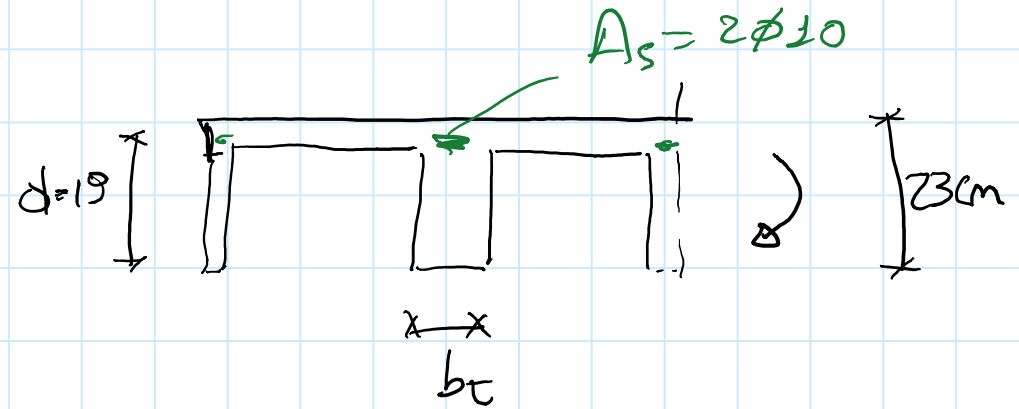
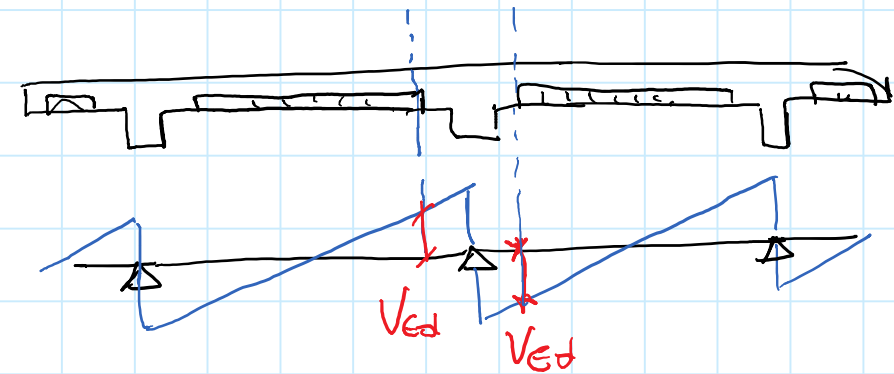


VERIFICA A TAGLIO SOLAIO



CONSIDERO IN A_s SOLO
ARMATURA TESA BEN
ANCORATA



$$V_{rd,e} = \max \left\{ \frac{0.18 k}{\gamma_c} \sqrt{100 \rho_e f_{ctk}} \cdot b_w d ; 0.035 \sqrt{k^3 f_{ctk}} b_w d \right\}$$

$$k = 1 + \sqrt{\frac{200}{d}} \quad d \text{ IN mm} \quad \rightarrow k = 1 + \sqrt{\frac{200}{190}} = 2.02 \quad 2$$

$$\rho_e = \frac{A_{se}}{b_w d} = \frac{N_{TR} \times A_s^{TRAVETTO}}{N_{TR} \times b_c \times d} = \frac{2 \times 2 \times 0.785 \text{ cm}^2}{2 \times 20 \times 19 \text{ cm}^2} = 8.26 \times 10^{-3}$$

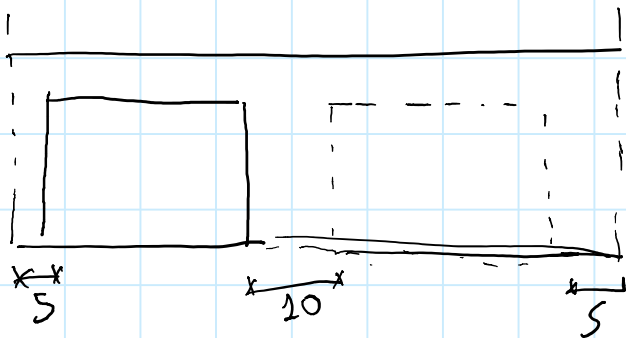
$$V_{Rdc,1} = \underbrace{0.18 \times 2 \times \sqrt[3]{100 \times 8.26 \times 10^{-3}}}_{1.5} \times \underbrace{2 \times 20 \times 19}_{N_{Te} \times b_t \times d}_{\text{cm}^2} \times \frac{1}{10} = 26.6 \text{ kN}$$

$$V_{Rdc,2} = 0.035 \times \sqrt{2^3 \times 30} \times \underbrace{2 \times 20 \times 19}_{b_w d} = 20.60 \text{ kN}$$

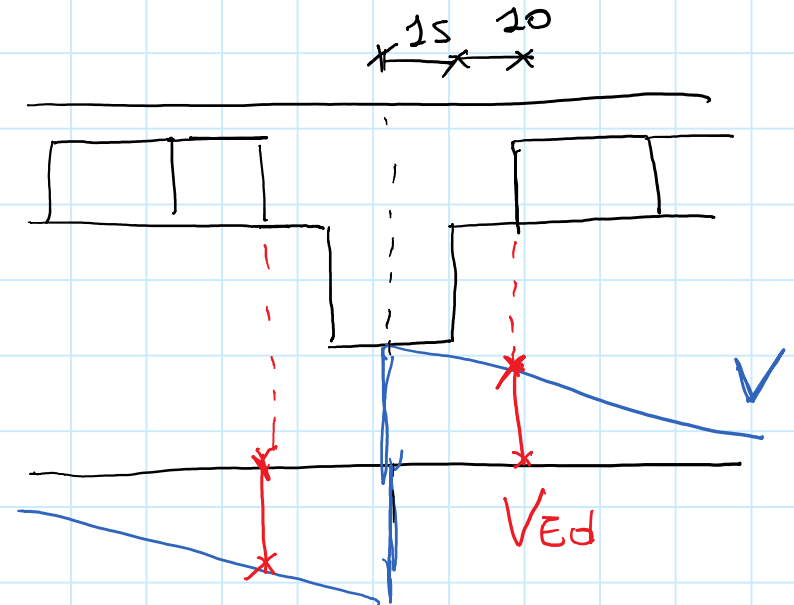
$$V_{Rdc} = 26.6 \text{ kN}$$

se $V_{Ed} > V_{Rdc} \Rightarrow$

FASCIA SETTIPIENA

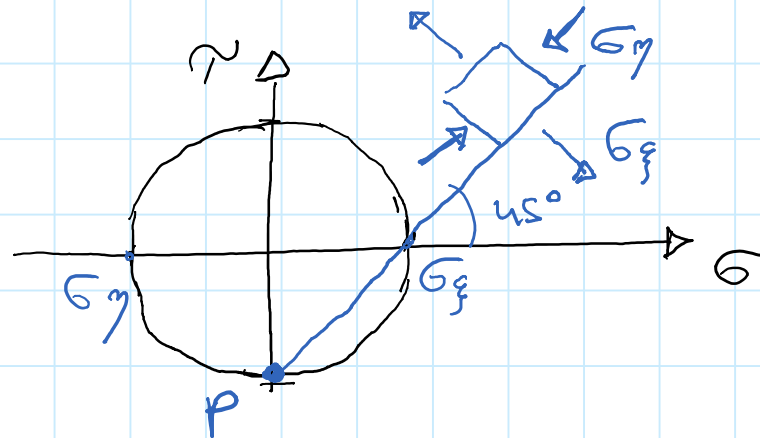
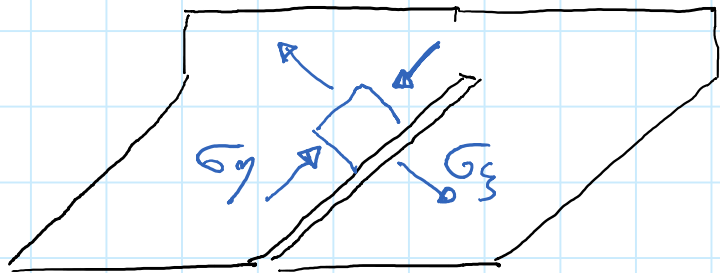


$$\Rightarrow b_w = 60 \text{ cm}$$

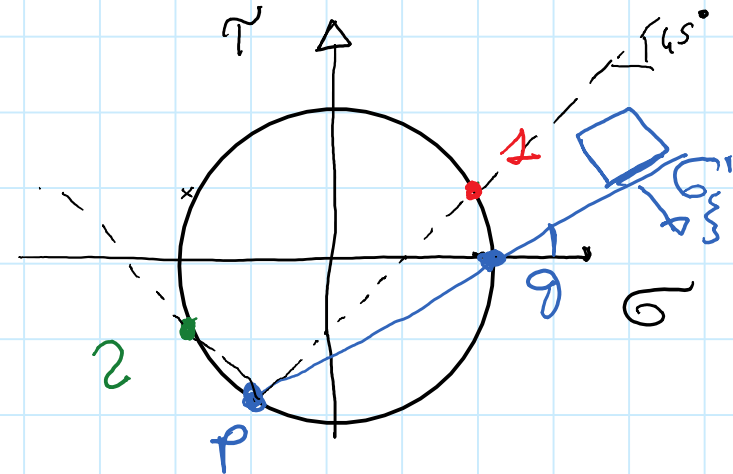
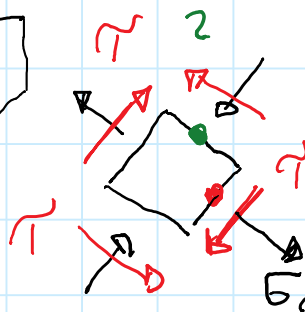
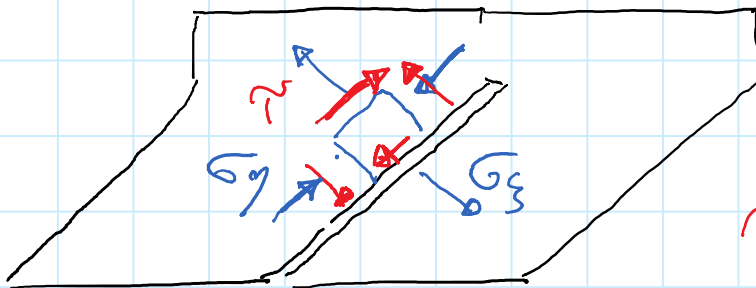


CONSIDERAZIONI SULLO STATO TENSIONALE

NEL MOMENTO IN CUI SI FORMANO LESIONE

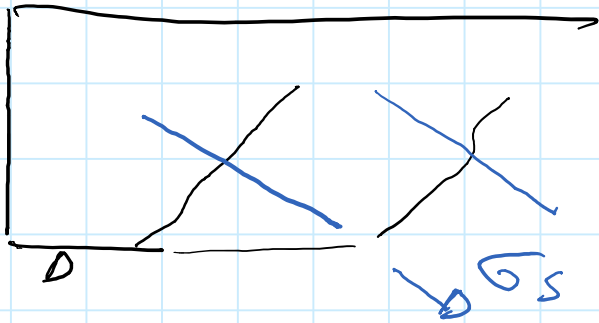


DOPO LO SCORRIMENTO TRA LE LESIONI

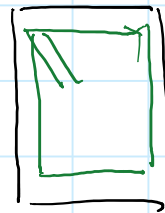
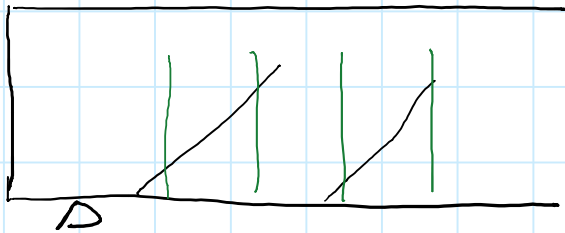


IL FLUSSO DI TENSIONI DI COMPRESSIONE SI INCLINA DI UN ANGOLO $\vartheta = 45^\circ$

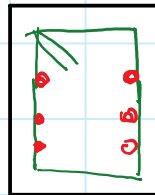
POSSIBILI DISPOSIZIONI DI ARMATURA A TAGLIO



ARMATURA CON SAGOMATI
(MOLTO USATA IN PASSATO)



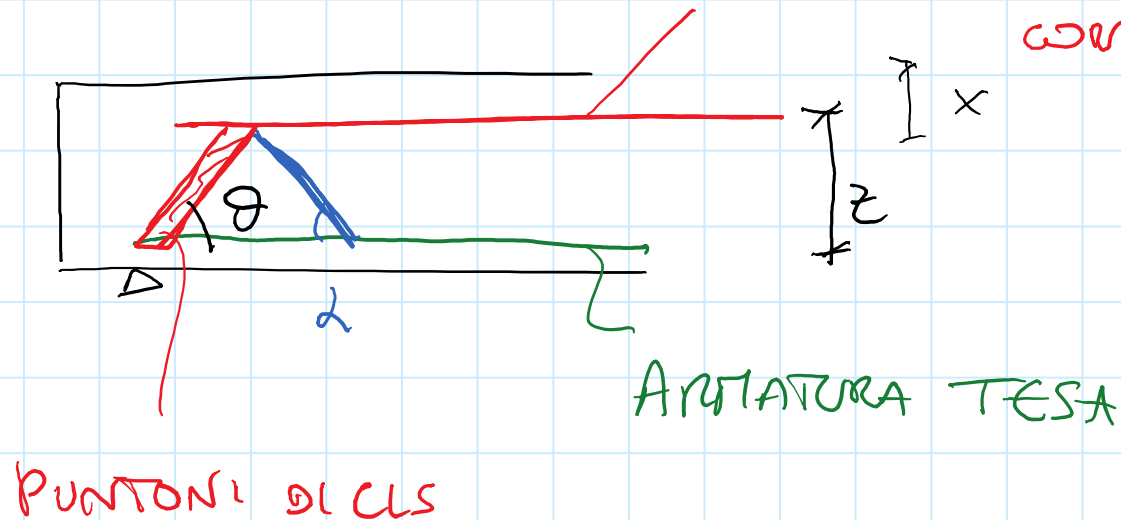
ARMATURA CON STAFFE
(USATA AL NORD)



ARMATURA CON STAFFE
+ ARMATURA DI PARETE
(USATA AL SUD)

MODELLI PER LA VERIFICA ALL' SLU

1) TRALICCIO AD INCLINAZIONE VARIABILE DEL PUNTO



CORRENTE COMPRESSO

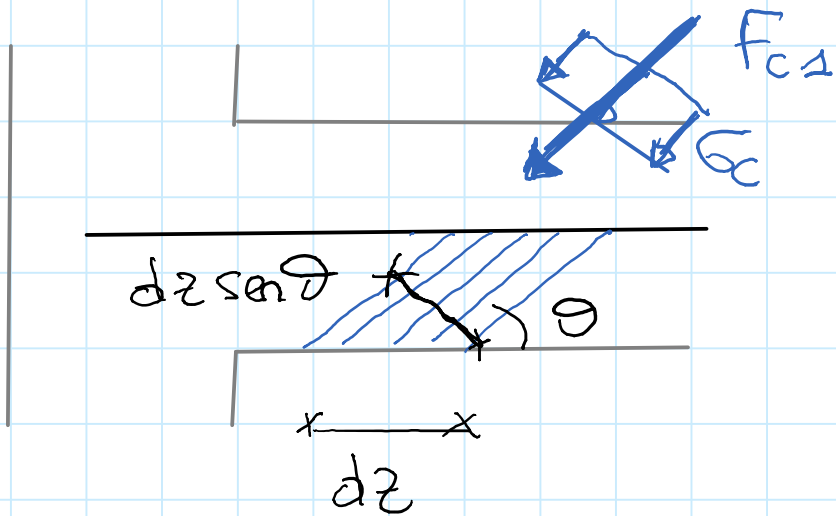
= ARMATURA
A TAGLIO

SE USO STAFFE
 $\alpha = 90^\circ$

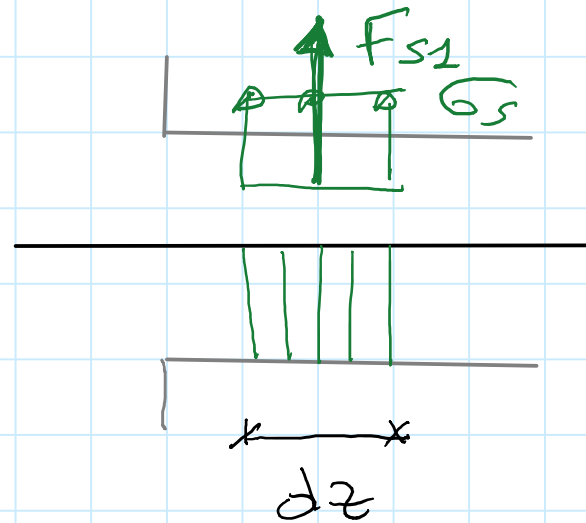
2) MODELLO CAMPI DI TENSIONE

- CONSIDERO :
- FLUSSO σ_c INCLINATE SECONDO DIREZ. PRINCIPALI DI COMPRESSIONE
 - σ_s INCLINATE SECONDO ARMATURA
 - V, M

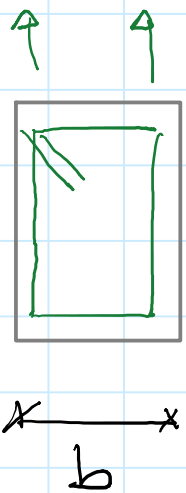
CAMPI DI TENSIONE : SEZIONE ORIZZONTALE



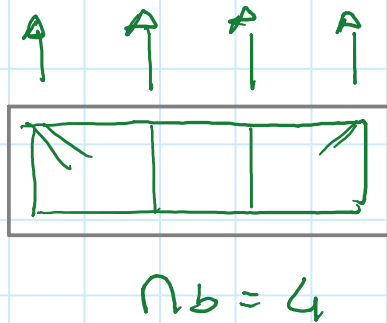
$$F_{c1} = b dz \sin \theta \cdot \sigma_c$$



$$F_{s1} = n_b \frac{A_s}{s} dz \sigma_s$$



$$n_b = 2$$

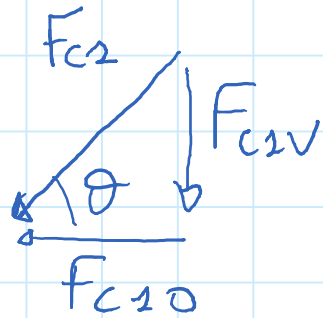


$$n_b = 4$$

$s =$ PASSO STAFFE

$\frac{dz}{s} =$ NUM. STAFFE NEL TRATTO dz

EQUILIBRIO ALLA TRASLAZIONE VERTICALE



F_{c1o} = FORZA DI SCORRIMENTO

$$F_{c1v} = F_{st}$$

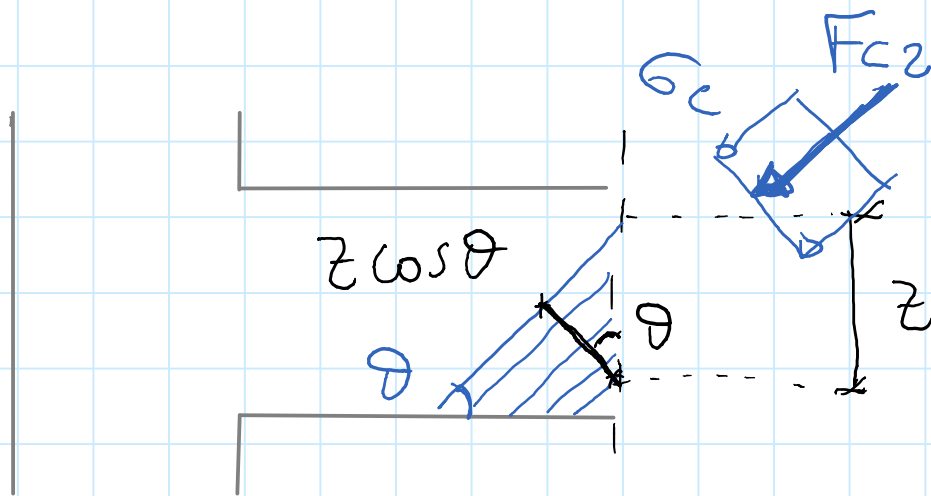
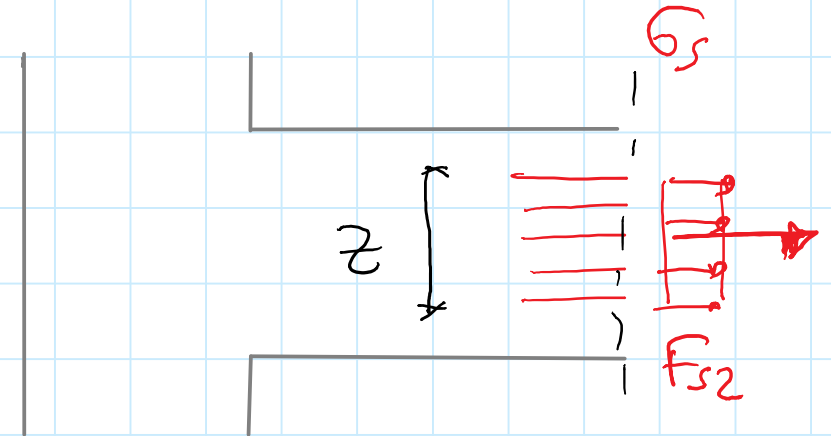
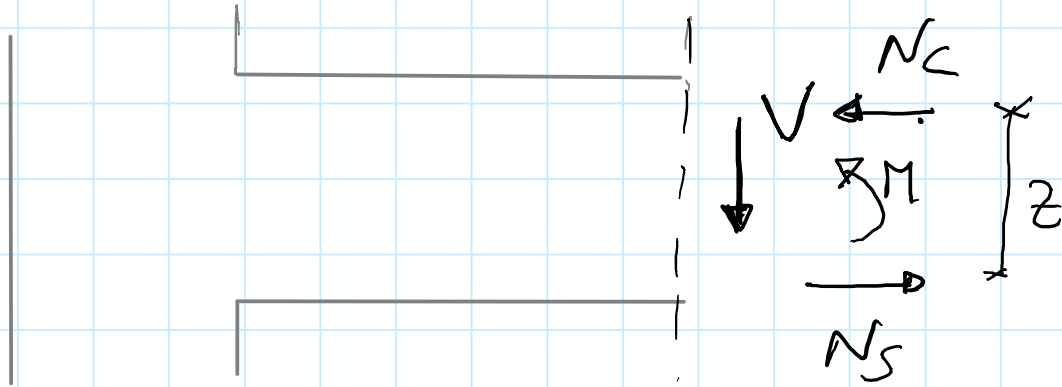
$$F_{c2} \sin \theta = F_{st}$$

$$\sigma_c \cdot b \cdot d \cdot \cancel{d} \cdot \sin^2 \theta = \sigma_s \cdot n_b \cdot \frac{A_{st}}{s} \cdot \cancel{d} \quad \Rightarrow$$

$$\sigma_c = \sigma_s \cdot \frac{n_b A_{st}}{s b} \cdot \frac{1}{\sin^2 \theta}$$

SEZIONE VERTICALE

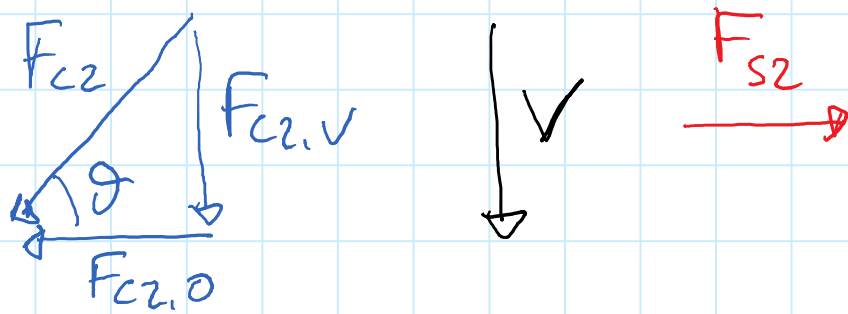
AZIONI ESTERNE



$$F_{c2} = b z \cos \theta G_c$$

$$F_{s2} = A_{sp} \cdot G_s$$

A_{sp} = ARMATURA DI PARETE



$$F_{c2,v} = V \Rightarrow$$

$$F_{c2} \cdot \sin \theta = V$$

$$\sigma_c \cdot b \geq \frac{\cos \theta}{\sin \theta} \cdot \sin^2 \theta = V \Rightarrow$$

$$V = \sigma_c b \geq \cot \theta \cdot \sin^2 \theta \quad (2)$$

DA TRIGONOMETRIA

$$\sin^2 \theta = \frac{1}{1 + \cot^2 \theta} \Rightarrow$$

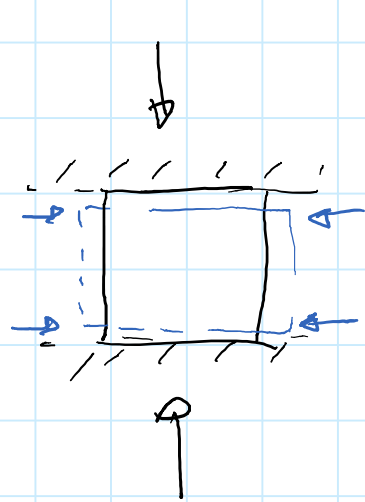
$$V = \sigma_c b \geq \frac{\cot \theta}{1 + \cot^2 \theta}$$

CRISI PER SCHIACCIAMENTO SE

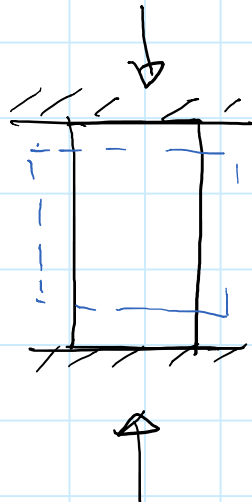
$$\sigma_c = \sqrt{f_{cd}}$$

$$V_{rdc} = \sqrt{f_{cd}} b \geq \frac{\cot \theta}{1 + \cot^2 \theta}$$

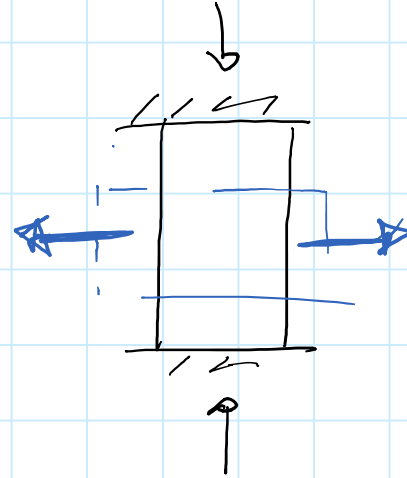
γ = COEFFICIENTE RIDUTTIVO DELLA RESISTENZA
A COMPRESSIONE A CAUSA DI TRAZIONE
ORTOGONALE



R_{ck}



f_{ck}



RESISTENZA
INFERIORE A

f_{ck}

$R_{ck} > f_{ck}$

RESISTENZA DELLE ARMATURE

SOSTITUENDO ① IN ② \Rightarrow

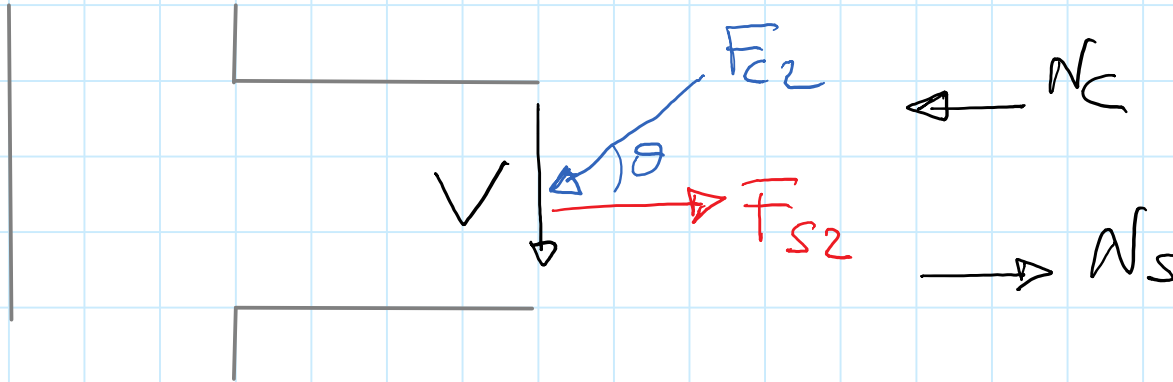
$$V = \underbrace{\sigma_s \frac{n_b A_{st}}{s}}_{\sigma_c} \cdot \frac{1}{\cancel{\sin^2 \theta}} \cdot b z \cot \theta \cdot \cancel{\sin^2 \theta} \quad \rightarrow$$

$$V = \sigma_s \frac{n_b A_{st}}{s} z \cot \theta$$

CRISI SE $\sigma_s = f_{yd}$ \rightarrow

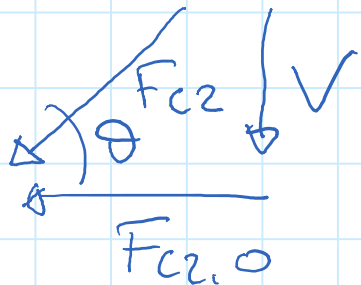
$$V_{rd,s} = n_b \frac{A_{st}}{s} z f_{yd} \cot \theta$$

DIREZIONE ORIZZONTALE : ARMATURA DI PARETE



SE VOGLIO EVITARE TRASLAZIONE DEL DIAGRAMMA DEI MOMENTI ($N_c = N_s$) \Rightarrow

$$F_{c2,0} = F_{s2}$$

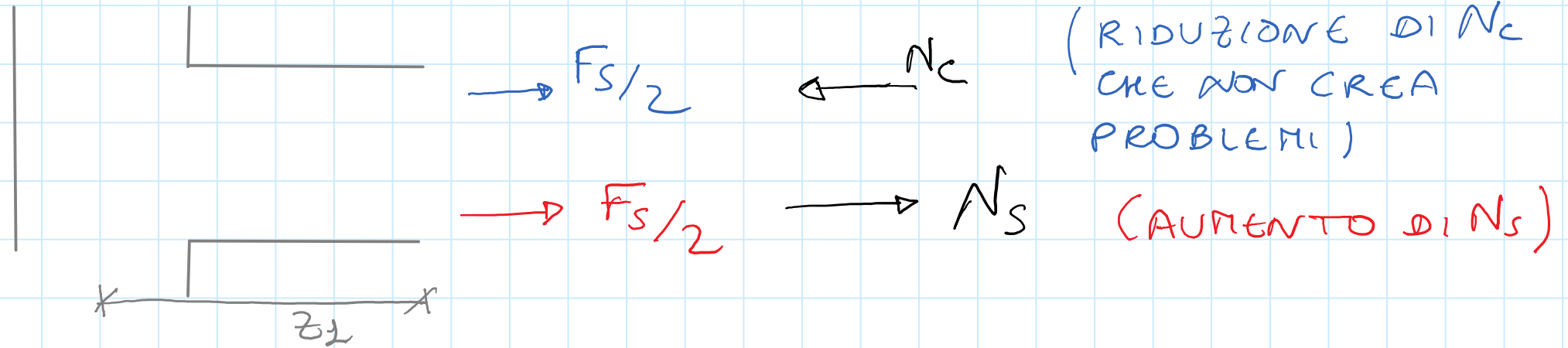


$$F_{c2,0} = V \cot \vartheta \Rightarrow F_{s2} = V \cot \vartheta$$

$$A_{sp} \cdot \sigma_s = V \cot \vartheta \Rightarrow$$

$$\text{SE } \sigma_s = f_{yd} \rightarrow A_{sp} = \frac{V \cot \vartheta}{f_y} \quad \left(\begin{array}{l} \text{ARMATURA DI} \\ \text{PARETE} \end{array} \right)$$

SOLUZIONE SENZA ARMATURA DI PARETE



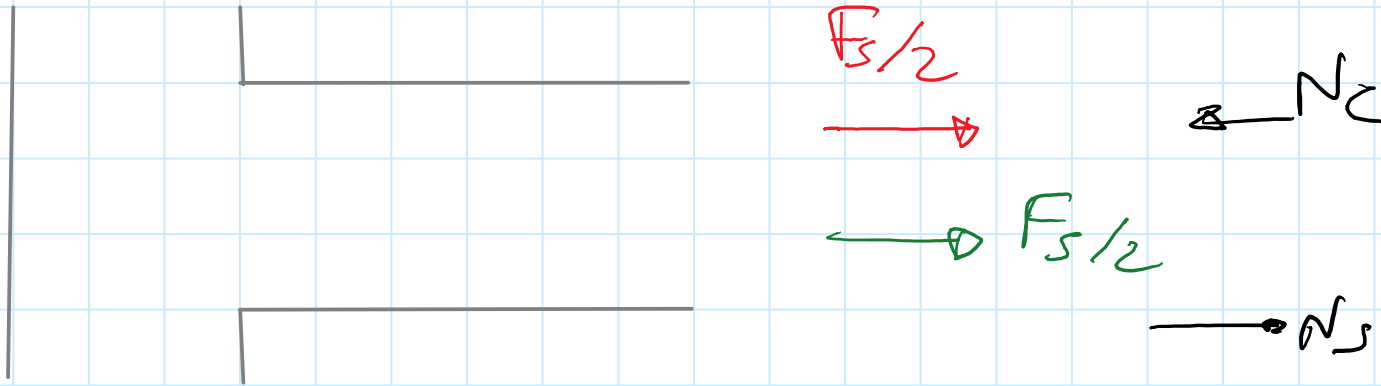
$$N'_s = N_s + F_{s/2} = \frac{M(z_1)}{z} + \frac{V}{z} \cot \rho \cdot \frac{z}{z}$$

$$= \frac{1}{z} \left[M(z_1) + V \frac{z}{z} \cot \rho \right]$$

$$\underbrace{\hspace{10em}}_{M\left(z_1 + \frac{z}{z} \cot \rho\right)} \Rightarrow$$

TRASLAZIONE DELLA DIAGRAMMA DEI MOMENTI
DI $\frac{z}{z} \cot \rho$

SOLUZIONE ALTERNATIVA CON ARMATURA DI PARETE



PROGETTO ARMATURA DI PARETE PER PORTARE

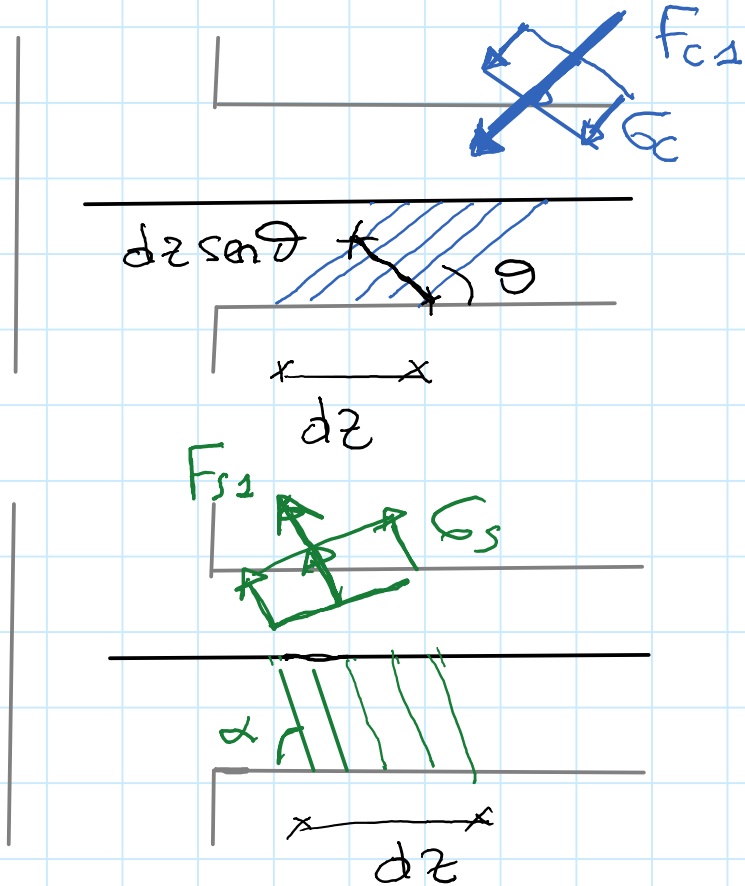
$$F_s/2 \Rightarrow A_{sp} = \frac{F_s/2}{f_{yd}} = \frac{V}{2} \cot \varphi$$

(IN QUESTO CASO NON È NECESSARIA

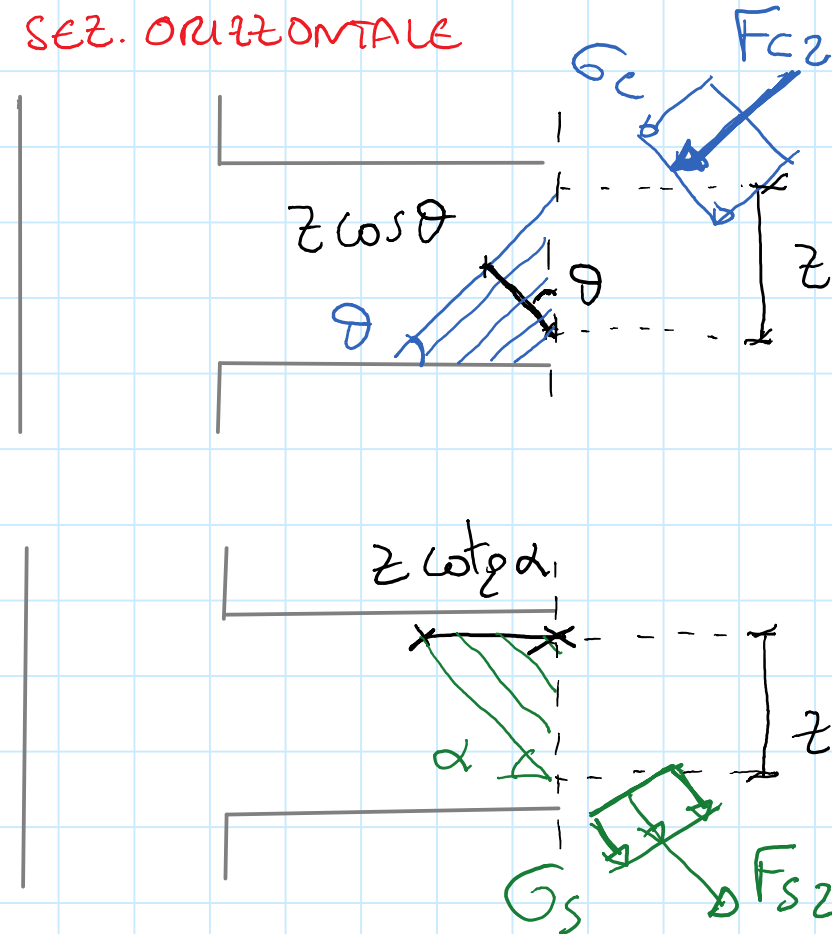
TRASVAZIONE DEL DIAGRAMMA DEI MOMENTI)

ARMATURA CON SAGOMATI

SEZ. VERTICALE



SEZ. ORIZZONTALE



EQ. TRASLAZIONE VERTICALE : $F_{c2v} = F_{s2,v}$

$$F_{c2v} + F_{s2v} = V$$

INDICAZIONI DI NORMATIVA

RESISTENZA DEL CLS :

$$V_{red,max} = \alpha_{cw} \sqrt{f_{cd}} b z \frac{(\cot \vartheta + \cot \varphi_d)}{1 + \cot^2 \vartheta}$$

RESISTENZA ARMATURA A TAGLIO

$$V_{red,s} = n_b \frac{A_{st}}{s} f_{yd} z \sin \alpha (\cot \vartheta + \cot \varphi_d)$$

DOVE $1 \leq \cot \vartheta \leq 2.5$ ($\cot \vartheta = 1 \rightarrow \vartheta = 45^\circ$)

$\alpha_{cw} =$ $\left\{ \begin{array}{l} 1 \text{ IN ASSENZA DI COMPRESSIONE} \end{array} \right.$

$$1 + \frac{\sigma_{cp}}{f_{cd}} \quad \frac{\sigma_{cp}}{f_{yd}} \leq 0.25$$

1.25

$$0.25 \leq \frac{\sigma_{cp}}{f_{yd}} \leq 0.5$$

$$2.5 \left(1 - \frac{\sigma_{cp}}{f_{cd}} \right) \quad 0.5 < \frac{\sigma_{cp}}{f_{yd}} \leq 1$$

$$\sigma_{cp} = \frac{N_{ed}}{A_c}$$

\downarrow
 > 0 SE DI
COMPRESSIONE

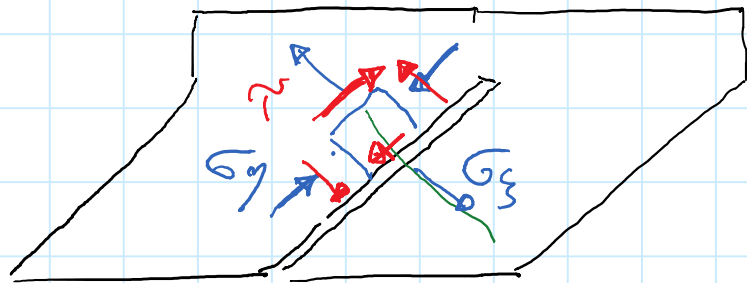
INFLUENZA DI $\cot\theta$

$$\text{Se } V_{rd, max} (\cot\theta = 1) < V_{ed} \Rightarrow$$

CRISI PER SCHIACCIAMENTO DEL CLS
(ROTTURA FRAGILE)

$$\text{Se } V_{rd, max} (\cot\theta = 1) > V_{ed}$$

$$V_{rd, s} (\cot\theta = 1) < V_{ed} \Rightarrow \text{SI SNERVANO LE ARMATURE}$$



\Rightarrow NASCONO SCORRIMENTI

LUNGO LE LESIONI \Rightarrow

SI MODIFICA LO STATE

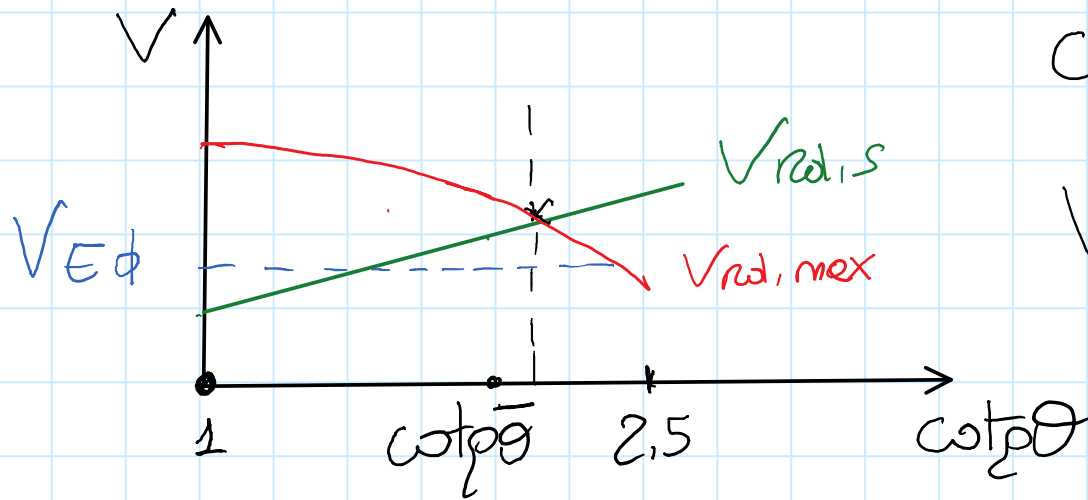
TENSIONALE \rightarrow

DIREZ. DELLE TENSIONI DI

COMPRESSIONE INCLINATE DI

$$\theta < 45^\circ$$

VERIFICA A TAGLIO

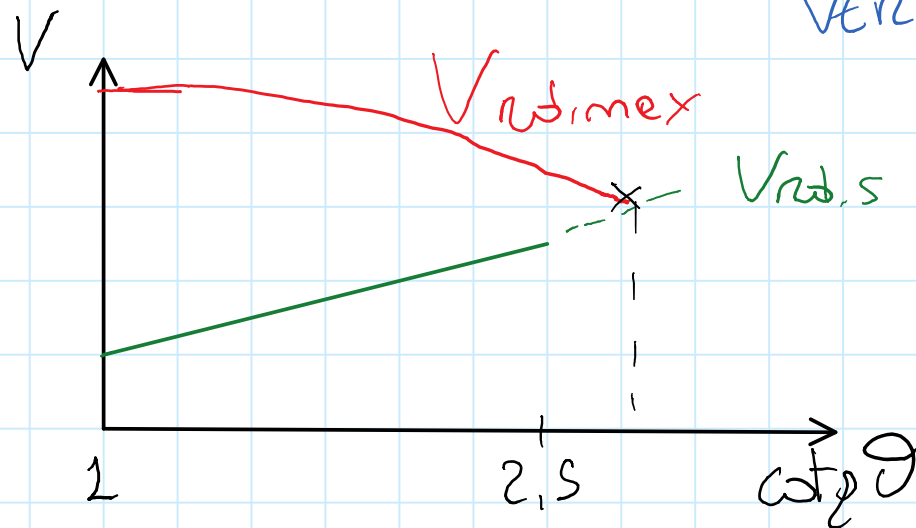


CONOSCO $b, z, A_{st/s}$

$$V_{rd} = \min \{ V_{rd,s}, V_{rd,max} \}$$

CERCO $\cot \theta$ TALE CHE $V_{rd,max} = V_{rd,s}$

VERIFICA $V_{Ed} < V_{rd}(\cot \theta)$



SE $\cot \theta > 2.5$

⇒ CALCOLO

$V_{rd,s}$ con $\cot \theta = 2.5$

$\cot \bar{\theta}$ OTTIMALE

$$V_{rd, max} = V_{rd, s} \rightarrow$$

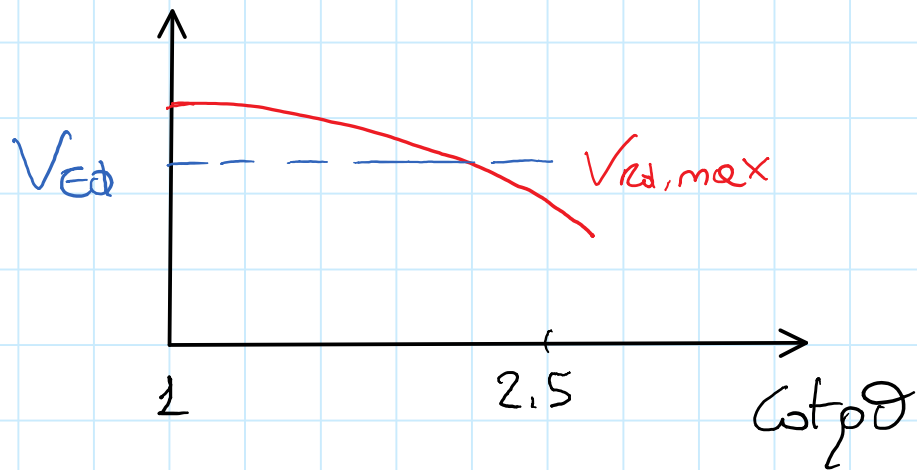
$$\frac{n_s A_{st}}{s} \cancel{f_{yd}} \cot \cancel{\theta} = b \cancel{v} f_{cd} \frac{\cot \cancel{\theta}}{1 + \cot^2 \theta}$$

$$1 + \cot^2 \theta = \frac{b v f_{cd}}{\frac{n_s A_{st}}{s} f_{yd}}$$

$$\cot \bar{\theta} = \sqrt{\frac{b v f_{cd}}{\frac{n_s A_{st}}{s} f_{yd}} - 1}$$

PROGETTO

NOTI b, z, V_{Ed} \Rightarrow DETERMINARE $n, A_{st}/S$

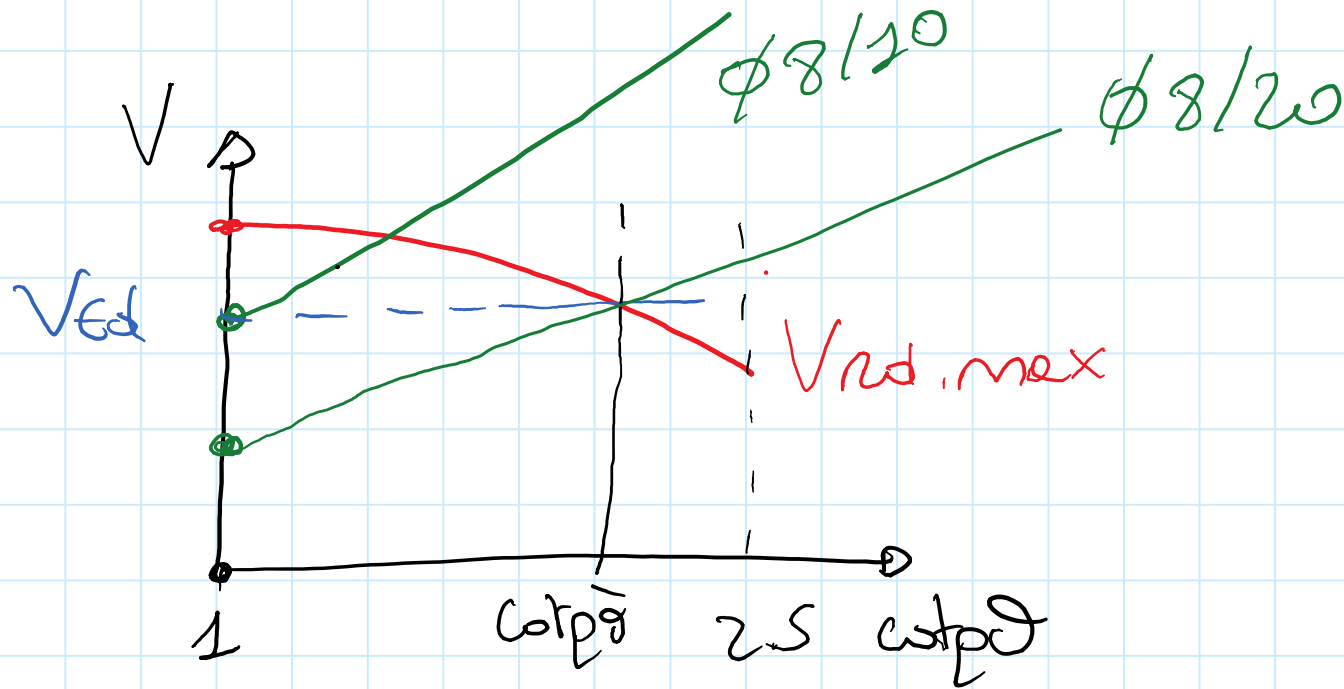


CERCO $\cot \theta$ TALE
CHE $V_{Ed} = V_{rd, max}$

$$V_{Ed} = \alpha_{cw} \sqrt{f_{cd}} b z \frac{\cot \theta}{1 + \cot^2 \theta} \Rightarrow \text{Eq 2}^\circ$$

$$\cot \theta = \frac{\alpha_{cw} \sqrt{f_{cd}} b z}{2 V_{Ed}} + \sqrt{\left(\frac{\alpha_{cw} \sqrt{f_{cd}} b z}{2 V_{Ed}} \right)^2 - 1}$$

PROGETTO STAFFE

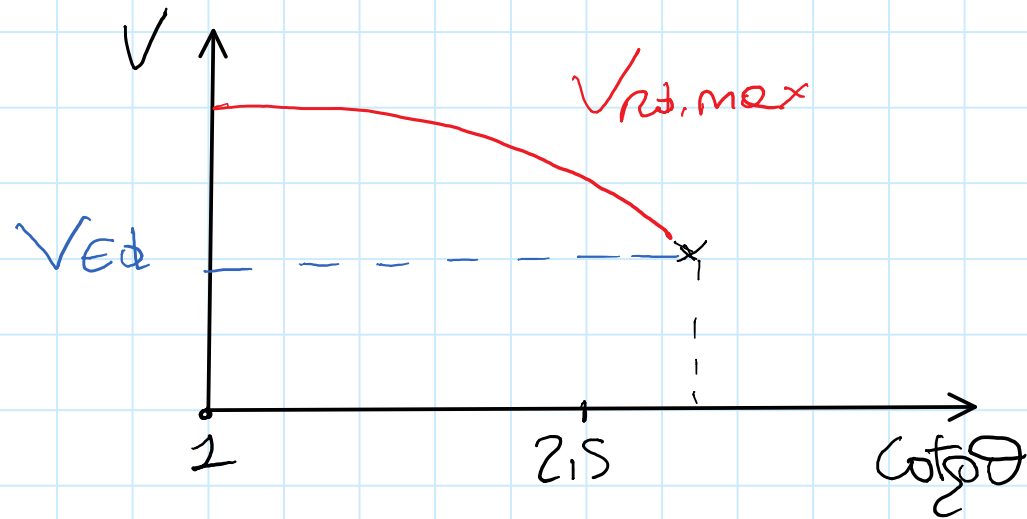


DA $V_{rd,s} = n_b \frac{A_{st}}{s} z P_{yd} \cot \theta$

POSTO $V_{rd,s} = V_{Ed} \Rightarrow$

$$n_b \frac{A_{st}}{s} \geq \frac{V_{Ed}}{z P_{yd} \cot \theta}$$

NEL CASO IN CUI



$$V_{rd,max} \geq V_{ed} \quad \forall \cotg \theta \leq 2.5$$

CONSIGLIO: PROGETTO $\frac{A_{st}}{S}$ CON $\cotg \theta = 2$

Se $\cotg \theta \geq 2 \Rightarrow$ AUMENTA
ARMATURA
DI PARETE $A_p = \frac{V}{2} \cotg \theta$

LIMITI ARMATURA A TAGLIO

(NTE 18)

$$\frac{n_b A_{st}}{s} \geq 0.15 b_w \frac{\text{cm}^2}{\text{m}}$$

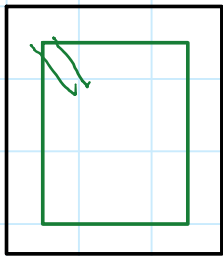
b_w IN CM

$$s \leq 0.8 d$$

$d =$ ALTEZZA UTILE

(VINCOLANTE SOLO PER TRAVI A SPESSORE)

ESEMPIO TRAVE EMERGENTE



$b_w = 30 \text{ cm}$

$\phi 8 \rightarrow A_{\phi 8} = 0.5 \text{ cm}^2$
 $n_b = 2$

$$\frac{2 \times A_{\phi 8}}{s} \geq 0.15 \times 30 \frac{\text{cm}^2}{\text{m}}$$

$$\Rightarrow \frac{1 \text{ cm}^2}{s} \geq 4.5 \frac{\text{cm}^2}{\text{m}}$$

$$s \leq \frac{1}{4.5} \text{ m} = 0.22 \text{ m}$$

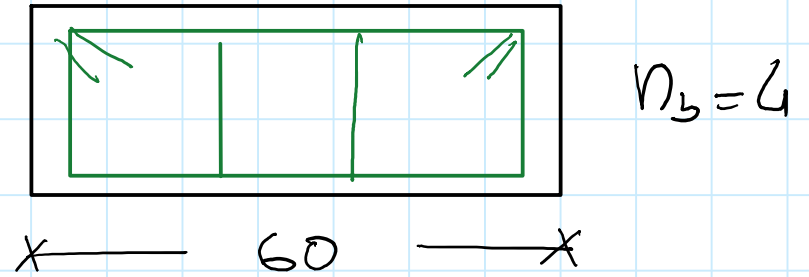
$$\Rightarrow \phi 8 / 20$$

ESEMPIO TRAVE A SPESSORE

$$\frac{4 \times 0,5}{s} \geq 0,15 \times 60$$

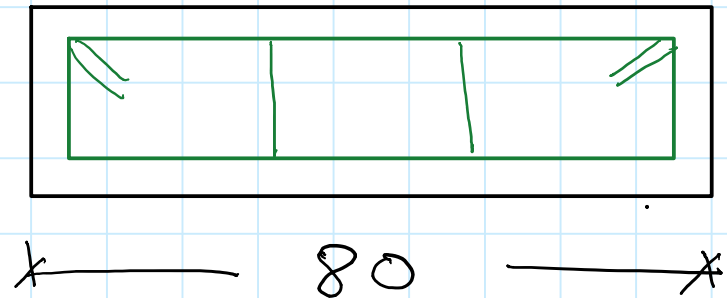
$$\rightarrow s \leq 0,22 \text{ m}$$

$\phi 8/20$ (4 BRACCI)



$$\frac{4 \times 0,5}{s} \geq 0,15 \times 80 \frac{\text{cm}^2}{\text{m}}$$

$$\rightarrow s \leq \frac{2 \text{ cm}^2}{0,15 \times 80 \text{ cm}^2} \text{ m} = 0,16 \rightarrow \phi 8/15$$



INFLUENZA DEL SECONDO LIMITE

$$S \leq 0.8d \quad d \text{ ALTEZZA UTILE}$$

CONDIZIONATA SOLO PER TRAVI A SPESSORE BASSE

$$\text{SE } d = 19 \text{ cm} \Rightarrow S = 15.2 \rightarrow \phi 8/15$$

ALTRE INDICAZIONI DI NORMATIVA

ALMENO IL 50% DEL TAGLIO DEVE ESSERE PORTATO DALLE STAFFE