

- 1) ingrandimento degli inerti — il momento flettente si riduce
- 2) armatura: effetto spinotto — il momento si riduce

ingranamento d'elica inerti:

$$K = 1 + \sqrt{\frac{200}{d}} \leq 2$$

↓
[mm]

solario $h = 24 \text{ cm}$ $d = 21 \text{ cm}$ $K = 1.976$

travere $h = 50 \text{ cm}$ $d = 46 \text{ cm}$ $K = 1.659$

effett. spinnato

$$p_e = \frac{A_{s,e}}{b d} \leq 0.02$$

solario
212

$h = 20 \text{ cm}$ $d = 21 \text{ cm}$

$2 \phi 10 / 11 \text{ cv}$

$A_{s,e} = 3.14 \text{ cm}^2$

$p_e = 0.0075$

$2 \phi 14 / 11 \text{ cv}$

$p_e \approx 0.015$

$$V_{Rd,c} = 0.18 K \sqrt[3]{100 \rho_e} \cdot \frac{\sqrt[3]{f_{ck}}}{\gamma_c} b d$$

$$= 0.035 \sqrt{K^3 \rho_e f_{ck}} b d$$

prendere il massimo
Tra i due

solair

$$K = 1.976$$

$$\rho_e = 0.0075$$

$$C25/30 \rightarrow f_{ck} = 25 \text{ MPa}$$

$$0.18 K \sqrt[3]{100 \rho_e} \cdot \frac{\sqrt[3]{f_{ck}}}{\gamma_c} b d$$

1.976 0.0075 1.945

0.909 0.630

$$0.035 \sqrt{K^3 \rho_e f_{ck}} b d$$

0.486

$$V_{Rd,c} = 0.630 \, b \, d = 0.630 \times 20 \times 21 \times 10^{-1} = 26.46 \, \text{KN}$$

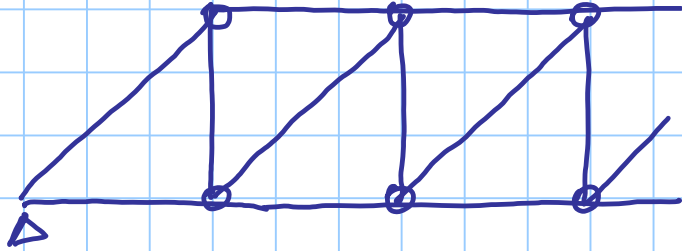
SE 'E' ANCHE N

$$V_{Rd,c} = \left[0.18 \, K \sqrt[3]{100 \rho_e} \cdot \frac{\sqrt[3]{f_{ck}}}{\gamma_c} + 0.15 \, \sigma_{cr} \right] b \, d$$

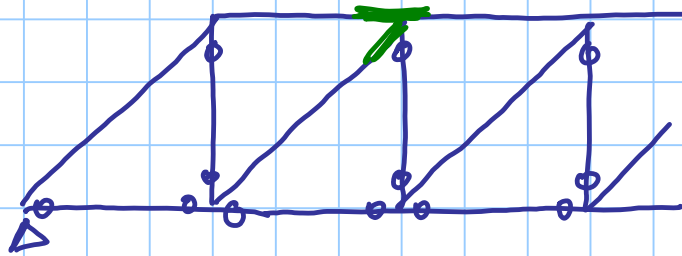
$$= \left[0.035 \sqrt{K^3 f_{ck}} + 0.15 \, \sigma_{cr} \right] b \, d$$

$$\sigma_{cr} = \frac{N}{A_c} \leq 0.2 \, f_{cd}$$

positivo o compressione

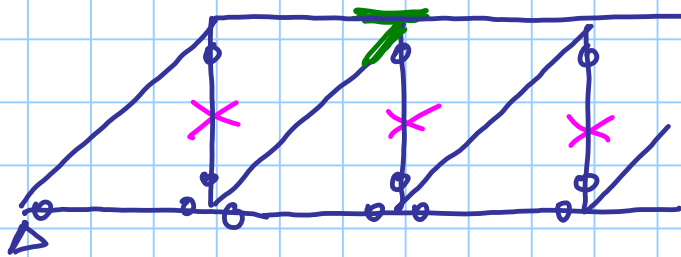


Traliccio isostatico

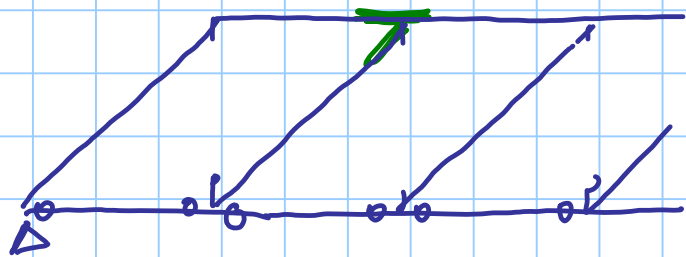


Traliccio iperstatico

in un calcolo elastico lineare i due schemi danno risultati
quasi uguali .



se le staffe si osservano [per V_{wd}]
non danno ulteriore contributo.



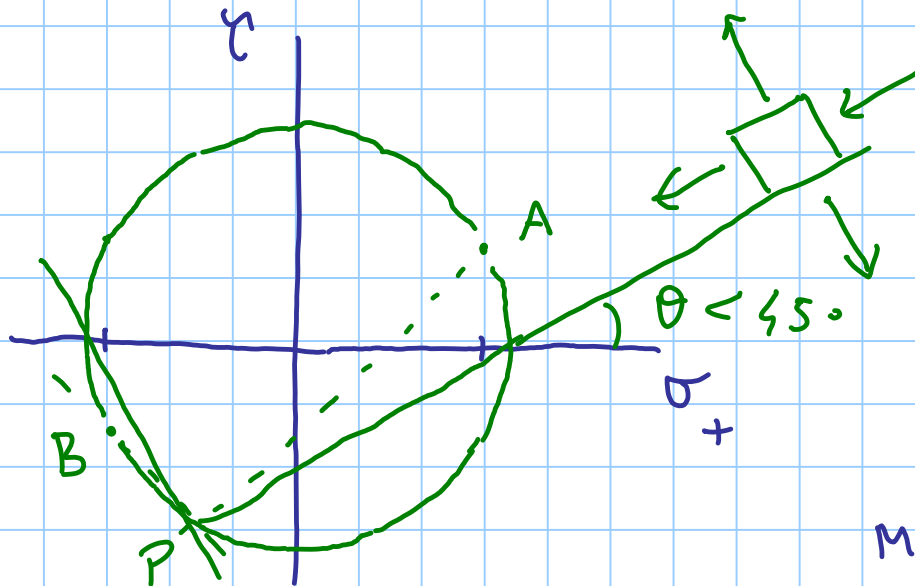
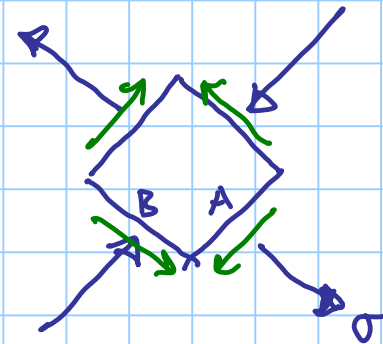
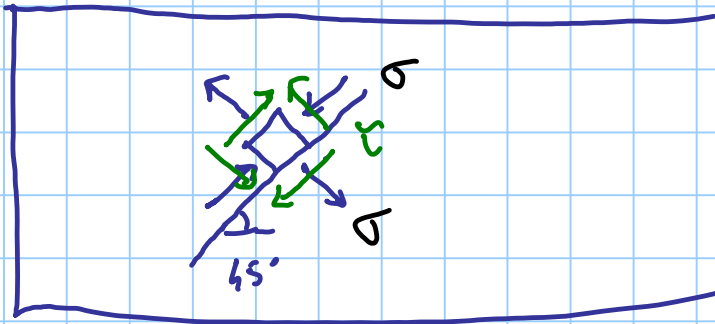
ma rimane il problema [che porta
 V_{cd}]

$$V_{Rd} = V_{wd} + V_{cd}$$

"metodo normale"

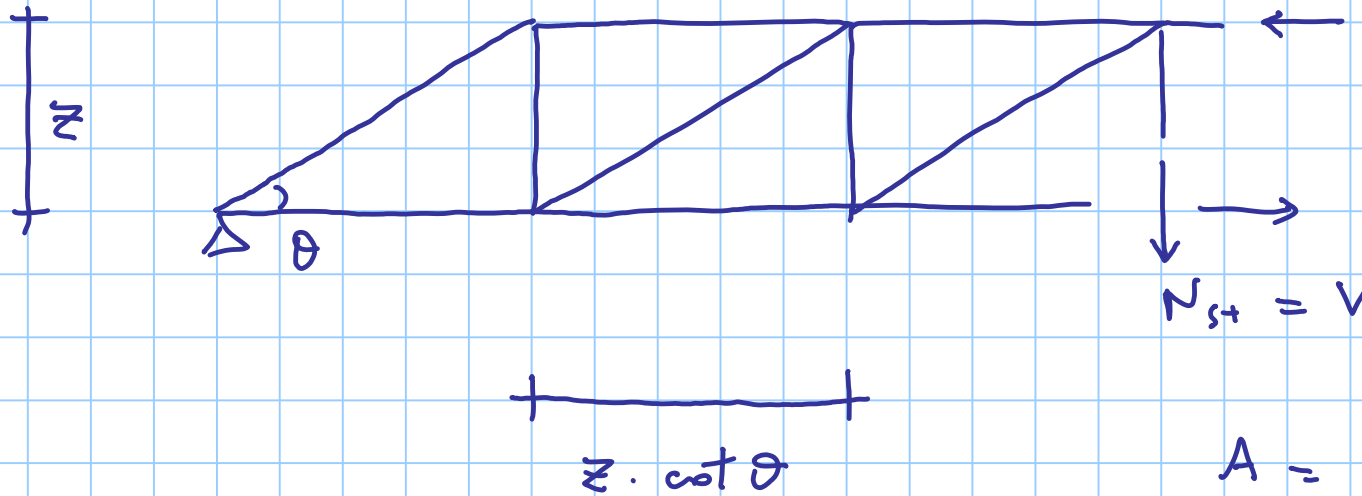
EC7 anni '90
norme italiane 1996

in verde : azione per ingranamento inerti!



l'inclinazione θ del puntone
si riduce

MODELLO AD INCLINAZIONE VARIABILE
DEL PUNTONE



$$\theta = 45^\circ \quad \cot \theta = 1$$

$$\theta < 45^\circ \quad \cot \theta > 1$$

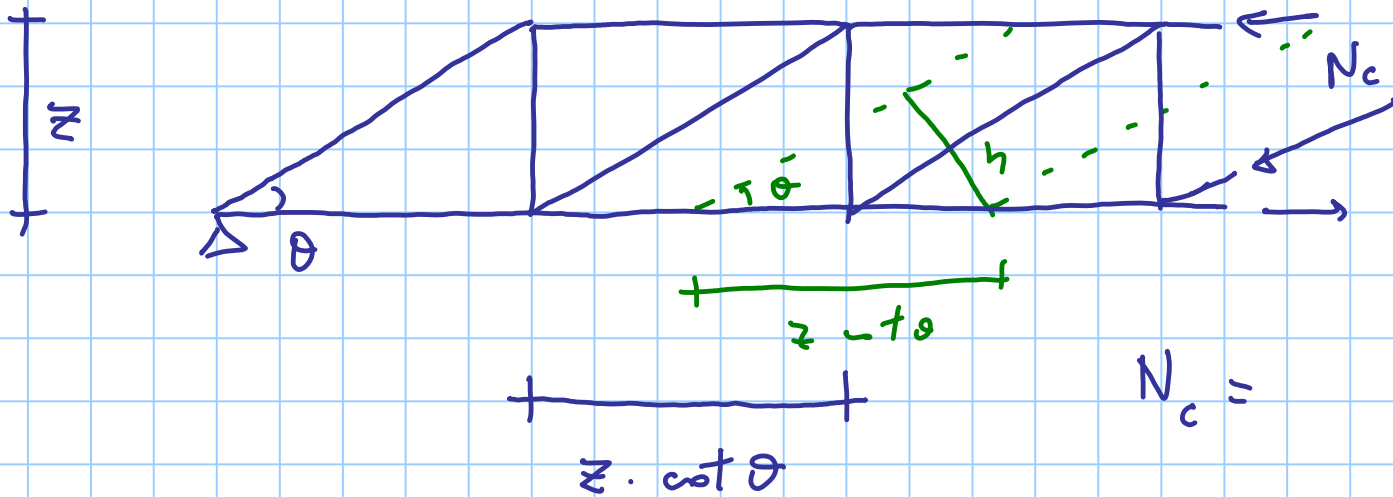
$$1 \leq \cot \theta \leq 2.5$$

$$A = \frac{V}{\sigma_{s, \max}}$$

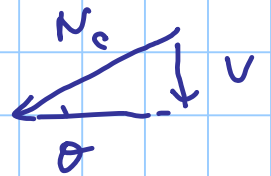
$$\frac{A_{st}}{s} \approx \cot \theta = \frac{V}{f_{yd}}$$

$$A_{st} = \frac{V_{ed} s}{z f_{yd} \cot \theta}$$

$$V_{RA, s} = \frac{A_{st}}{s} \approx f_{yd} \cot \theta$$



$\downarrow V$



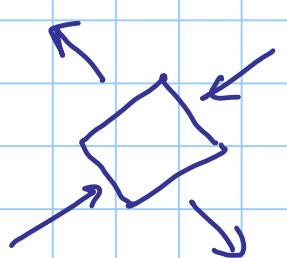
$$N_c =$$

$$h = z \cot \theta \cdot \sin \theta = z \cos \theta$$

$$N_c = \frac{V}{\sin \theta}$$

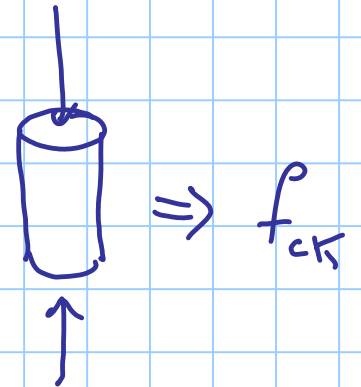
$$\sigma_c = \frac{N_c}{b z \cos \theta} = \frac{V}{b z \sin \theta \cos \theta} = \frac{V}{b z} \frac{1 + \cot^2 \theta}{\cot \theta} \leq f_{cd} \quad ?$$

$$\frac{(\sin \theta \cdot \cos \theta)}{(\sin^2 \theta + \cos^2 \theta)} \cdot \frac{\sin^2 \theta}{\sin^2 \theta} = \frac{\cot \theta}{1 + \cot^2 \theta}$$



$$\sigma_c \leq f'_{cd} = 0.5 f_{cd}$$

puntuale compressione

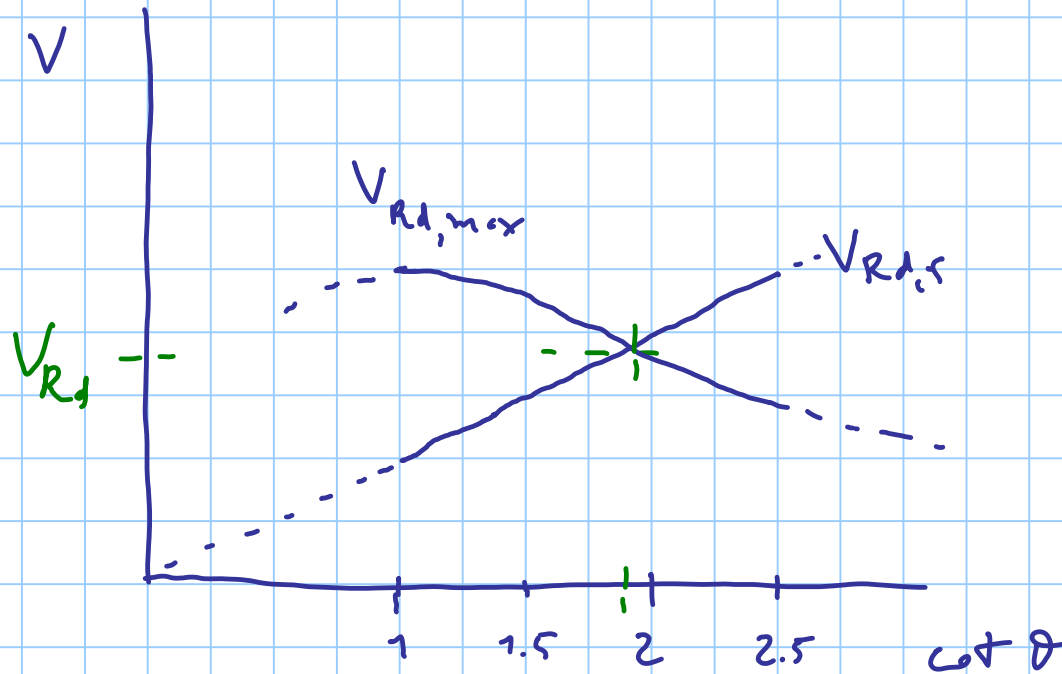


$$\frac{V}{b z} \cdot \frac{1 + \cot^2 \theta}{\cot \theta} \leq \frac{1}{2} f_{cd}$$

$$V_{Rd, \max} = b z \cdot \frac{1}{2} f_{cd} \cdot \frac{\cot \theta}{1 + \cot^2 \theta}$$

al crescere di $\cot \theta$

$V_{Rd, \max}$ si riduce



$$V_{Rd} = \min(V_{Rd,s}; V_{Rd,max})$$

$$V_{Rd,max} = b \approx \frac{1}{2} f_{cd} \frac{\cot \theta}{1 + \cot^2 \theta}$$

$$V_{Rd,s} = \frac{A_{st}}{s} \approx f_{yd} \cot \theta$$

VERIFICA

ineguaglianza CTO

il massimo si ha quando $V_{R1,s} = V_{Rd,max}$

$$\frac{A_{st}}{s} \cancel{\cdot} f_{yd} \cancel{\omega^2 \theta} = b \cancel{\cdot} \frac{1}{2} f_{cd} \frac{\cancel{\omega^2 \theta}}{1 + \omega^2 \theta}$$

$$1 + \omega^2 \theta = \frac{b \cdot \frac{1}{2} f_{cd}}{\frac{A_{st}}{s} f_{yd}}$$

$$\omega^2 \theta = \sqrt{\frac{\frac{1}{2} b f_{cd}}{\frac{A_{st}}{s} f_{yd}}} - 1$$

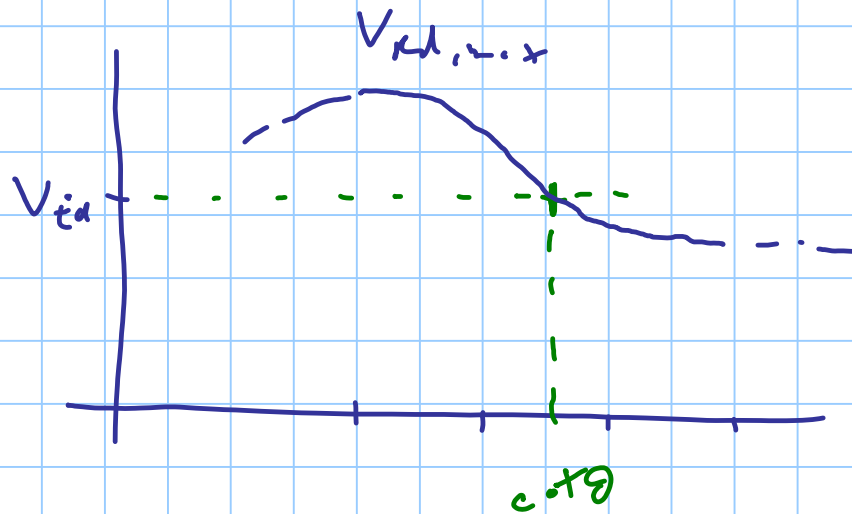
PROGETTO

conosc V_{Ed} incognita A_{st} e x_2 e x_1

progettazione di $V_{kd, max}$

assegnato $\cot \theta$ (es. 2) e calcolati b e $h \rightarrow b, h$

progettazione staffe



$$V_{kd, max} = V_{Ed}$$

con questo $\cot \theta$ progetto staffe.