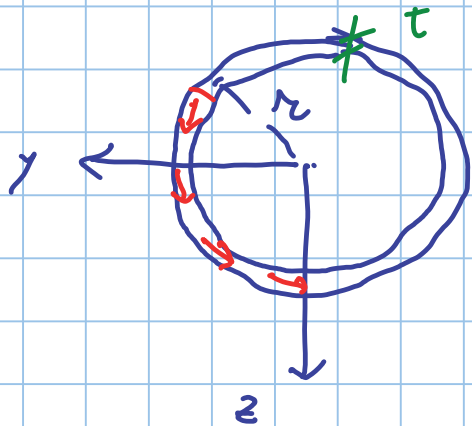
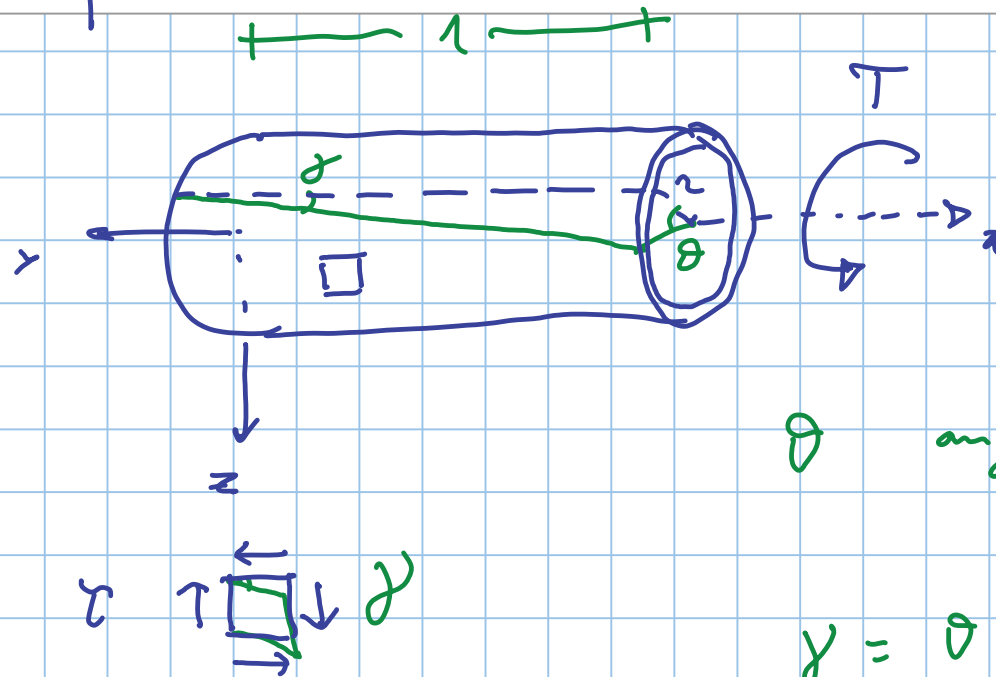


# TORSIONE T



$$\tau = G \gamma$$

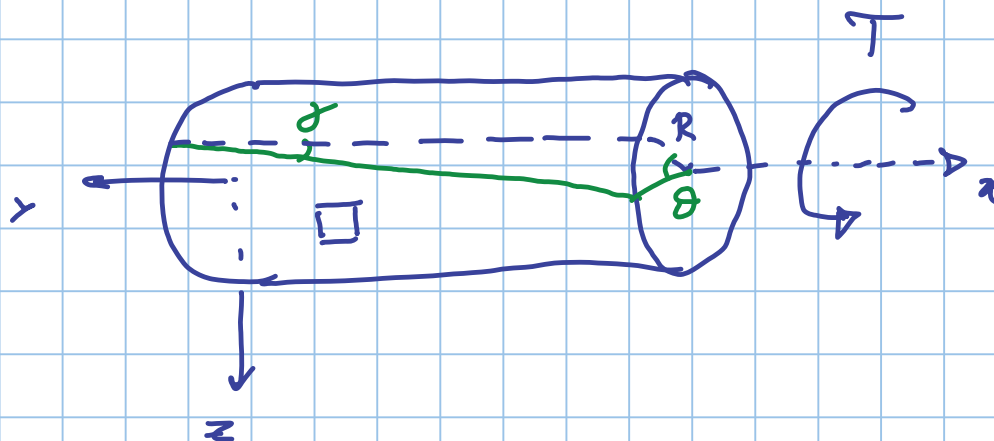
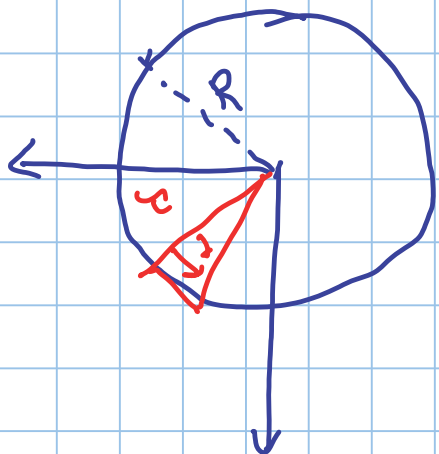
$$\tau = \frac{T r}{I_p}$$



$$T = \int \tau r dA = \tau \cdot t \cdot 2\pi r$$

$\theta$  ang. l. unitaria di rotazione

$$\gamma = \theta r \quad \theta = \frac{\varphi}{r}$$

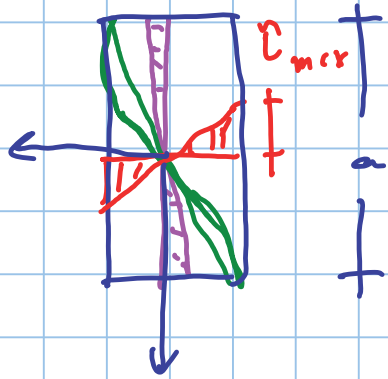


$$y = \frac{T}{I_p} z$$

varia linearmente in funzione  
della distanza

$$y_{max} = \frac{T}{I_p} R$$

$$y = \frac{y}{c} = \frac{T}{c I_p} z$$



$+b+$

$a \geq b$

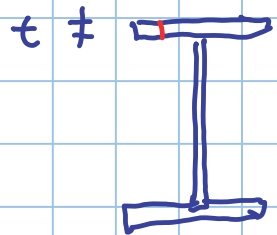
$$\tau_{max} = \gamma \frac{T}{a b^2}$$

$\gamma$  dipende da  $\frac{b}{a}$   
 per  $\frac{b}{a} \rightarrow 0 \quad \gamma \rightarrow 3$

$$\tau_{max} = 3 \frac{T}{a b^2}$$

$$T = \gamma \frac{a t^2}{3}$$

Zoom



profili in acciaio aperti

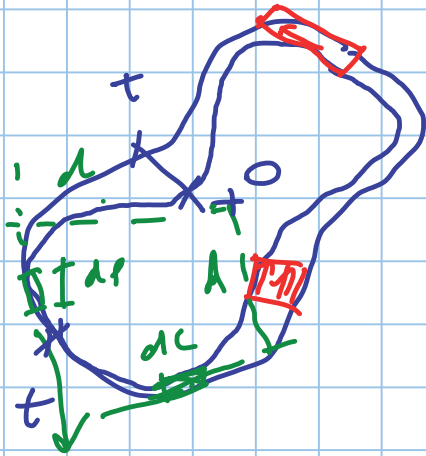
$b \rightarrow t$  molto piccolo

$\rightarrow$  il profilo non è  
 in grado di portare  
 una torsione elevata

SEZIONE CHIUSA

$t$  variabile, ma  $\tau$  è  $l$

$$\tau \cdot t = \text{cost}$$



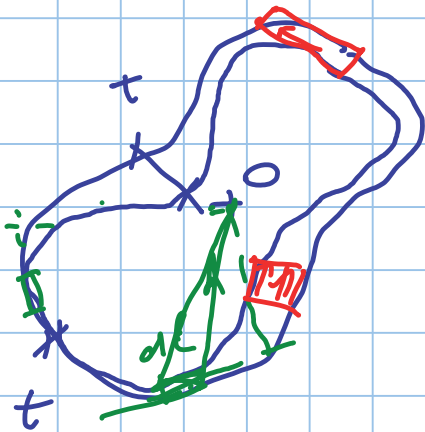
$$T = \int \tau \cdot t \cdot dl$$

BRETT

$$= \tau \cdot t \cdot 2 \int dl \cdot d = \tau \cdot t \cdot 2 A_k$$

$$\tau \cdot t \cdot dl \cdot d = 2 dA_{tr.}$$

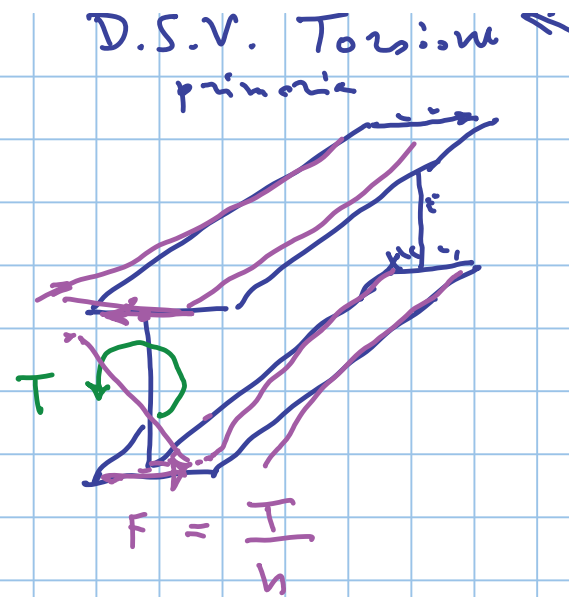
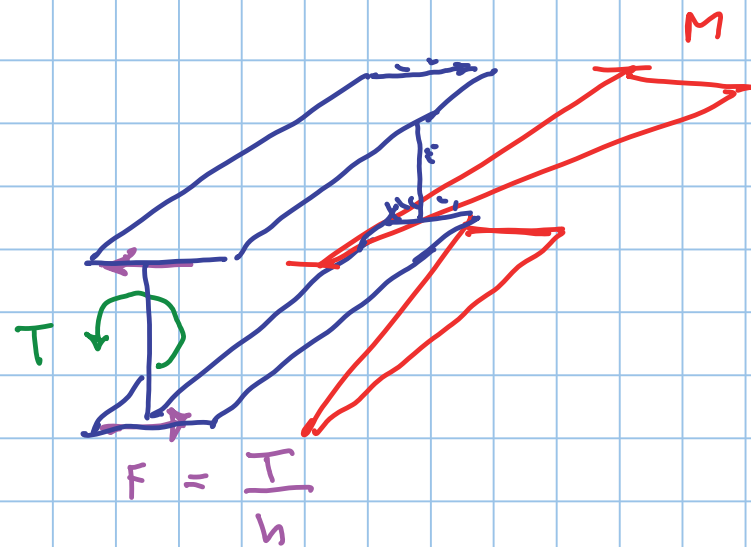
$A_k$  area racchiusa  
da linea media



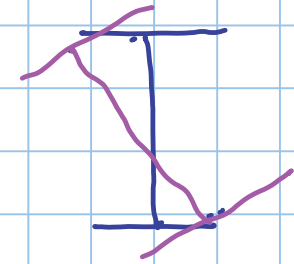
area triang.  $\frac{dl \cdot d}{2}$

$$\frac{dl \cdot d}{2}$$

$$\tau = \frac{T}{2 t A_k}$$



torsione secondaria  
VLASOV



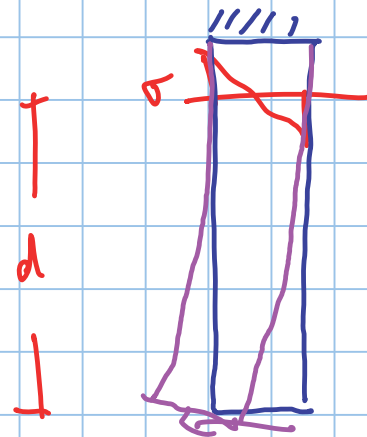
B bimomento

$$B = M \cdot h$$

$w$  : coordinata orizzontale

$$\sigma = \frac{B}{I_w} \cdot w$$

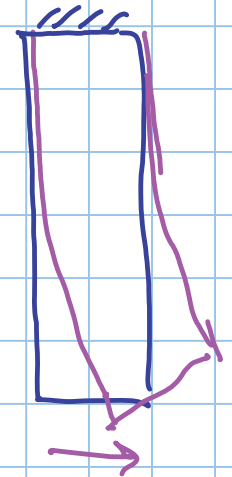
$$I_w = \int w^2 dA$$



ALA SUP.

$$M = F \cdot d = \frac{T}{h} d$$

massima  $\sigma$



ALA INF.

Quando ho torsione ns. profil chiuso-

$$\theta = \frac{T}{2 \tau A_k}$$

$$T_{rd} = 2 \tau A_k \frac{f_y / \sqrt{3}}{\gamma_{mo}}$$

---

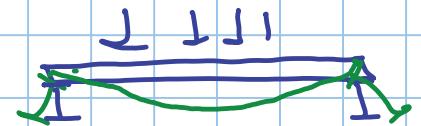
TORSIONE

- per lunghezza

SI TRASCURA

- per equilibri.

SI DEVE CONSIDERARE



# SINTESI

# TENSO-PRESSO

# FLESSIONE

TENSO  
sezione generica

detto  $N_{Ed}$

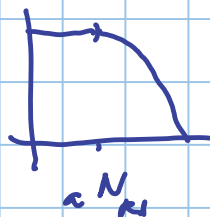
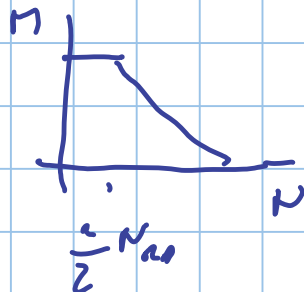
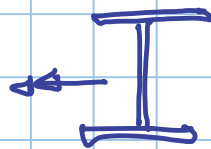
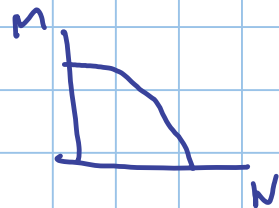
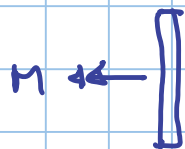
Trovare

area neutra

$$N = (A_T - A_C) \frac{f_y}{\gamma_m}$$

calcolare  $M_{Ed} = 2 S_{Tx} \frac{f_y}{\gamma_m}$

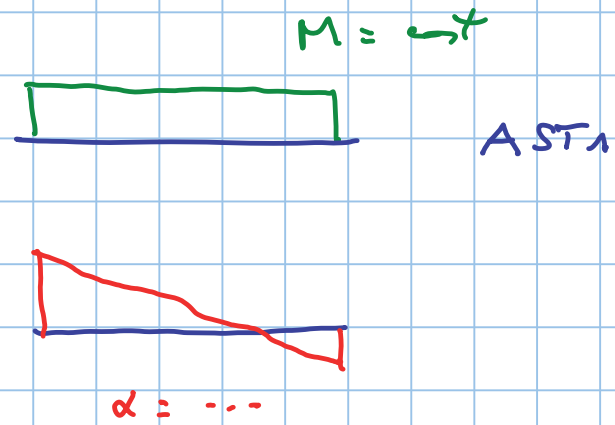
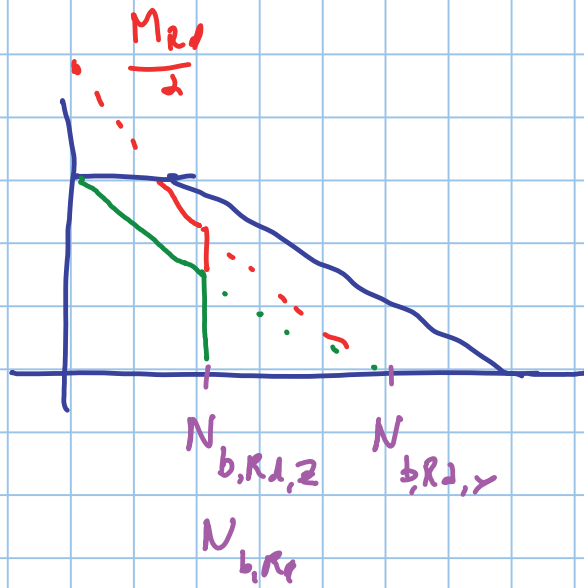
sezioni particolari



$$\alpha \leq 0.5$$

PRESSO

## TENS.





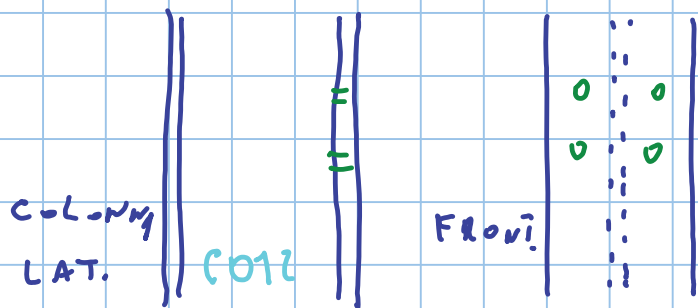
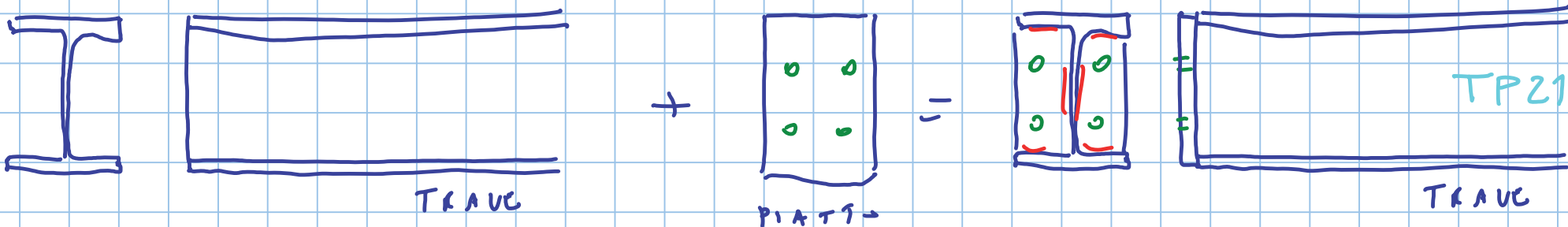
## COLLEGAMENTI

mediante

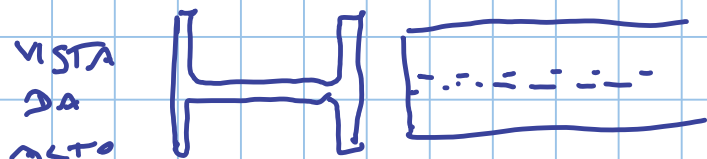
# BULLONI

0

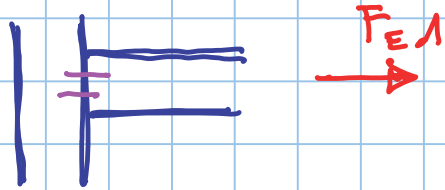
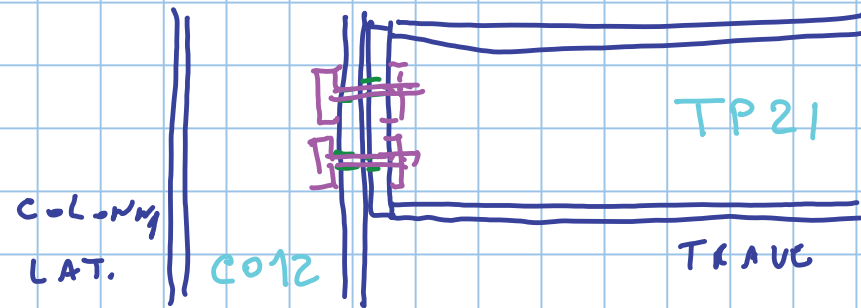
## SALDATURE



lavazioni  
in officina



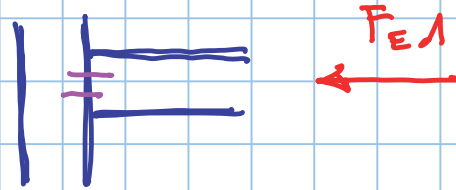
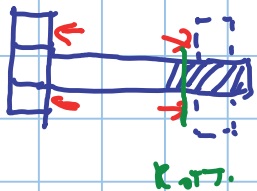
4 M16 8.8



BULLONI

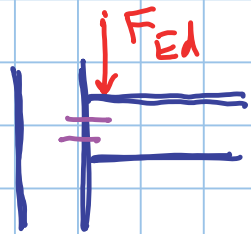
lavorano a TRAZIONE

$$F_{t,EA} = \frac{F_{Ed}}{4}$$



BULLONI

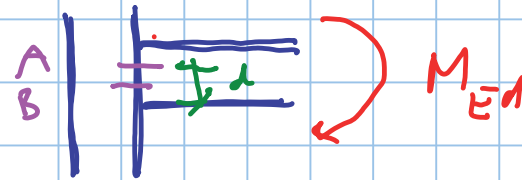
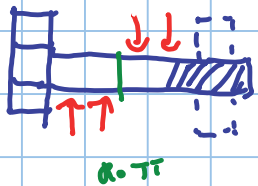
lavorano NO



BULLON,

levorano a taglio

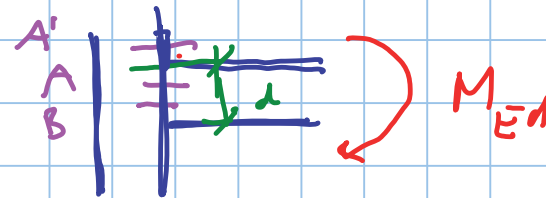
$$F_{V,Ed} = \frac{F_{Ed}}{4}$$



BULLON,

A levorano a Trazione ; B non lavora

$$F_{t,Ed} = \frac{M_{Ed}}{2d}$$



A = A' ten.

$$F_{t,Ed} = \frac{M_{Ed}}{4d}$$