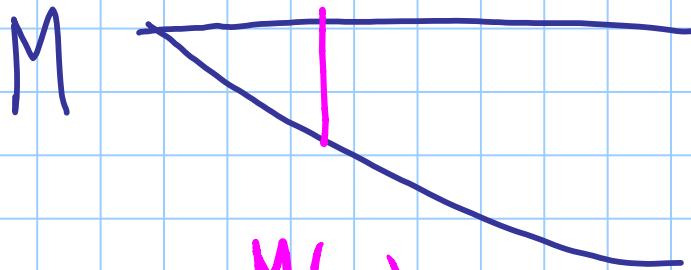
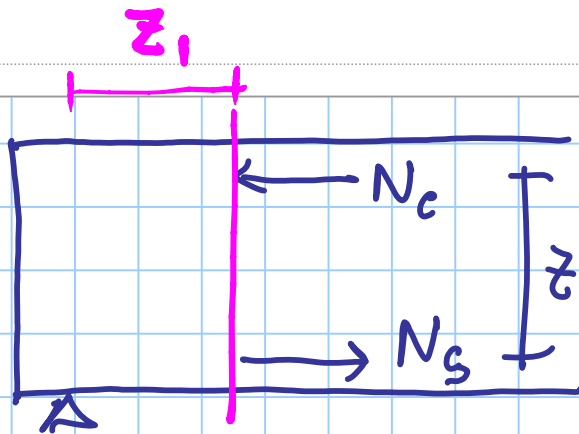


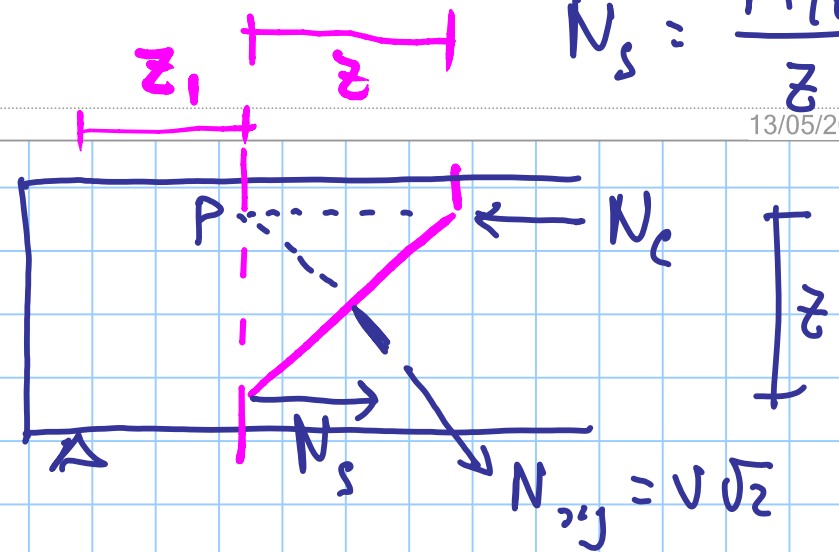
①



$M(z_1)$

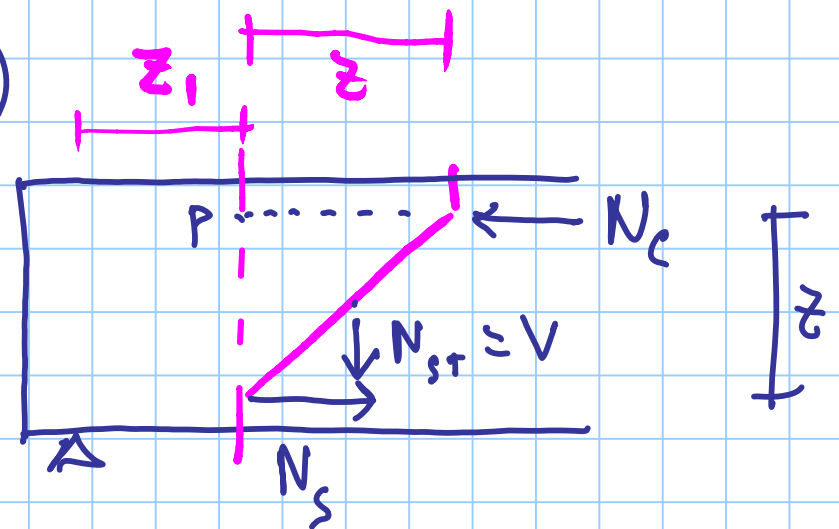
$$N_s = \frac{M(z_1)}{z}$$

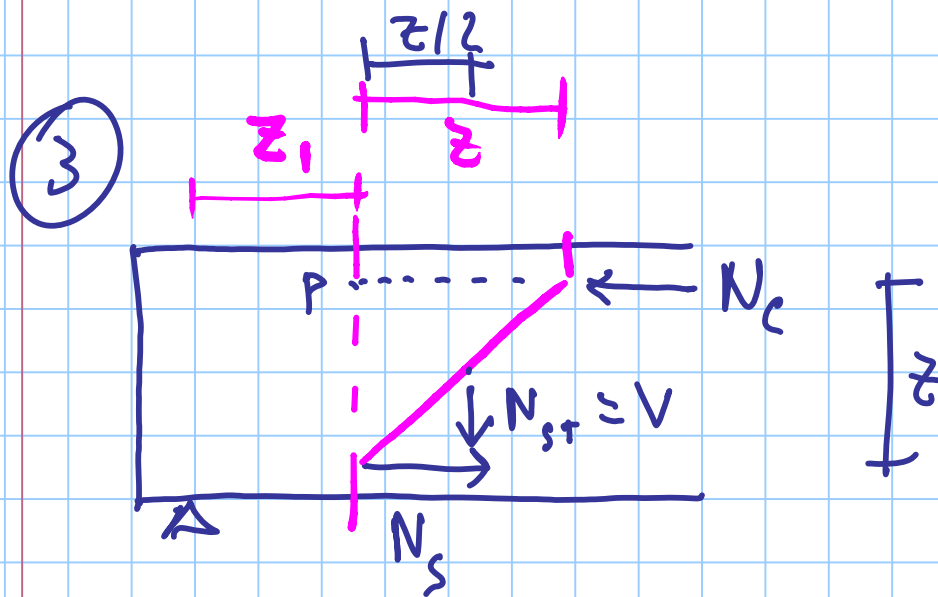
②



$$N_s = \frac{M(z_1)}{z}$$

③



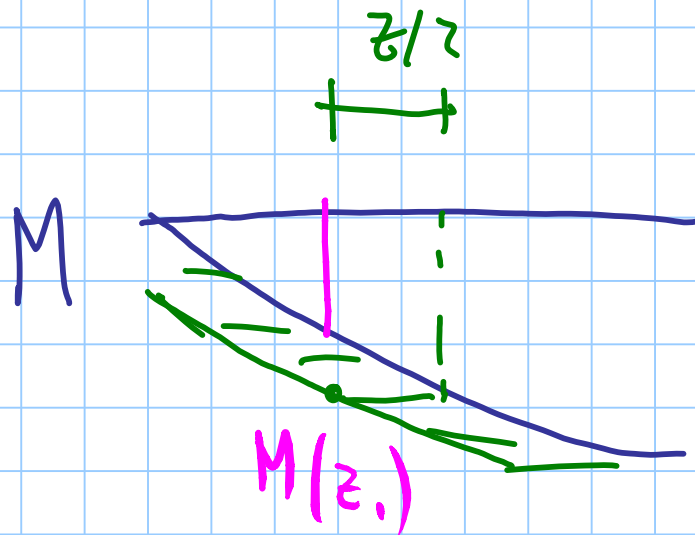


$$V = \frac{dM}{dz}$$

$$M(z_1) = N_s z - V \frac{z}{2}$$

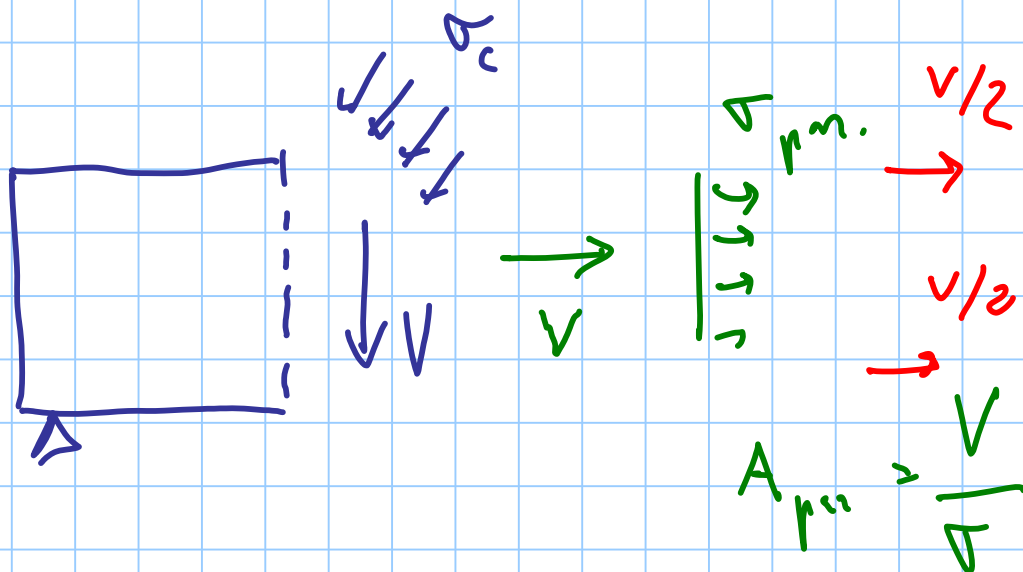
$$N_s = \frac{M(z_1) + V \frac{z}{2}}{z} = \frac{M(z_1)}{z} + \frac{V}{2} = \frac{M\left(z_1 + \frac{z}{2}\right)}{z}$$

TRASLAZIONE DEL DIAGR. MOMENT.



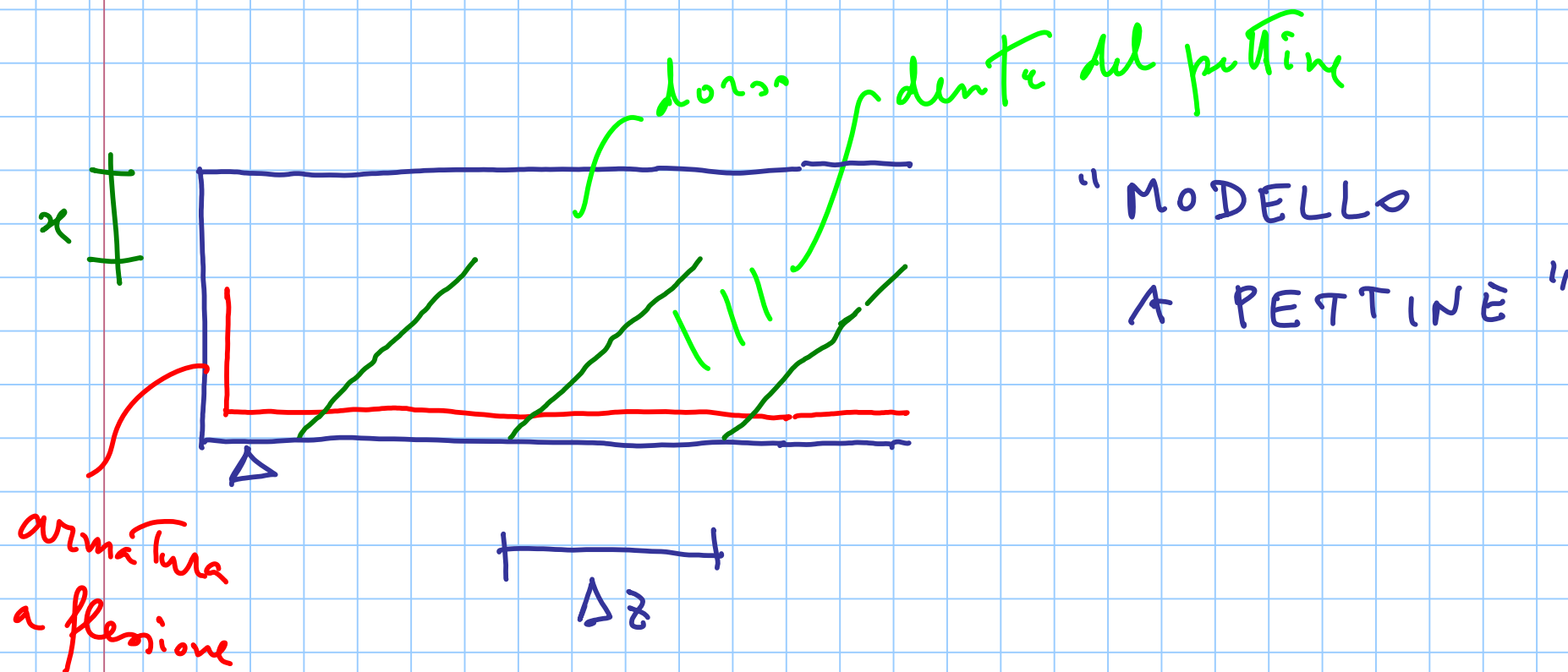
$$N_s = \frac{M(z_i)}{z}$$

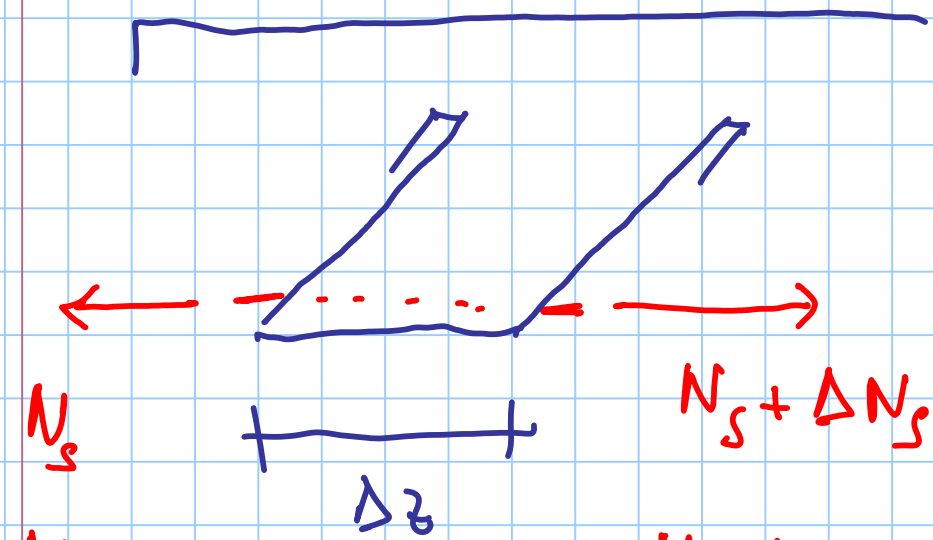
dal modello di
campi di tensione



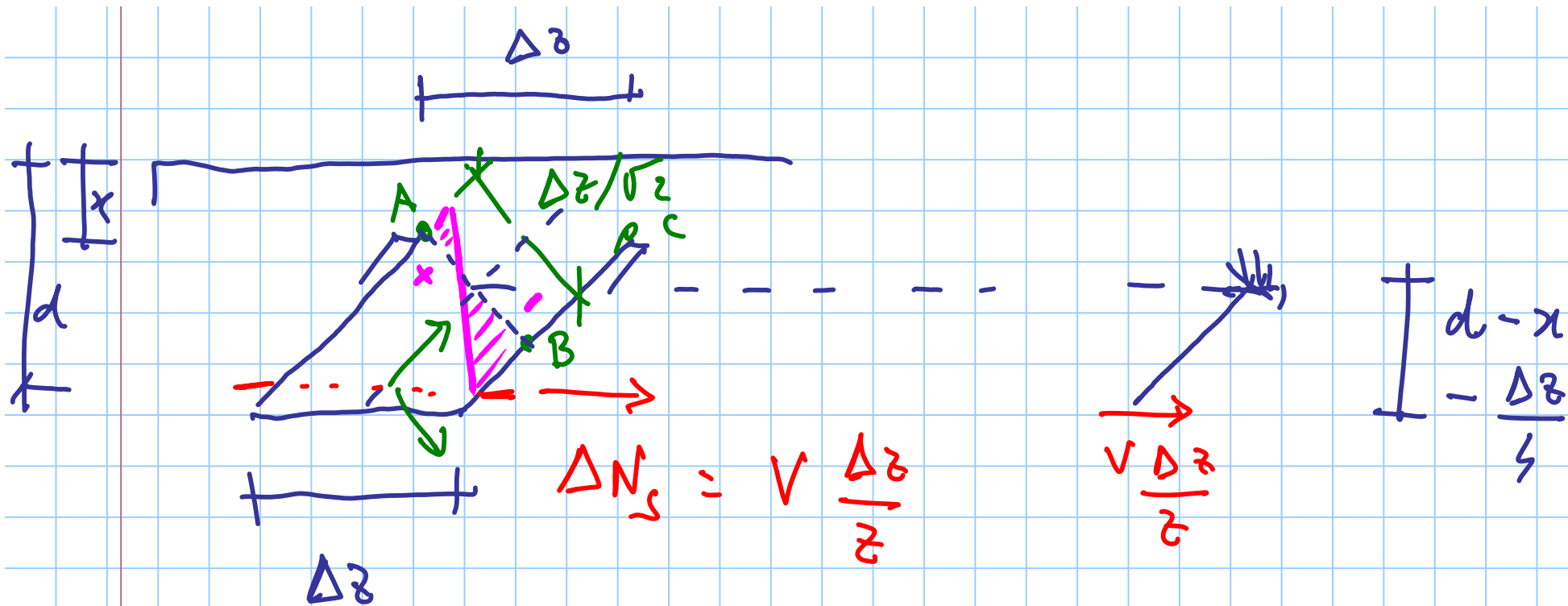
STATO LIMITE ULTIMO

— Resistenza $\leq V$ in assenza di armature $\leq T_{ph}$

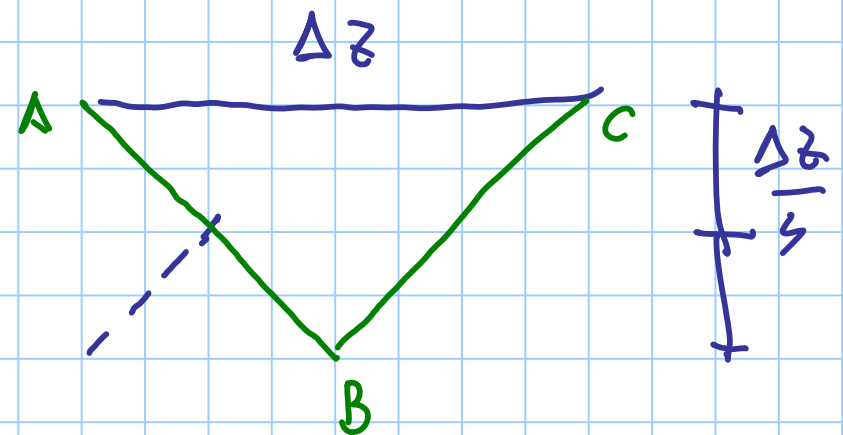




$$\frac{M + \Delta M}{z} = \frac{M + V\Delta z}{z}$$



IL DENTE È SOGGETTO
A PRESSOFLESSIONE



la sezione AB è soggetta a:

$$N = -\frac{N_s}{\sqrt{2}} = -\frac{V \Delta z}{z \sqrt{2}}$$

$$\sigma = \frac{N}{A} + \frac{M}{W}$$

$$M = \frac{V \Delta z}{z} \left(d - x - \frac{\Delta z}{4} \right)$$

$$A = b \frac{\Delta z}{\sqrt{2}}$$

$$W = b \left(\frac{\Delta z}{\sqrt{2}} \right)^2 \frac{1}{6} = \frac{b \Delta z^2}{12}$$

si assume

$$\Delta z = d$$

$$x = 0,2 d$$

$$z = 0,9 d$$

$$N \approx -\frac{V}{0.9\sqrt{2}} \approx -0.786 \text{ V}$$

$$M \approx \frac{V}{0.9} \cdot 0.55d \approx 0.611 \text{ Vd}$$

$$A \approx 0.707 \text{ b d}$$

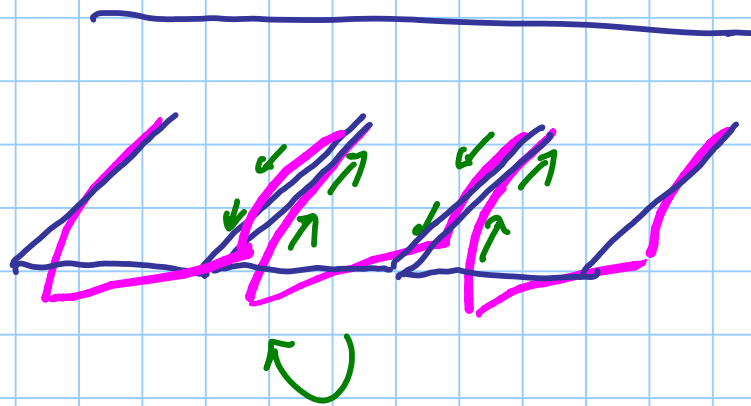
$$W \approx 0.0833 \text{ b d}^2$$

$$\sigma \approx \frac{-0.786 \text{ V}}{0.707 \text{ b d}} + \frac{0.611 \text{ Vd}}{0.0833 \text{ b d}} \approx 6.2 \frac{\text{V}}{\text{b d}} \leq f_{cf} d$$

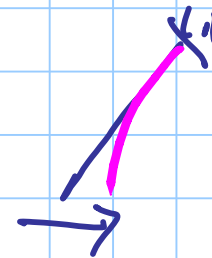
~ 1.112
 7.335
 $1.6 f_{ct} d$

$$V \leq \frac{1.6}{6.2} f_{ctd} b d \approx 0.25 b d f_{ctd}$$

ALTRI CONTRIBUTI ALLA RESISTENZA



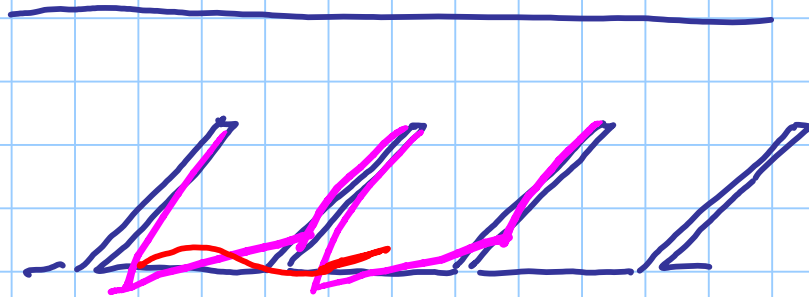
riduce
M



dipende da
h

INGRANAMENTO
DEGLI INERTI

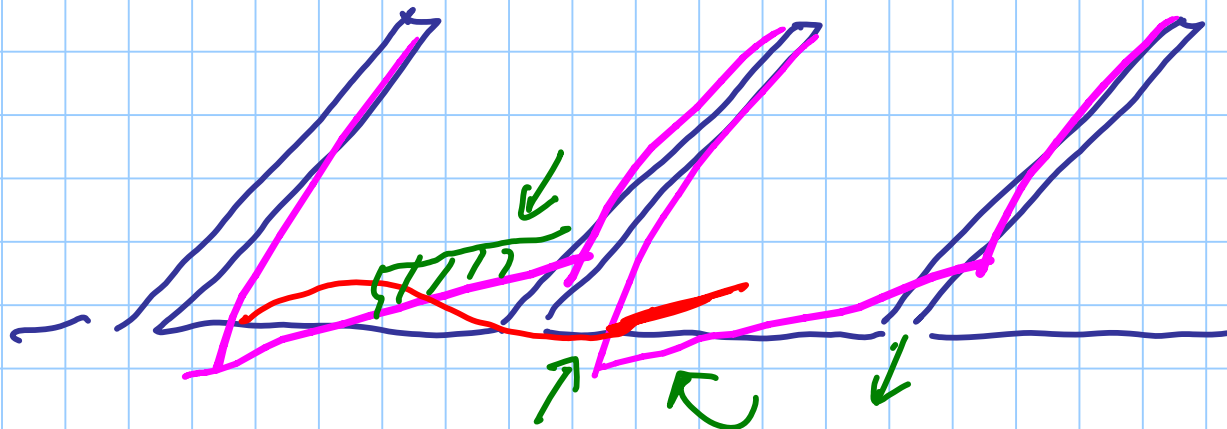
se ne tiene conto mediante
un moltiplicatore k $1 < k < 2$

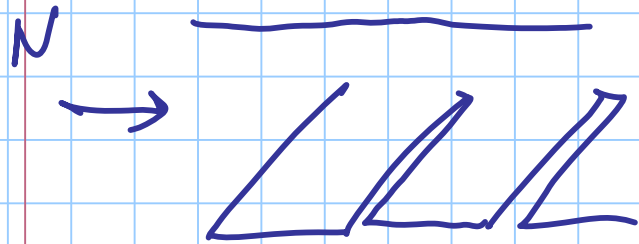


EFFETTO SPINOTTO

dipende da A_s
(e da f_{ct})

$$\rho = \frac{A_s}{b d}$$





EFFETTO DI N

compression \rightarrow aument α

dente più corto \rightarrow sta meglio

trazione \rightarrow riduce α

dente più lungo \rightarrow sta peggio

(si può sempre anche il contrario)

$$V_{Rd,c} = \left[\underbrace{\frac{0.18}{\gamma_c} K \sqrt[3]{100 \rho_l f_{ck}}}_{0.035 \sqrt{K^3 \rho_{ck}}} + 0.15 \sigma_{cp} \right] b d$$

$$0.035 \sqrt{K^3 \rho_{ck}}$$

$$\rho_l = \frac{A_s}{b d} \leq 0.02$$

$$\rho_l = \text{MIN} \left(\frac{A_s}{b d} ; 0.02 \right)$$

$$K = 1 + \sqrt{\frac{200}{d}} \leq 2$$

↓ mm

$$\sigma_{cp} = \frac{-N}{A_c} \leq 0.2 f_{cd}$$