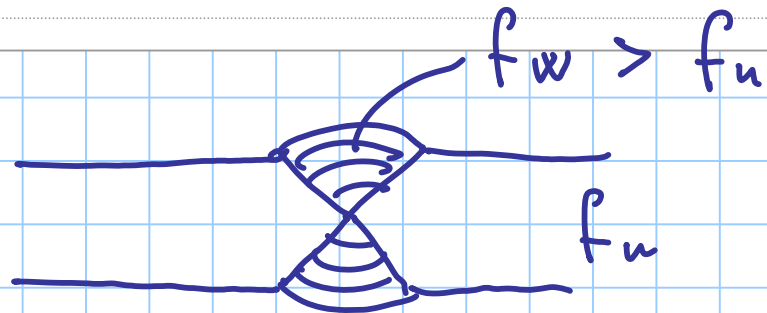


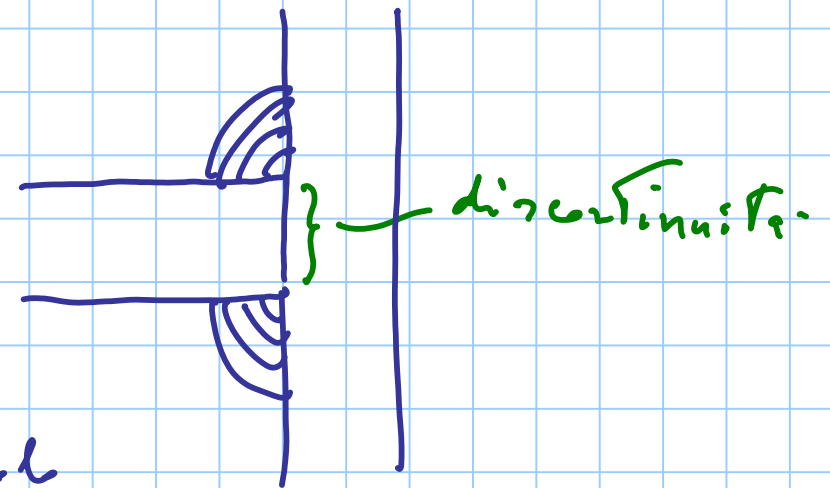
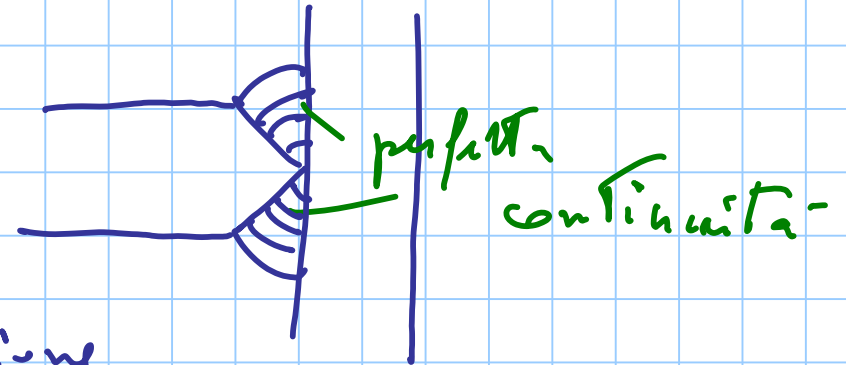
# SALDATURA

Titolo nota

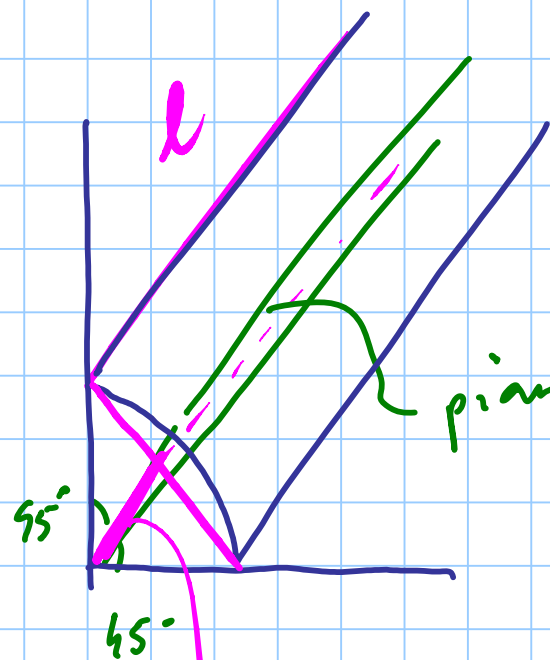
20/01/2015



a complete penetrazione



a cordone  
d'angolo



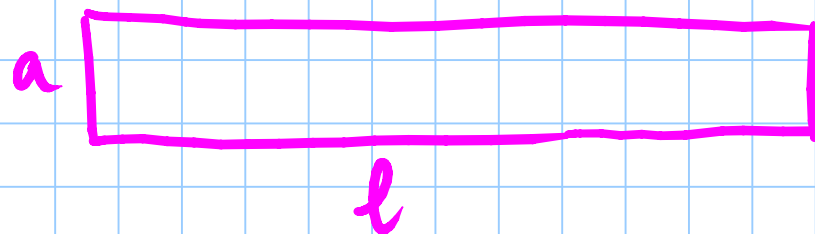
cordone d'angolo

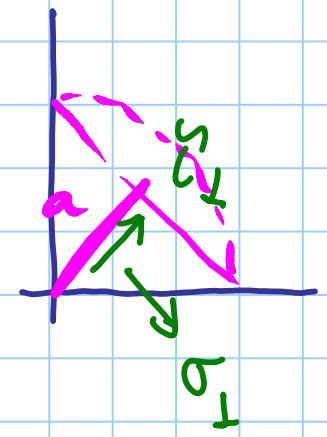
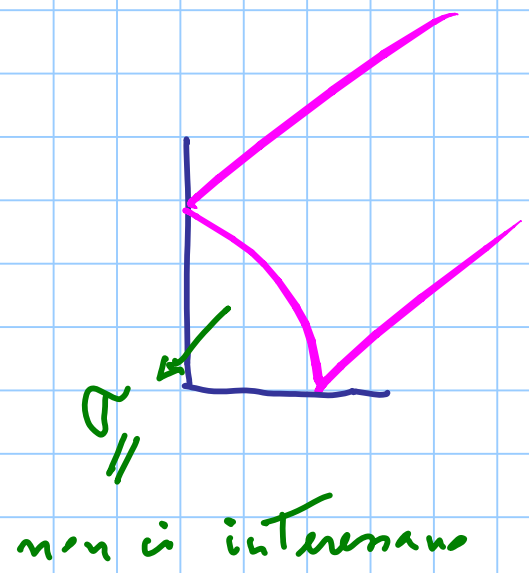
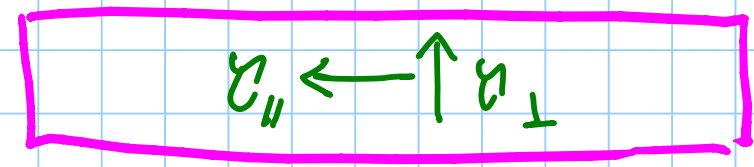
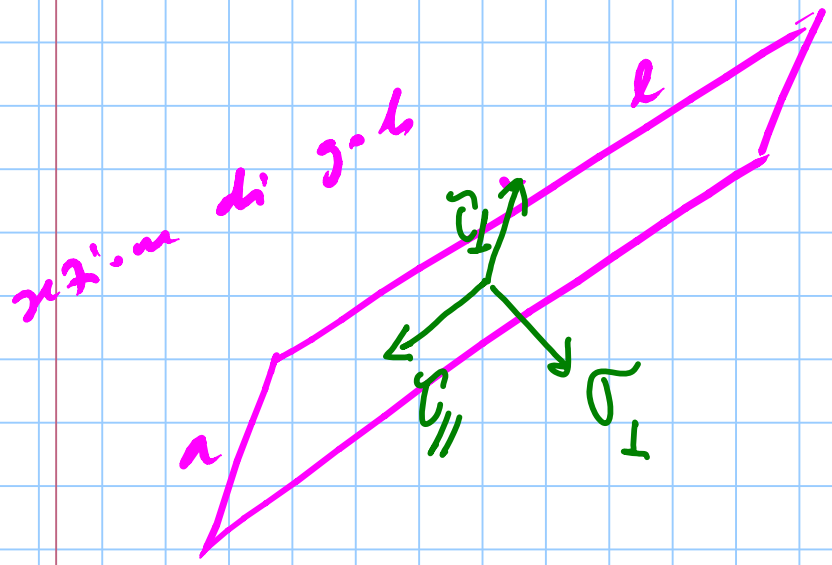
piano di gola

$l$  lunghezza  
(efficace)  
della saldatura

$a$  altezza  
di gola

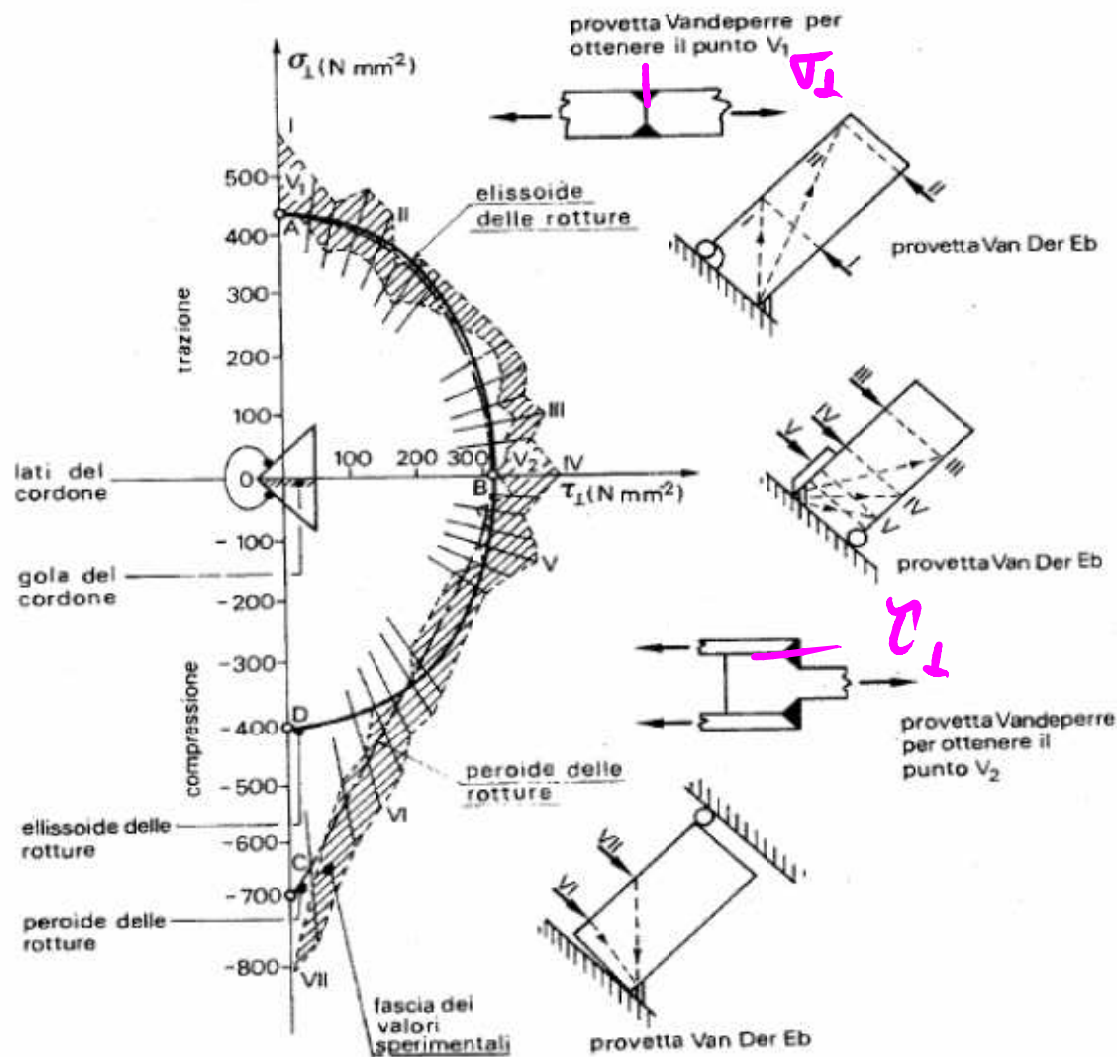
Sezione di gola

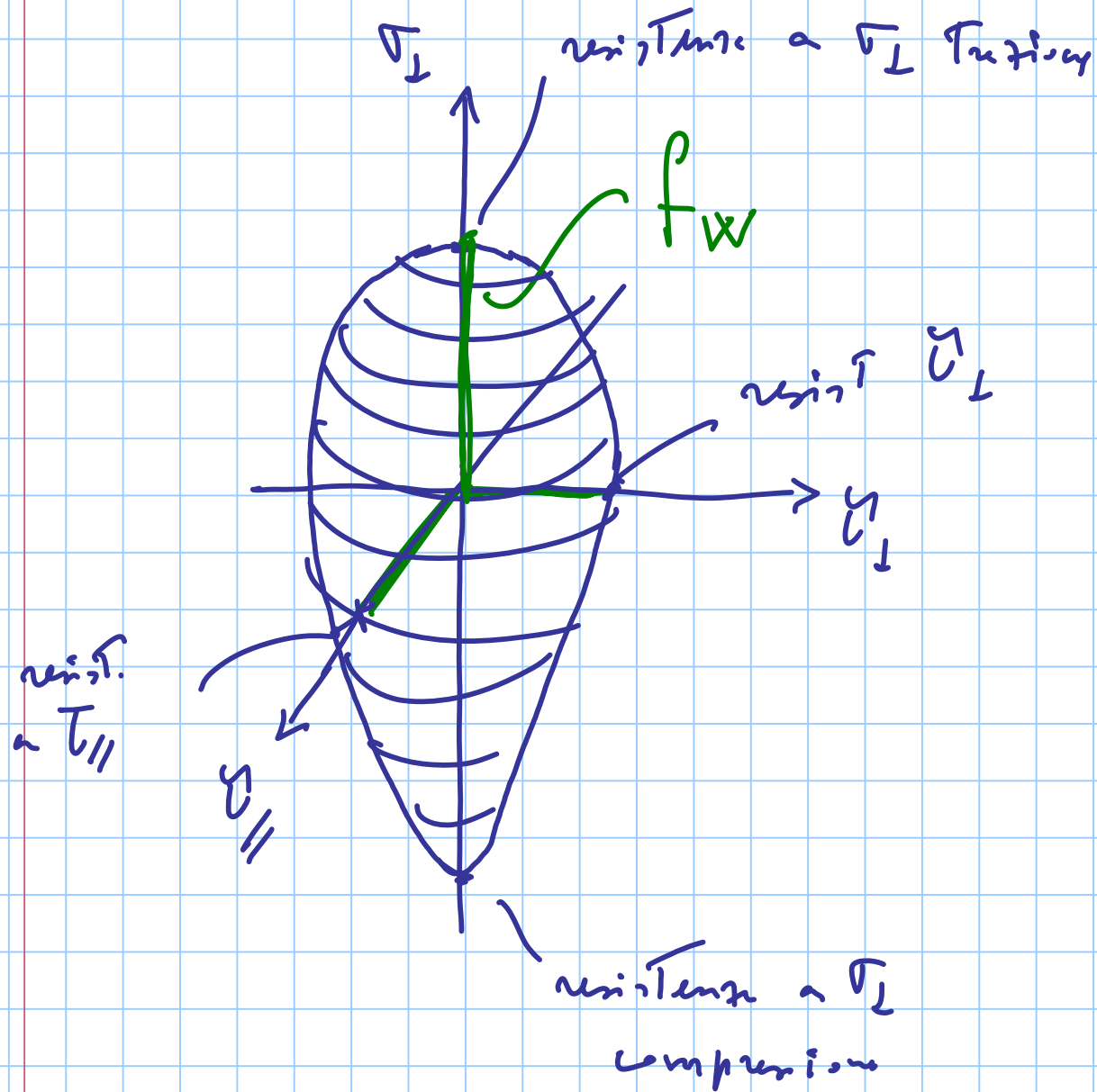




# DOMINIO DI RESISTENZA

$\sigma_1$   $\tau_1$   $\sigma_{II}$





PEROIDE  
specimens



forma simplificate  
ELLISSOIDI

$$\left(\frac{x}{x_0}\right)^2 + \left(\frac{y}{y_0}\right)^2 + \left(\frac{z}{z_0}\right)^2 = 1$$

$$\left(\frac{\sigma_{\perp}}{f_w}\right)^2 + \left(\frac{\gamma_{\parallel}}{0.7 f_w}\right)^2 + \left(\frac{\gamma_{\perp}}{0.58 f_w}\right)^2 = 1$$

ovvero

$$\sigma_{\perp}^2 + 2 \gamma_{\parallel}^2 + 3 \gamma_{\perp}^2 = f_w^2$$

$$\sigma_{\perp}^2 + 1.8 (\gamma_{\perp}^2 + \gamma_{\parallel}^2) = f_w^2$$

ellissoidi

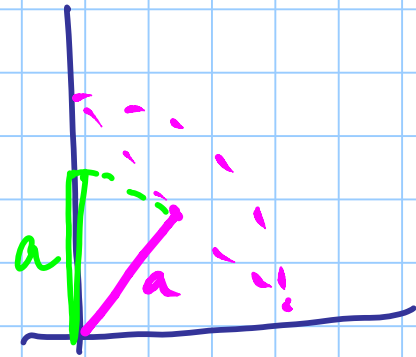
$$\sigma_{\perp}^2 + 3 (\gamma_{\perp}^2 + \gamma_{\parallel}^2) = f_w^2$$

$$\sigma_{\perp}^2 + \gamma_{\perp}^2 + \gamma_{\parallel}^2 = (0.58 f_w)^2 \quad \text{sfera (inscrita nel prisma)}$$

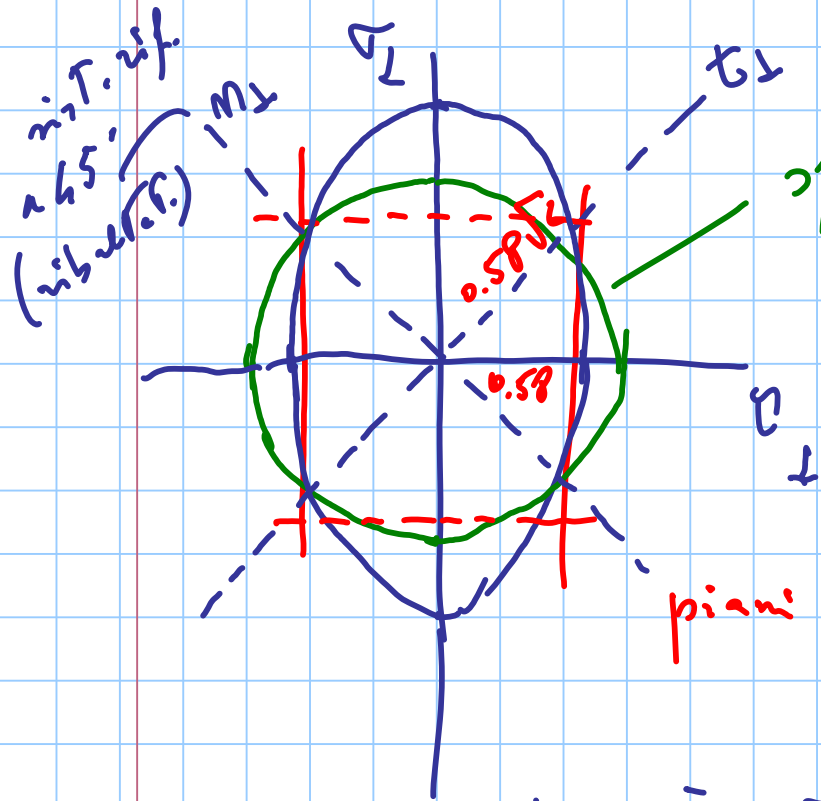
oppure  $\sigma_{\perp}^2 + v_{\perp}^2 + v_{\parallel}^2 = (0.7 f_w)^2$   $f_w$  (meno  
costante)

un dominio sferico evita di considerare  
la sezione di gole inclinate  
↓

Si può fare riferimento alle sezioni  
di gole ribaltate



dominio propri. dell'Itali.



sfera  $r = 0.7 f_0$

SFERA

MOZZA

piani che tagliano le sfere

$n_{\perp}$   $z$   $\sigma_{\perp}$  nel piano ribaltato  
 $t_{\perp}$   $z$   $\gamma_{\perp}$  " " "



NTC 08

— EUROCODICE 3

parte 1.8

2 possibilità:

SFERA

$$\sqrt{\sigma_{\perp}^2 + \tau_{\perp}^2 + \tau_{//}^2} \leq \frac{f_{wd}}{\sqrt{3}} = f_{v,wd}$$

ELLIPSOIDE

$$\sqrt{\sigma_{\perp}^2 + 3(\tau_{\perp}^2 + \tau_{//}^2)} \leq f_{wd}$$

$$F \rightarrow \begin{matrix} F_x & \text{du } d_x \\ F_y & \\ F_z & \end{matrix} \quad \begin{matrix} \sigma_{\perp} \\ \tau_{\perp} \\ \tau_{\parallel} \end{matrix} \quad \sqrt{F_x^2 + F_y^2 + F_z^2} = F$$

$$\sigma_{\perp} = \frac{F_x}{a l}$$

$$\tau_{\perp} = \frac{F_y}{a l}$$

$$\tau_{\parallel} = \frac{F_z}{a l}$$

$$\sqrt{\sigma_{\perp}^2 + \tau_{\perp}^2 + \tau_{\parallel}^2} \leq f_{v, \text{zul}} \Rightarrow F \leq a l f_{v, \text{zul}}$$

$$f_{wd} = \frac{1}{\beta_w} \frac{f_u}{\gamma_{M2}}$$

$$\beta_w < 1$$

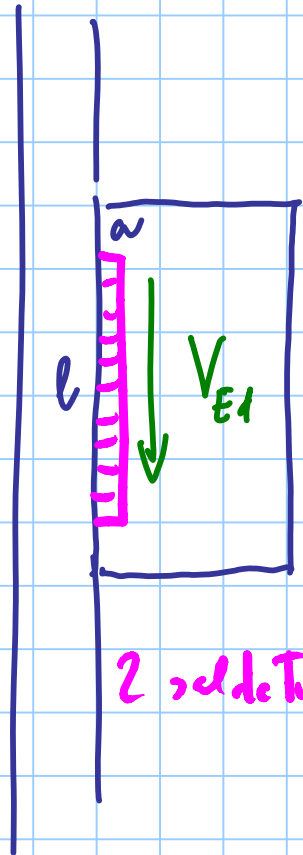
$$\beta_w = \begin{cases} 0.8 & S235 \\ 0.85 & S275 \\ 0.9 & S355 \end{cases}$$

$$f_{v,wd} = \frac{f_u}{\beta_w \sqrt{3} \gamma_{M2}}$$

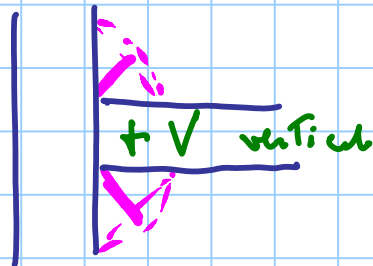
S235

$$f_{wd} = \frac{360}{0.8 \times 1.25} = 360 \text{ MPa}$$

$$f_{v,wd} = 207.8 \text{ MPa}$$



2 soldature



$$V_{E1} = 250 \text{ kN}$$

S235

marcano  
solo  $\gamma_{II}$

il singolo cordone  
più portante

$$V_{E1} = 2 a l f_{v,wd}$$

più forte

$$a l = \frac{V}{2 f_{v,wd}} = 601,5 \text{ mm}^2$$

$$a = 5 \text{ mm} \rightarrow l = 120,3 \text{ mm} \rightarrow 125 \text{ mm}$$

2 cordons

$$a = 5 \text{ mm}$$

$$l = 125 \text{ mm}$$

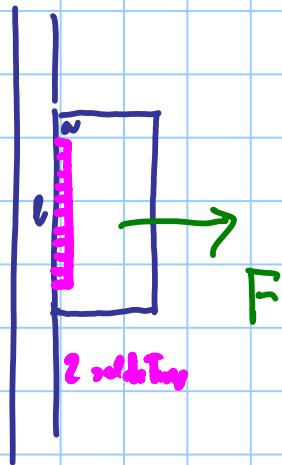
S235

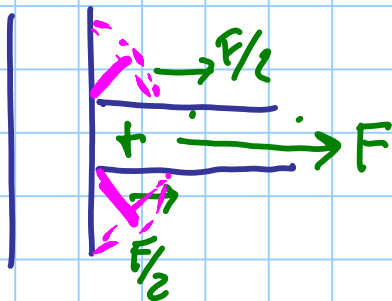
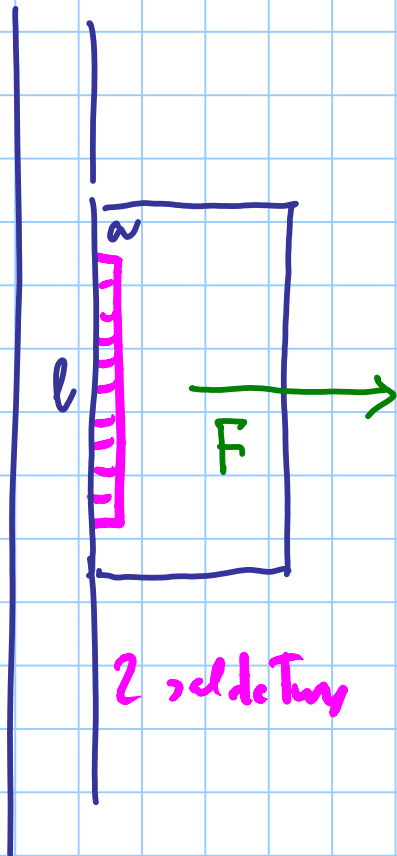
$$F_{\max} = 2 a l f_{t, Rd} = 259.8 \text{ kN} > 250 \text{ kN OK}$$

dominio "sphere"

per portare 259.8 kN

comunque orientati



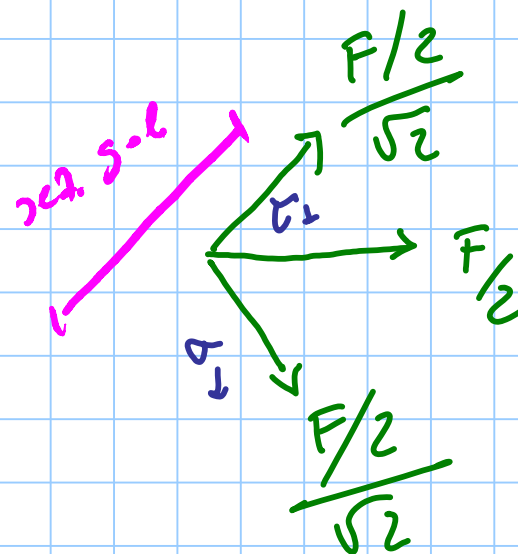


$$F_x = \frac{F}{2\sqrt{2}}$$

$$F_y = F_x$$

$$\sigma_{\perp} = \frac{F_x}{al}$$

$$\tau_{\perp} = \frac{F_y}{al}$$



per mm  
soldatura

$$\sqrt{\sigma_{\perp}^2 + 3(\tau_{\perp}^2 + \tau_{\parallel}^2)} \leq f_{wd}$$

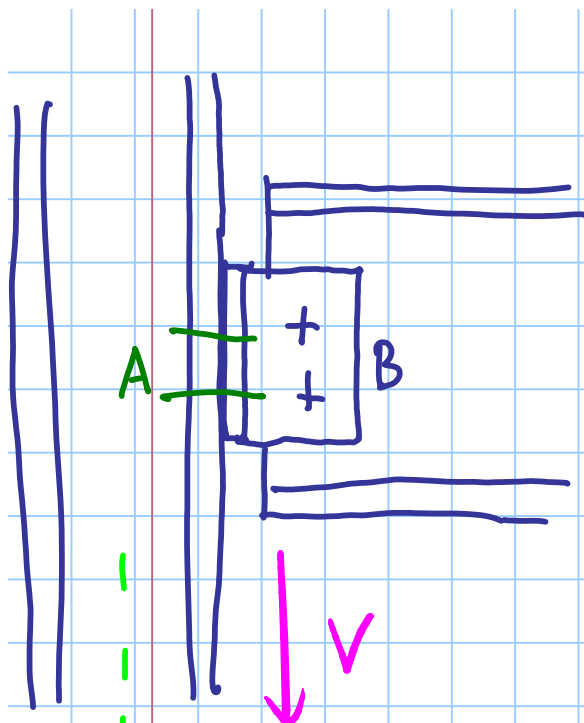
$$\sqrt{\left(\frac{F}{2\sqrt{2}al}\right)^2 + 3\left(\frac{F}{2\sqrt{2}al}\right)^2} \leq f_{wd}$$

$$\frac{F}{2\sqrt{2}al} \sqrt{1+3} \leq f_{wd}$$

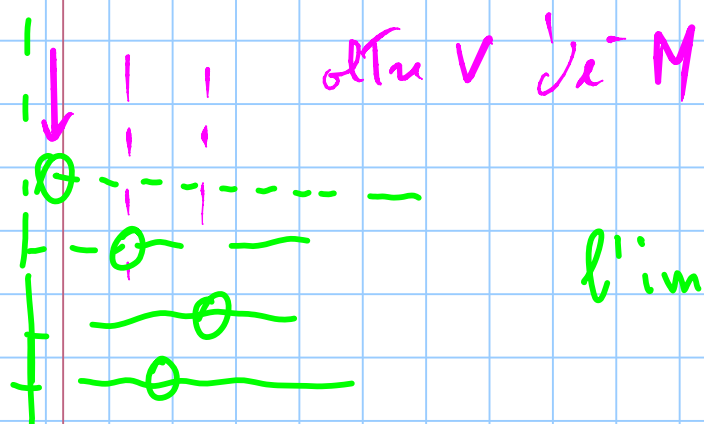
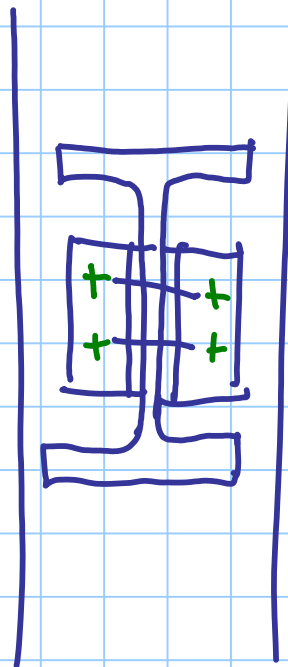
$$\frac{318.2}{259.8} = 1.22$$

+ 22%

$$F \leq \sqrt{2} al f_{wd} = \sqrt{2} \times 5 \times 125 \times 360 \times 10^{-3} = 318.2 \text{ kN}$$



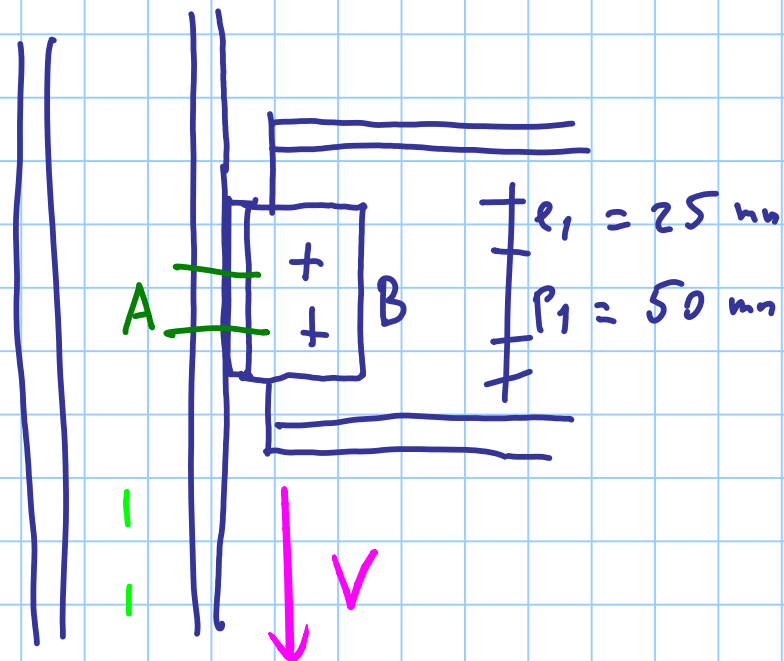
CERNIERA



l'importante è avere cerniere



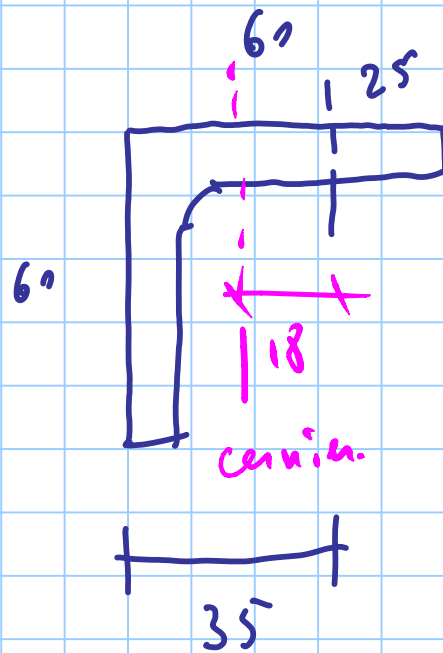
Moment, "parasite" do out. a eccentricitate



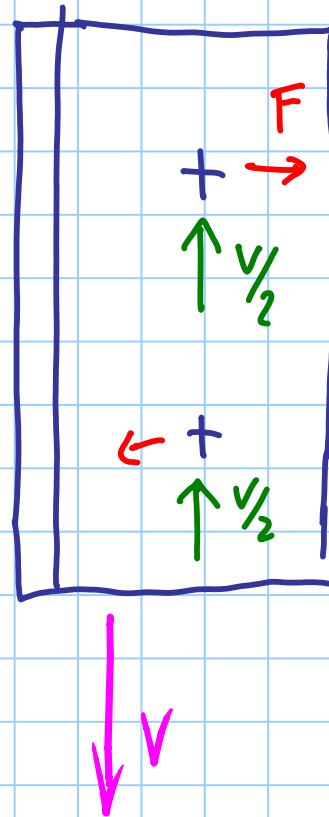
M16 diam 5.6 t. n. f. l.

$$A_{ns} = 157 \text{ mm}^2$$

$$F_{v, R} = 0.6 A_{ns} \frac{f_{ub}}{\gamma_{M2}} = 37.7 \text{ kN}$$



$$M_{pr} = V \times 18 \text{ mm}$$



$$F = \frac{M_{pr}}{P_1} = \frac{V \times 18}{50} = 0.36 V$$

$$F_{v,el} = \sqrt{(0.5V)^2 + (0.36V)^2} = 0.616 V + 23 \%$$

