

H_p

- 1) mantenimento sezione piana — diag. ϵ lineare
- 2) perfetta adesione — $\epsilon_c = \epsilon_s$

modello
di comp. r.

- 1) cls lineare, resistente a trazione

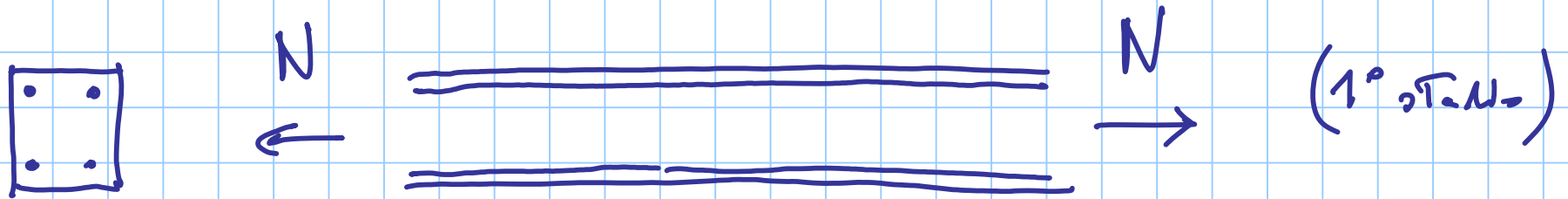
omogeneizzazione

$$\varepsilon_s = \varepsilon_c$$

coeff. di omogeneizzazione

$$\sigma_s = n \sigma_c$$

$$n = \frac{E_s}{E_c}$$



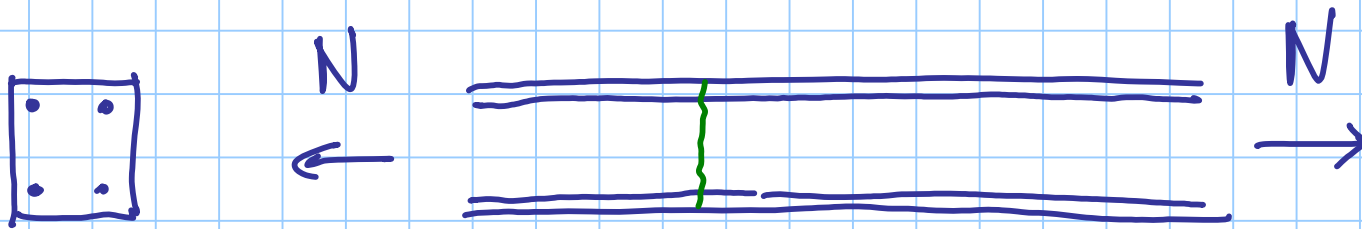
$$\sigma_c = \frac{N}{A} = \frac{N}{A_c + n A_s}$$

$$\varepsilon_c = \frac{\sigma_c}{E_c} = \frac{N}{E_c A_c + E_s A_s}$$

$$\sigma_s = n \sigma_c$$

resistenza a trazione del cls

f_{ct}



ϵ_c f_{ct}

$$N_r = (A_c + n A_s) f_{ct}$$

in campo della fessura

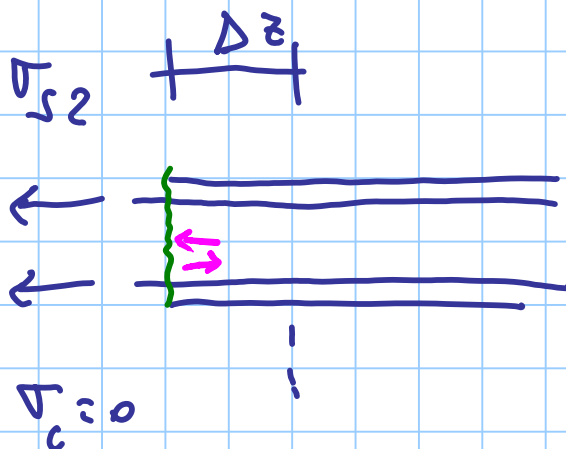
2' e 4'

$$\sigma_s = \frac{N}{A_s}$$

$$\epsilon_s = \frac{N}{E_s A_s}$$

σ_{s2}
 \uparrow
 2° m.d.

$$N = N_2$$



f_b

Tensioni di adesione

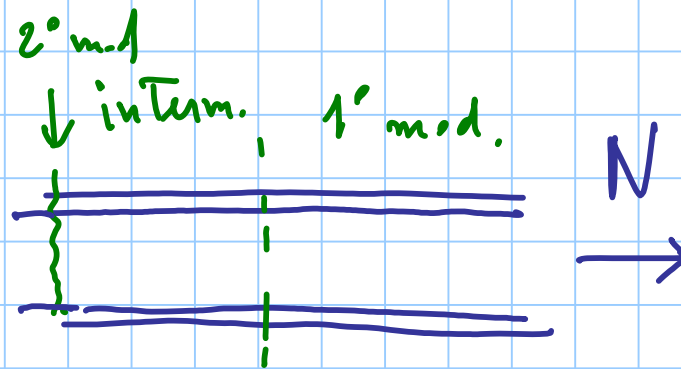
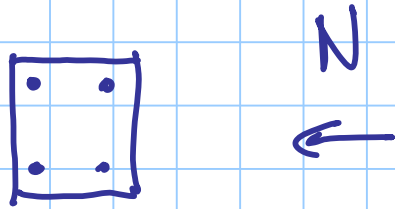
a distanza
 Δz

$$f_b \cdot n \cdot \pi \phi \cdot \Delta z$$

forza risultante
 delle tensioni di adesione

per cui

$$\sigma_c = \frac{f_b \cdot n \cdot \pi \phi \cdot \Delta z}{A_{c, eff}}$$

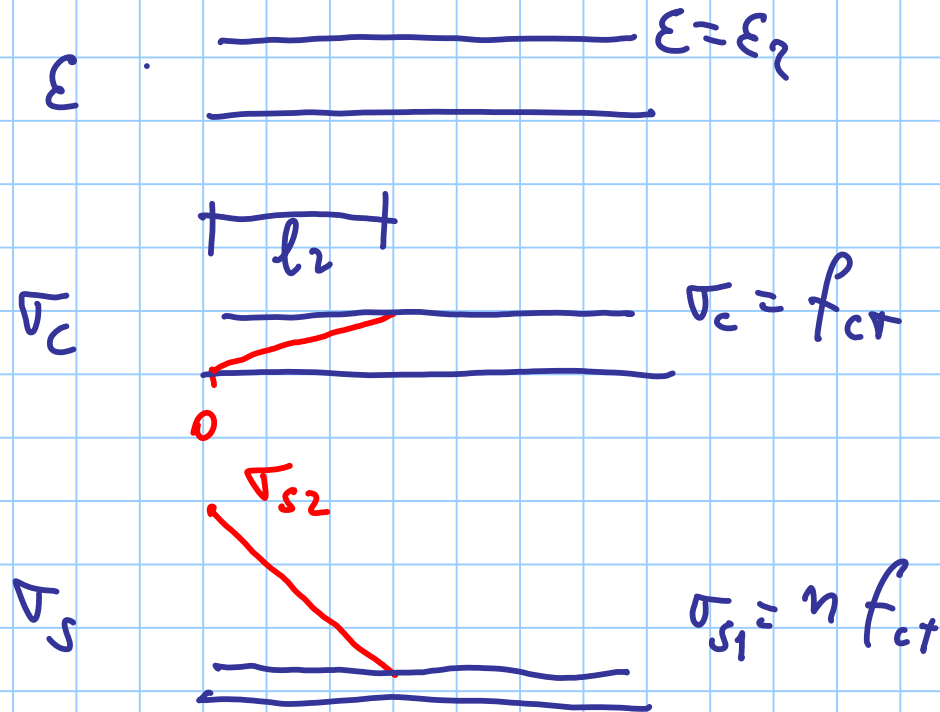


$$N \leq N_2 \quad (N = N_2)$$

$$\varepsilon_2 = \frac{f_{ct}}{E_0}$$

$$N \geq N_2 \quad (N = N_2)$$

SCALA
DIVERSA



$$\sigma_c = \frac{f_b n \pi \phi \Delta z}{A_{c,eff}}$$

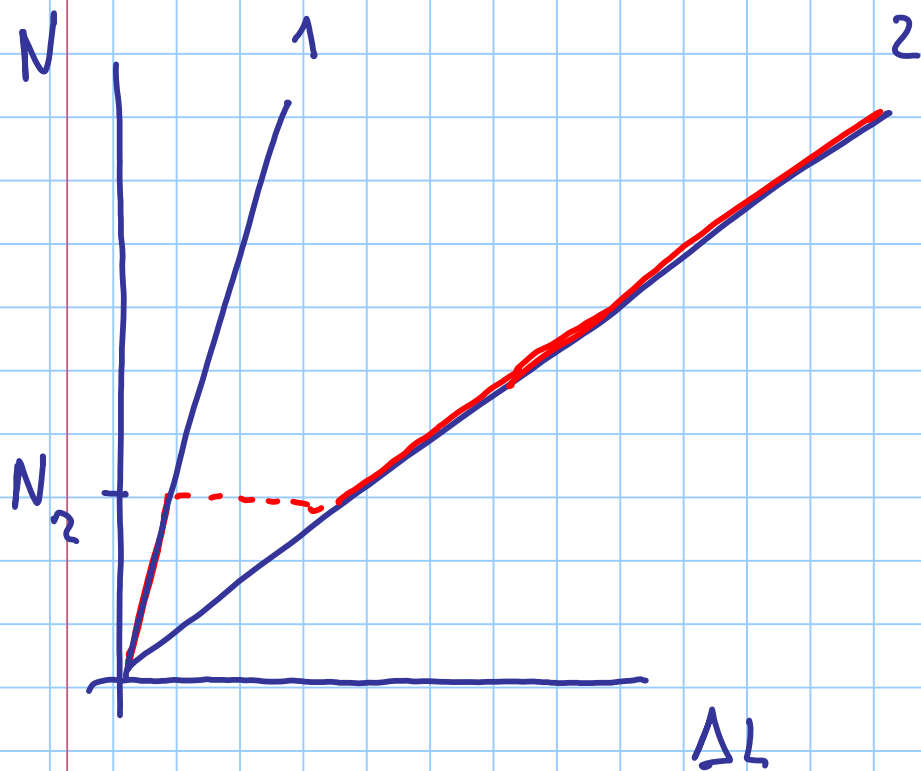
$$\Rightarrow \sigma_c = f_{ct}$$

$$l_2 = \frac{f_{ct} A_{c,eff}}{f_b n \pi \phi} \cdot \frac{n \pi \phi^2 / 4}{A_s}$$

$$A_s = n \frac{\pi \phi^2}{4}$$

$$l_2 = \frac{1}{4} \frac{f_{ct}}{f_b} \frac{\phi}{\rho_{eff}}$$

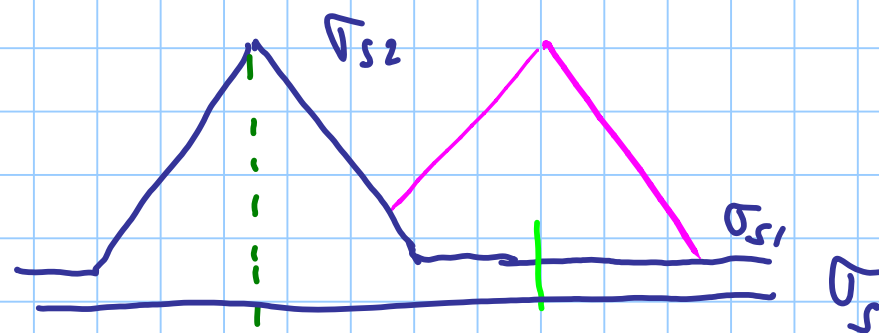
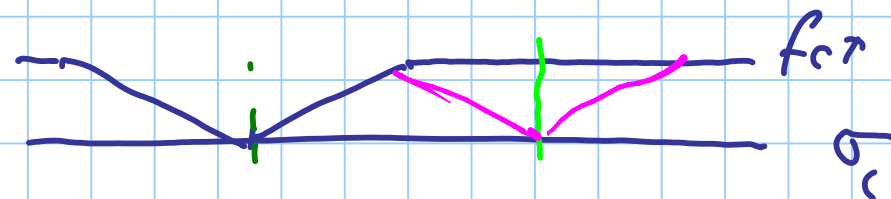
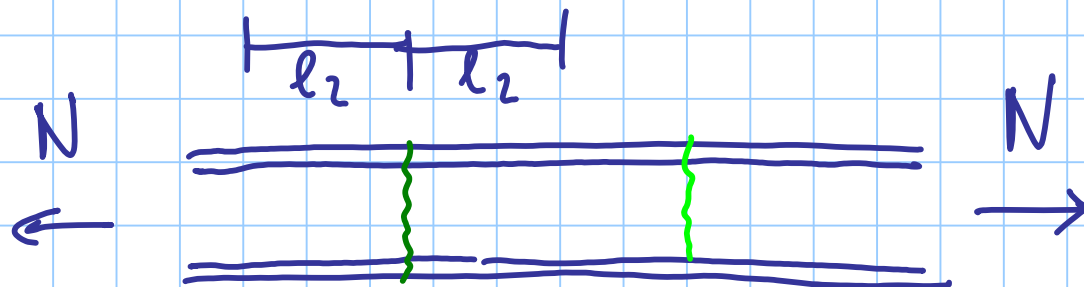
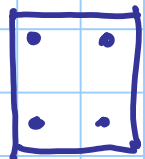
$$\frac{A_s}{A_{c,eff}} = \rho_{eff}$$



$$\Delta L_1 = \frac{N L}{E_c A_c + E_s A_s}$$

$$\Delta L_2 = \frac{N L}{E_s A_s}$$

$$\Delta L = \int \epsilon \, dL = \epsilon L$$



2^a lesioni

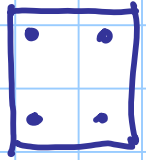
a distanza

$\geq l_2$

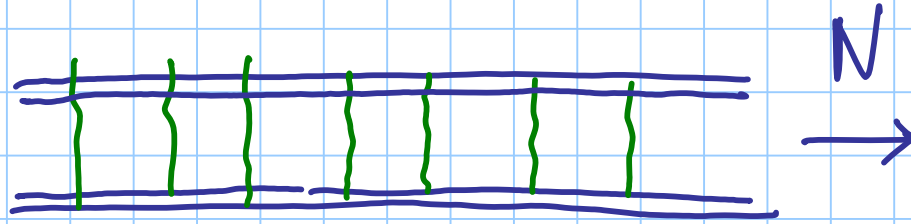
Quando tutte le lesioni si sono formate

le distanze s_2 e

$$l_2 \leq s_2 \leq 2l_2$$



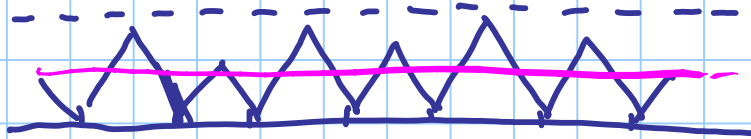
N
↑



$$\sigma_{cm} = K_t \cdot f_{ct}$$

$$\epsilon_{cm} = K_t \cdot \epsilon_t$$

σ_c

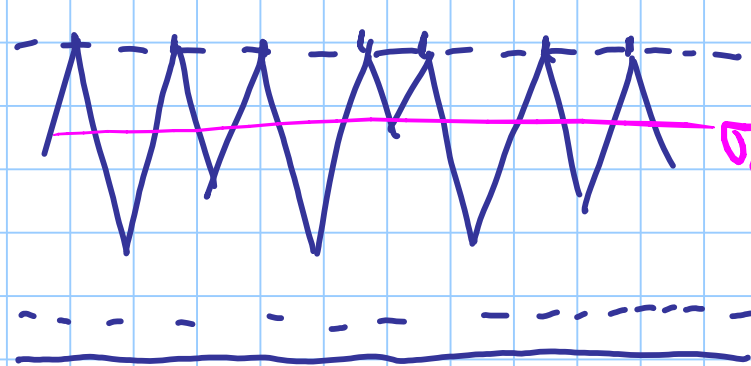


f_{ct}

σ_{cm}

$$\epsilon_{cm} = \frac{\sigma_{cm}}{E_c}$$

σ_s



σ_{s2}

σ_{cm}

σ_{s1}

$$\epsilon_{sm} = \frac{\sigma_{sm}}{E_s}$$

$$N_s = N - \sigma_{cm} A_{c,eff} = N - K_t f_{ct} A_{c,eff}$$

$$\sigma_{sm} = \underbrace{\frac{N}{A_s}}_{\sigma_{s2}} - K_t \frac{f_{ct} A_{c,eff}}{A_s}$$

$$\epsilon_{sm} = \epsilon_{s2} - K_t \frac{f_{ct} A_{c,eff}}{E_s A_s}$$

Amplitude formula: $W = S_z (\epsilon_{sm} - \epsilon_{cm})$

TENSION

STIFFENING



TRAZIONE



IRRIGIDIMENTO

CONTRIBUTO ALLA RIGIDEZZA

DATO DAL CALCESTRUZZO TESO

$$W_K = S_{2, \max} (\epsilon_{sm} - \epsilon_{cm})$$

$$S_{2, \max} = K_3 c + K_1 K_2 K_4 \frac{\phi}{\rho_{eff}}$$

|
ricoprimento

$$K_3 = 3.4$$

$$K_1 = 0.8$$

dipende da f_{ot}/f_b

$$K_2 = 1.6 \quad \text{per barre lisce}$$

$K_2 = 1.0$ per tension

$K_2 = 0.5$ per flexion

$K_h = 0.425$ (1.7×0.25)

$\frac{S_{2\text{ hex}}}{S_{1\text{ m}}}$

$\downarrow 1/3$

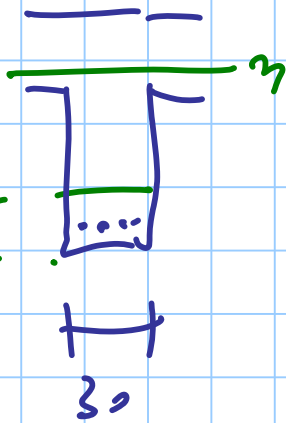
Examp^l:-

Truss 30x60

4φ14

c=3

comp. calc c=4 cm



2.5
↓
comp. fm. calc. b

$$S_{2, max} = K_3 C + K_1 K_2 K_3 \frac{\phi}{S_{eff}}$$

$\begin{matrix} 3.4 & 3 & 0.8 & 0.5 & 0.425 & 14 \\ / & / & / & / & / & / \end{matrix}$

$\frac{4 \times 1.54}{30}$

$$A_{eff} = 2.5 \times 4 \times 30 = 300 \text{ cm}^2$$