBABILISTICO



usare

carico

q_k

fettile 55%

\Downarrow

q_d

fettile 99.9% • ancora di più

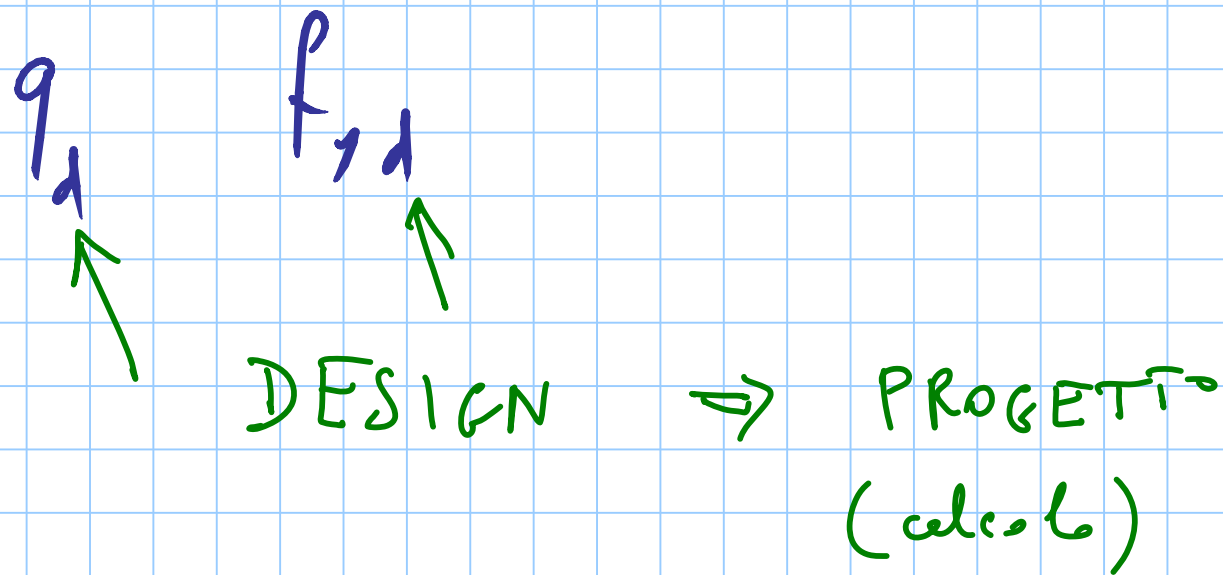
resistenza

f_{yk}

fettile 5%

f_{yd}

fettile 0.1% • ancora di meno



$$q_d = q_k \gamma_q$$

$$f_{y,d} = \frac{f_{yk}}{\gamma_m}$$

METODO DEI
COEFFICIENTI
PARZIALI

CARICHI

g_k

q_k

$$g_d = g_k \gamma_g$$

↓

OGGI

1.3

$$q_d = q_k \gamma_q$$

↓

1.5

RESISTENZE

f_{yk}

CARP. MET.

$$f_{yd} = \frac{f_{yk}}{\gamma_M}$$

← γ_{M0} 1.05
 γ_{M1}
 γ_{M2} 1.25

quale legge costitutiva?

NON LINEARE

acciaio: quale f di riferimento?

in genere f_y

⇓

in alcuni casi f_u



$$f_{yd} = \frac{f_{yk}}{\gamma_{M0}}$$

$$f_{td} = \frac{f_{uk}}{\gamma_{M2}} \left. \begin{array}{l} \text{deformata.} \\ \text{in zone} \\ \text{molto} \\ \text{piccole} \end{array} \right\}$$