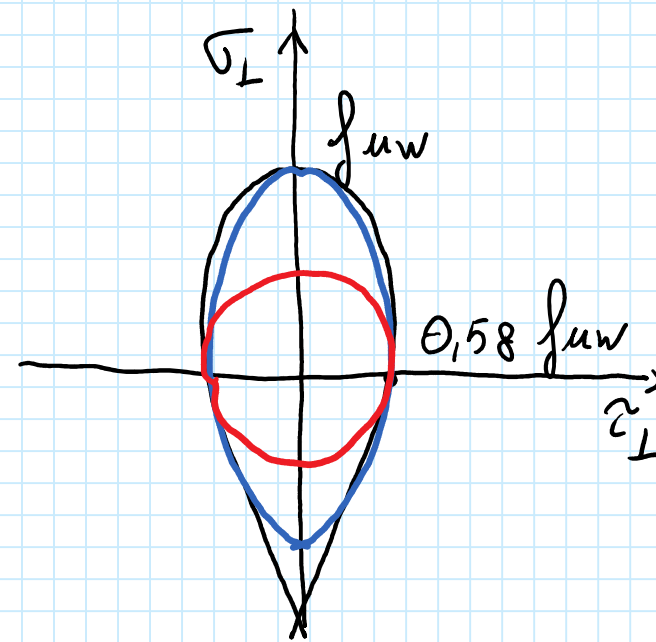


$$z = 0.58 f_{uw}$$



Esistono tre diversi domini, rappresentabili in forme analitiche, per approssimare (a favore di Neuraste) il pericore:

1. l'ellissoide (con 3 semi-assi diversi)
2. l'ellissoide di rotazione
3. le sfere

L'ellissoide

$$\left( \frac{\sigma_{\perp}}{f_{uw}} \right)^2 + \left( \frac{\tau_{//}}{0,4 f_{uw}} \right)^2 + \left( \frac{\tau_{\perp}}{0,58 f_{uw}} \right)^2 \leq 1$$

$$\frac{1}{0,4} = \sqrt{2}$$

$$\frac{1}{0,58} = \sqrt{3}$$

$$\frac{\sigma_{\perp}^2}{f_{uw}^2} + 2 \frac{\tau_{//}^2}{f_{uw}^2} + 3 \frac{\tau_{\perp}^2}{f_{uw}^2} \leq 1$$

$$\sigma_{id} = \sqrt{\sigma_{\perp}^2 + 2 \tau_{//}^2 + 3 \tau_{\perp}^2} \leq f_{uw}$$

d'ellissoide di rotazione

$$\left( \frac{\sigma_{\perp}}{f_{un}} \right)^2 + \left( \frac{\tau_{//}}{0,58 f_{un}} \right)^2 + \left( \frac{\tau_{\perp}}{0,58 f_{un}} \right)^2 \leq 1$$

$$\frac{\sigma_{\perp}^2}{f_{un}^2} + 3 \frac{\tau_{//}^2}{f_{un}^2} + 3 \frac{\tau_{\perp}^2}{f_{un}^2} \leq 1$$

$$\sqrt{\sigma_{\perp}^2 + 3 \tau_{//}^2 + 3 \tau_{\perp}^2} \leq f_{un}$$

$$\sigma_{id} = \sqrt{\sigma_{\perp}^2 + 3 \tau^2} \leq f_{un}$$

Adatto da:

NTC 18

EC 3

de sfere

$$\left( \frac{\sigma_{\perp}}{0,58 f_{uw}} \right)^2 + \left( \frac{\tau_{//}}{0,58 f_{uw}} \right)^2 + \left( \frac{\tau_{\perp}}{0,58 f_{uw}} \right)^2 \leq 1$$

$$\frac{3 \sigma_{\perp}^2}{f_{uw}^2} + \frac{3 \tau_{//}^2}{f_{uw}^2} + \frac{3 \tau_{\perp}^2}{f_{uw}^2} \leq 1$$

$$\sqrt{\sigma_{\perp}^2 + \tau_{//}^2 + \tau_{\perp}^2} \leq \frac{f_{uw}}{\sqrt{3}}$$

$$\boxed{t = \frac{R}{\alpha L} \leq \frac{f_{uw}}{\sqrt{3}}}$$

Adoptato da:

NTC 18

EC 3

He quanto vale le resistenza unitarie di corolone  $f_{uw}$ ?

$$f_{uw} = \frac{f_u}{\beta_w \gamma_{H2}}$$

$\beta_w$	0,8	S235
	0,85	S275
	0,9	S355

$\beta_w$  considerare che il corolone è un mix tre materiali ben e metallo d'apporto (di norme di migliore qualità)

$f_{uw}$  è la resistenza mobilitate per portare le  $\sigma_1$

## Eliminazione di rotazioni, formule di normative

$$\sigma_{id} = \sqrt{\sigma_{\perp}^2 + 3 \tau^2} \leq \frac{f_u}{\beta_w \gamma_{H2}}$$

$f_u$  = tensione di rottura  
dei ferri saldati  
(materie base)

$$\beta_w = \begin{cases} 0,80 & S235 \\ 0,85 & S275 \\ 0,90 & S355 \end{cases}$$

$$\gamma_{molte} \quad \sigma_{\perp} \leq 0,9 \frac{f_u}{\gamma_{H2}}$$

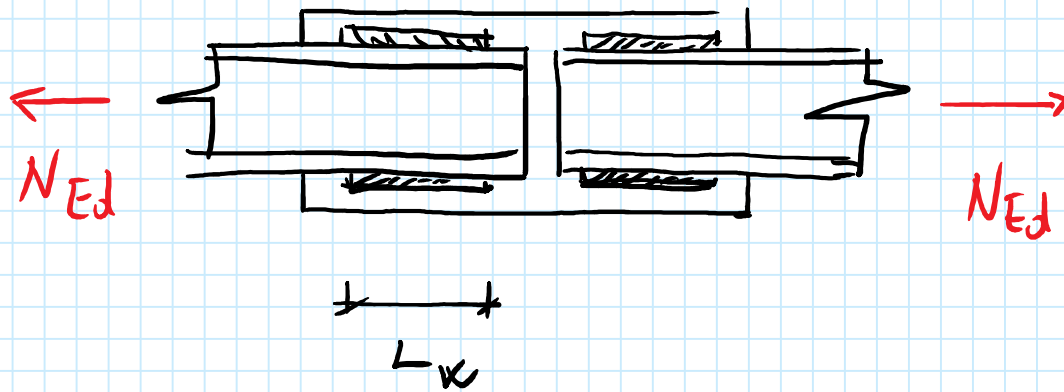
# Domínio esfera, fórmula de normetive

$$t = \frac{R}{\sigma_L} \leq f_{v,w,d}$$

$$f_{v,w,d} = \frac{f_u}{\sqrt{3} \beta_w \gamma_{M2}}$$

$f_u$  = tensão de rotture  
dei ferris soldados  
(metais de base)

$$\beta_w = \begin{cases} 0,80 & S235 \\ 0,85 & S275 \\ 0,90 & S355 \end{cases}$$



2 UPN 80 , S 235

$$L_w = 150 \text{ mm}$$

$$a = 5 \text{ mm}$$

$$N_{Ed} = 200 \text{ kN}$$

Paravale ripristino  
di resistenza  
Verificare con dominio  
sferico

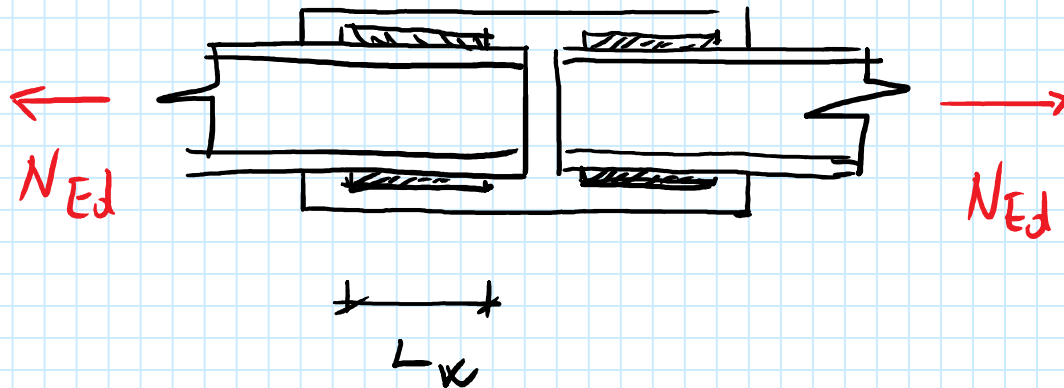
$$F_{w,Ed} = \frac{N_{Ed}}{4} = \frac{200}{4} = 50 \text{ kN}$$

$$t = \frac{F_{w,Ed}}{a \cdot L} = \frac{50 \times 10^3}{5 \times 150} = 66,7 \text{ MPa}$$

$$f_{v,w,d} = \frac{f_u}{\sqrt{3} \beta_w \gamma_{M2}} = \frac{360}{\sqrt{3} \times 0,8 \times 1,25} = 207,8 \text{ MPa}$$

$$t \leq f_{v,w,d} \quad \text{OK!}$$





2 UPN 80 , S 235

$$L_w = 150 \text{ mm}$$

$$a = 5 \text{ mm}$$

$$N_{Ed} = 200 \text{ kN}$$

Completo ripristino  
di resistenza  
Verificare con dominio  
sferico

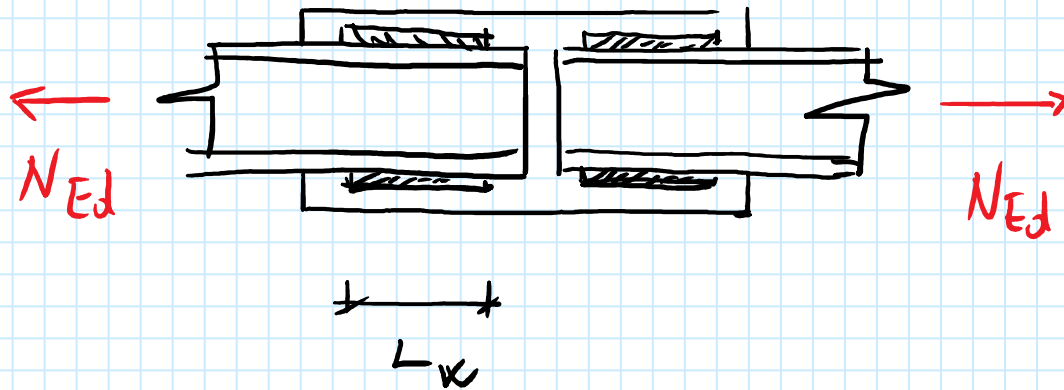
$$N_{pl,Rd} = A \frac{f_y}{\gamma_{M0}} = 22 \times \frac{235}{1,05} \times \frac{1}{10} = 492,4 \text{ kN}$$

$$F_{w,Rd} = \frac{N_{pl,Rd}}{4} = \frac{492,4}{4} = 123,1 \text{ kN}$$

$$t = \frac{123,1}{5 \times 150} \times 10^3 = 164,1 \text{ MPa}$$

$$t \leq f_{v,w,d} \quad \text{OK!}$$

$$f_{v,w,d} = \frac{f_u}{\sqrt{3} \beta_w \gamma_{M1}} = \frac{360}{\sqrt{3} \times 0,8 \times 1,25} = 207,8 \text{ MPa}$$



I UPN 80 , S 235

$$L_w = 150 \text{ mm}$$

$$a = 5 \text{ mm}$$

$$N_{Ed} = 200 \text{ kN}$$

Completo ripristino  
di resistenza  
Verifica con ellissoide

$$F_{w,Ed} = \frac{N_{pl,Rd}}{h} = 123,1 \text{ kN}$$

$$\sigma_{\perp} = 0 \quad \tau = \frac{F_{w,Ed}}{a L} = \frac{123,1}{5 \times 150} \times 10^3 = 164,1 \text{ MPa}$$

$$\sigma_{id} = \sqrt{\sigma_{\perp}^2 + 3\tau^2} = \sqrt{0^2 + 3 \times 164,1^2} = 284,3 \text{ MPa} \leq \frac{f_u}{\beta_w \gamma_{M2}} = \frac{360}{0,80 \times 1,25}$$

$$\sigma_{id} \leq \frac{f_u}{\beta_w \gamma_{M2}} \quad \text{OK!}$$

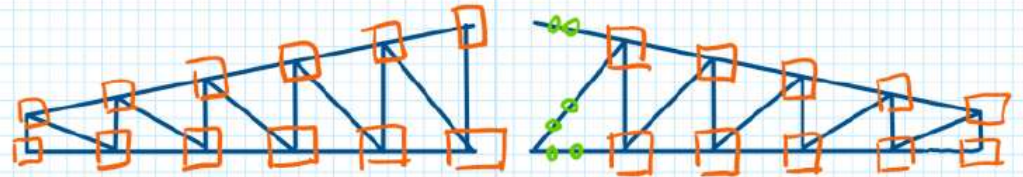
$$= 360 \text{ MPa}$$

Corrente superiore 1 UPN 50x38

Corrente inferiore 2L 55x5

Diagonali e montanti 2L 50x30x5

Progetto dei collegamenti



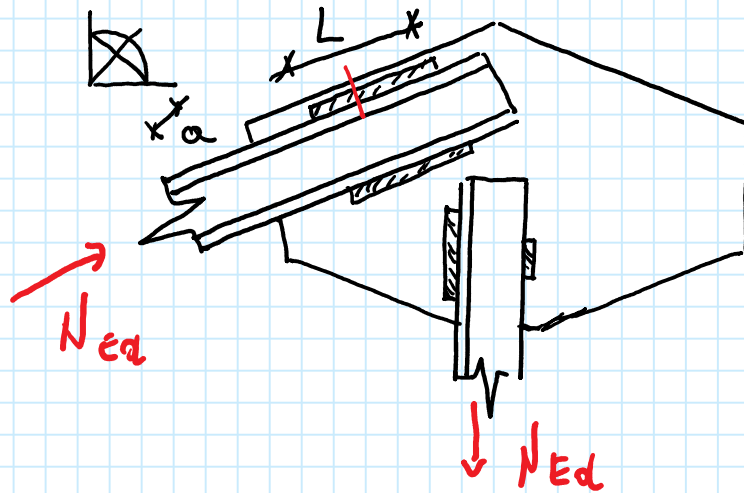
Sforzo normale del corrente inferiore					
Asta	1° comb.	2° comb.	3° comb.	Max traz.	Max Comp.
1	0.00	5.46	0.00	5.46	0.00
2	104.63	81.41	-71.91	104.63	-71.91
3	135.27	98.31	-92.32	135.27	-92.32
4	139.50	94.12	-94.35	139.50	-94.35
5	131.29	80.01	-87.72	131.29	-87.72
6	131.29	55.34	-87.72	131.29	-87.72
7	139.50	48.99	-94.35	139.50	-94.35
8	135.27	40.38	-92.32	135.27	-92.32
9	104.63	26.94	-71.91	104.63	-71.91
10	0.00	0.00	0.00	0.00	0.00

Sforzo normale dei diagonali					
Asta	1° comb.	2° comb.	3° comb.	Max traz.	Max Comp.
21	110.28	80.06	-75.80	110.28	-75.80
22	34.73	19.15	-23.14	34.73	-23.14
23	5.24	-5.20	-2.51	5.24	-5.20
24	-11.22	-19.31	9.07	9.07	-19.31
25	-22.74	-29.58	17.21	17.21	-29.58
26	-22.74	7.70	17.21	17.21	-22.74
27	-11.22	8.68	9.07	9.07	-11.22
28	5.24	10.68	-2.51	10.68	-2.51
29	34.73	15.23	-23.14	34.73	-23.14
30	110.28	28.40	-75.80	110.28	-75.80

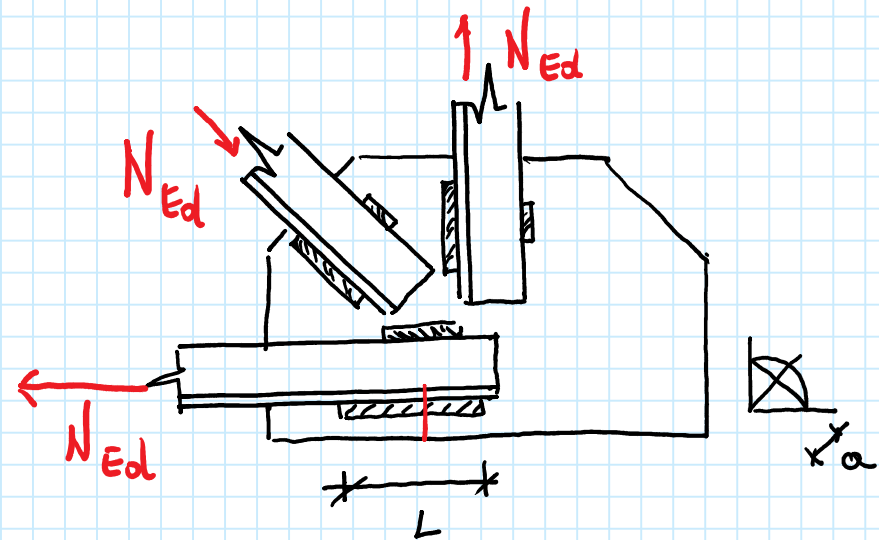
Sforzo normale del corrente superiore					
Asta	1° comb.	2° comb.	3° comb.	Max traz.	Max Comp.
11	-106.70	-77.57	74.42	74.42	-106.70
12	-137.95	-95.03	97.43	97.43	-137.95
13	-142.26	-90.98	101.67	101.67	-142.26
14	-133.89	-76.81	97.10	97.10	-133.89
15	-118.55	-57.07	87.66	87.66	-118.55
16	-118.55	-57.63	87.66	87.66	-118.55
17	-133.89	-53.32	97.10	97.10	-133.89
18	-142.26	-47.74	101.67	101.67	-142.26
19	-137.95	-39.84	97.43	97.43	-137.95
20	-106.70	-27.02	74.42	74.42	-106.70

Sforzo normale dei montanti					
Asta	1° comb.	2° comb.	3° comb.	Max traz.	Max Comp.
31	-62.00	-46.97	42.85	42.85	-62.00
32	-34.87	-25.32	23.97	23.97	-34.87
33	-16.35	-9.01	10.89	10.89	-16.35
34	-3.10	3.07	1.49	3.07	-3.10
35	7.66	13.17	-6.19	13.17	-6.19
36	34.10	16.41	-25.81	34.10	-25.81
37	7.66	-5.92	-6.19	7.66	-6.19
38	-3.10	-6.32	1.49	1.49	-6.32
39	-16.35	-7.17	10.89	10.89	-16.35
40	-34.88	-8.98	23.97	23.97	-34.88
41	-62.00	-13.93	42.85	42.85	-62.00

Nodo sul corrente superiore



Nodo sul corrente inferiore



Progetto dei collegamenti saldati:

Per ogni corrente bisogna dimensionare  $a$  ed  $L$

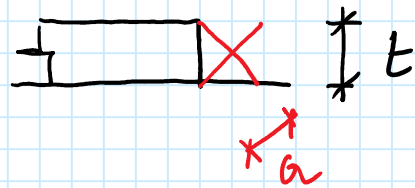
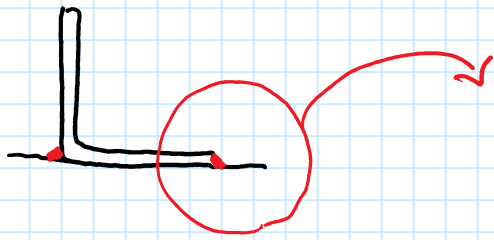
1. Fissiamo " $a$ " e priori

- unico valore di " $a$ " per tutti i correnti d'angolo
- oppure 2 valori: uno per i collegamenti più sollecitati, l'altro per quelli meno sollecitati

2. Determiniamo  $L$  imponendo il rispetto delle verifiche allo SLO

L'altezza delle sezioni di gola "a" deve rispettare limiti di normative e condizioni tecnologiche

$$a \geq 3 \text{ mm} \quad \text{EC3, parte 1-8}$$



$$a \leq \frac{t}{\sqrt{2}} = \frac{5}{\sqrt{2}} = 3,54 \text{ mm}$$

Arco lordo con  $a = 3 \text{ mm}$

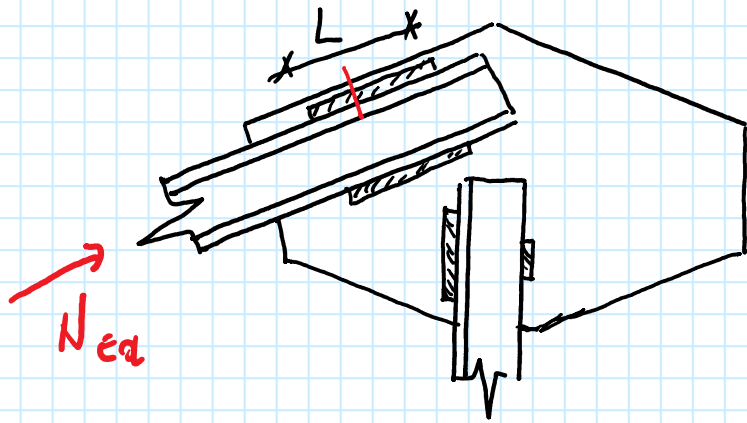
Utilizzo il dominio di resistenza sferico per le verifiche allo SLU dei cordoni

$$t : \frac{F_{w,Ed}}{aL} \leq f_{v,w,pl} \Rightarrow L \geq \frac{F_{w,Ed}}{a f_{v,w,pl}}$$

$$\text{in ogni caso } L \geq \underline{\underline{6a \geq 30 \text{ mm}}}$$

$$(6a = 6 \times 3 = 18 \text{ mm})$$

# Coverte superiora



$$N_{Ed} = 118,6 \text{ kN}$$

S235

$$a = 3 \text{ mm}$$

Domínio (de existência) 1ª série

$$F_{w,Ed} = \frac{N_{Ed}}{4} = \frac{118,6}{4} = 29,7 \text{ kN}$$

A este sono qualificta com acciaio S235  $\rightarrow f_u = 360 \text{ MPa}$

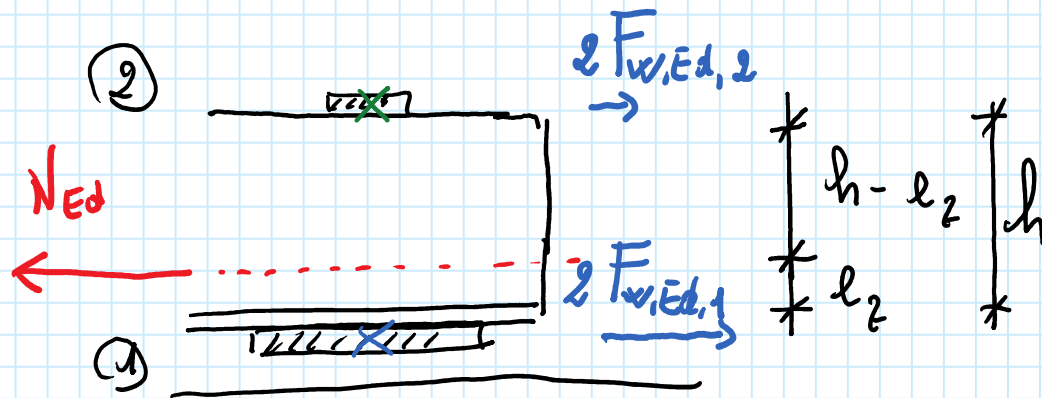
$$f_{v,w,d} = \frac{f_u}{\sqrt{3} \beta_w \gamma_{M2}} = \frac{360}{\sqrt{3} \times 0,8 \times 1,25} = 207,8 \text{ MPa}$$

$$\beta_w = 0,80$$

$$L = \frac{F_{w,Ed}}{a f_{v,w,d}} = \frac{29,7 \times 10^3}{3 \times 207,8} = \cancel{47,6} \text{ mm}$$

**50 mm**

Corrente inferiore



$$N_{Ed} = 131,3 \text{ kN}$$

S 235

$$a = 3 \text{ mm}$$

Domizio (di resistenza) Serie

$$- N_{Ed} (h - l_2) + 2F_{w,Ed,1} h = 0 \Rightarrow F_{w,Ed,1} = \frac{h - l_2}{2h} N_{Ed}$$

$$N_{Ed} l_2 - 2F_{w,Ed,2} h = 0 \Rightarrow F_{w,Ed,2} = \frac{l_2}{2h} N_{Ed}$$

Le forze sui due cordoni sono diverse e dunque le lunghezze saranno diverse. Per ogni cordone

$$L_i = \frac{F_{w,Ed,i}}{a f_{w,d}}$$

$$2L \ 55 \times 5$$

$$l_2 = 1,52 \text{ m} = 15,2 \text{ mm}$$

$$F_{w,Ed.1} = N_{Ed} \frac{h - l_2}{2h} = 131,3 \times \frac{55 - 15,2}{2 \times 55} = 47,5 \text{ KN}$$

$$L_1 = \frac{F_{w,Ed.1}}{\alpha f_{v,w,d}} = \frac{47,5 \times 10^3}{3 \times 207,8} = \cancel{76,2} \text{ mm}$$

80 mm

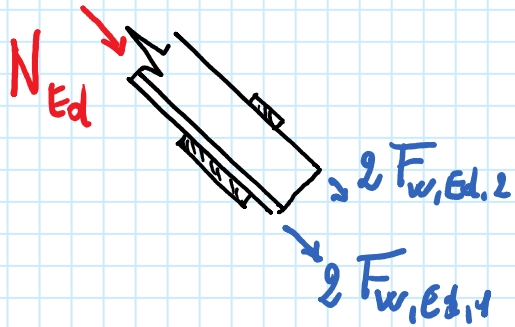
$$F_{w,Ed.2} = N_{Ed} \frac{l_2}{2h} = 131,3 \times \frac{15,2}{2 \times 55} = 18,1 \text{ KN}$$

$$L_2 = \frac{F_{w,Ed.2}}{\alpha f_{v,w,d}} = \frac{18,1}{3 \times 207,8} \times 10^3 = \cancel{29,0} \text{ mm}$$

30 mm



Diagonale



$$N_{Ed} = 29,6 \text{ kN}$$

S235

$$a = 3 \text{ mm}$$

Domini's (di resistenza) series

$$2L \ 50 \times 30 \times 5 \quad e_2 = 14,3 \text{ cm} = 14,3 \text{ mm}$$

$$F_{w,Ed,1} = \frac{(h - e_2)}{2h} N_{Ed} = \frac{50 - 14,3}{2 \times 50} \times 29,6 = 9,7 \text{ kN}$$

$$F_{w,Ed,2} = \frac{e_2}{2h} N_{Ed} = \frac{14,3}{2 \times 50} \times 29,6 = 5,1 \text{ kN}$$

$$L_1 = \frac{9,7 \times 10^3}{3 \times 204,8} = 15,6 \text{ mm}$$

$$15,6 \times \frac{30}{8,2} = 57,1 \text{ mm} \quad \text{60 mm}$$

$$L_2 = \frac{5,1 \times 10^3}{3 \times 204,8} = 8,2 \text{ mm} \quad \text{30 mm}$$